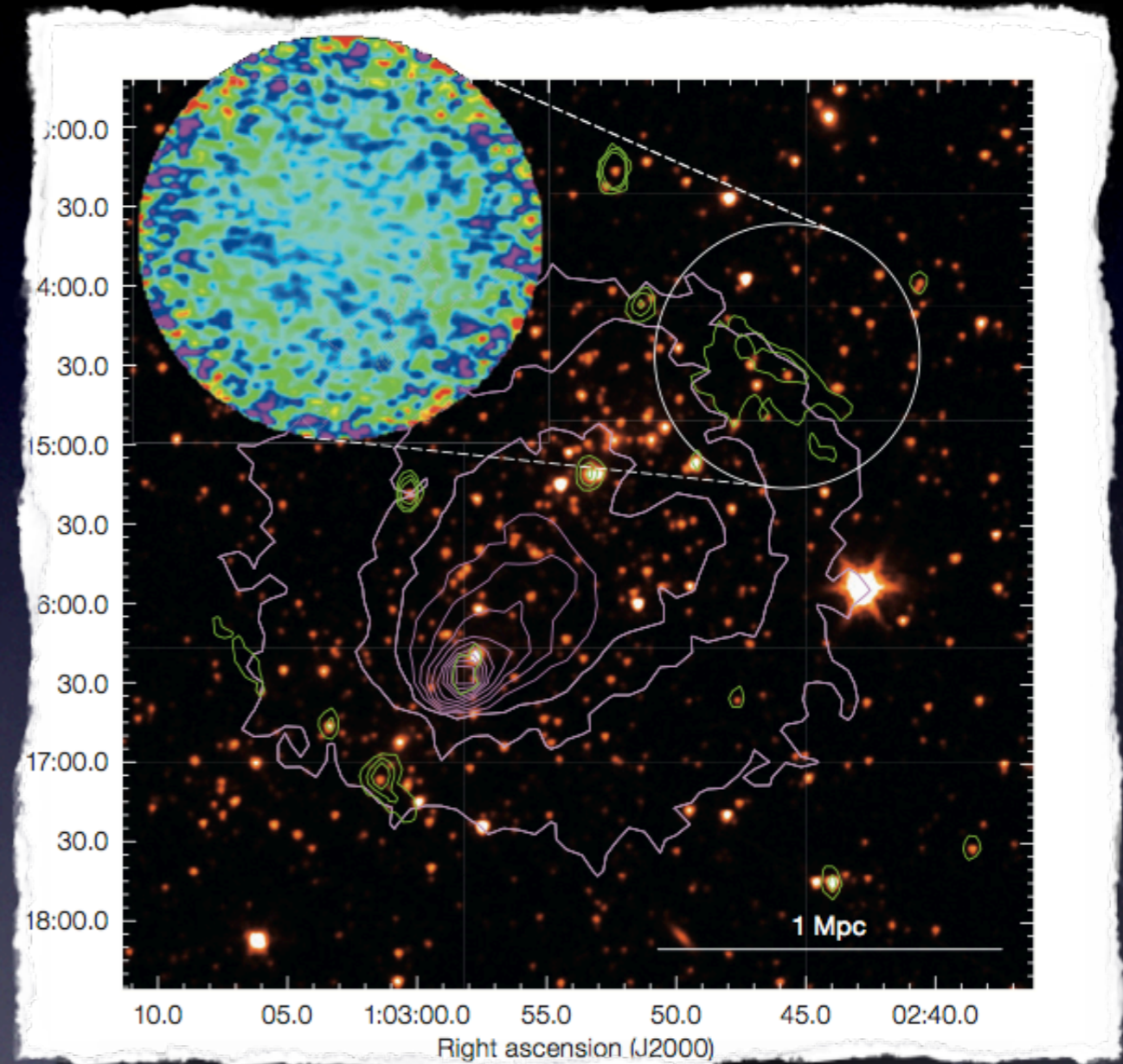
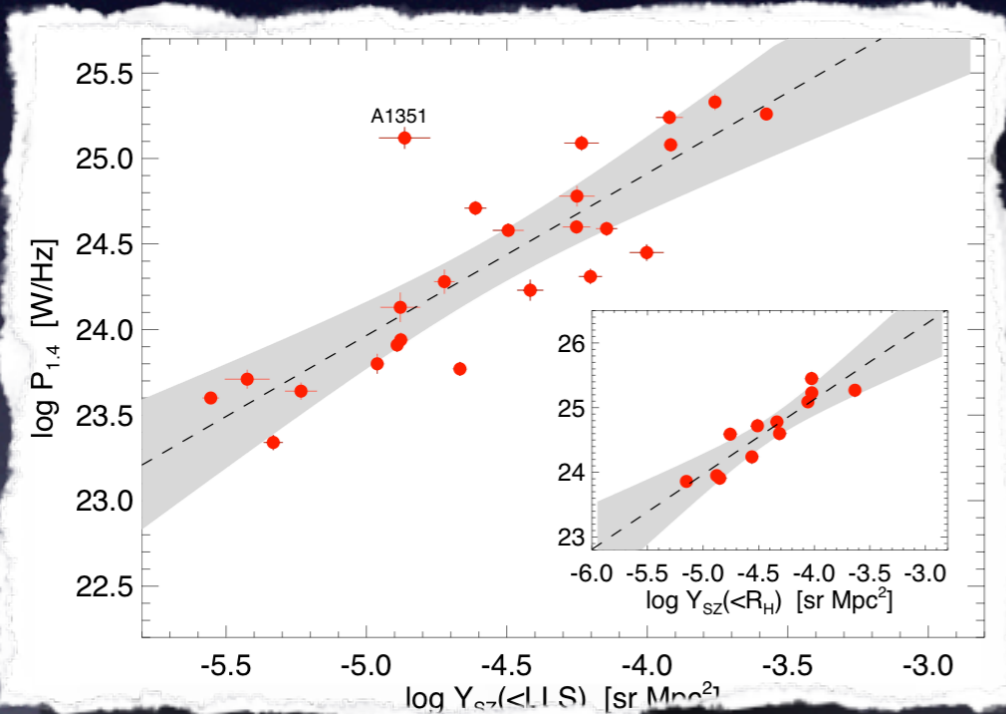
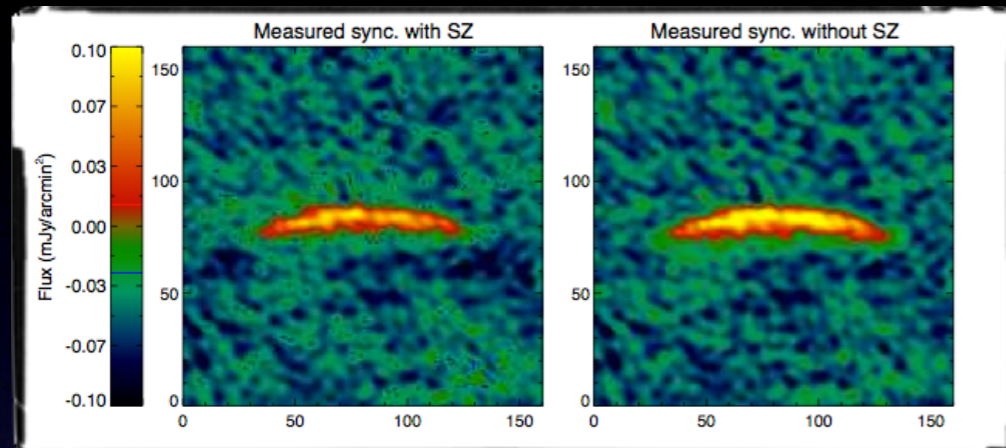


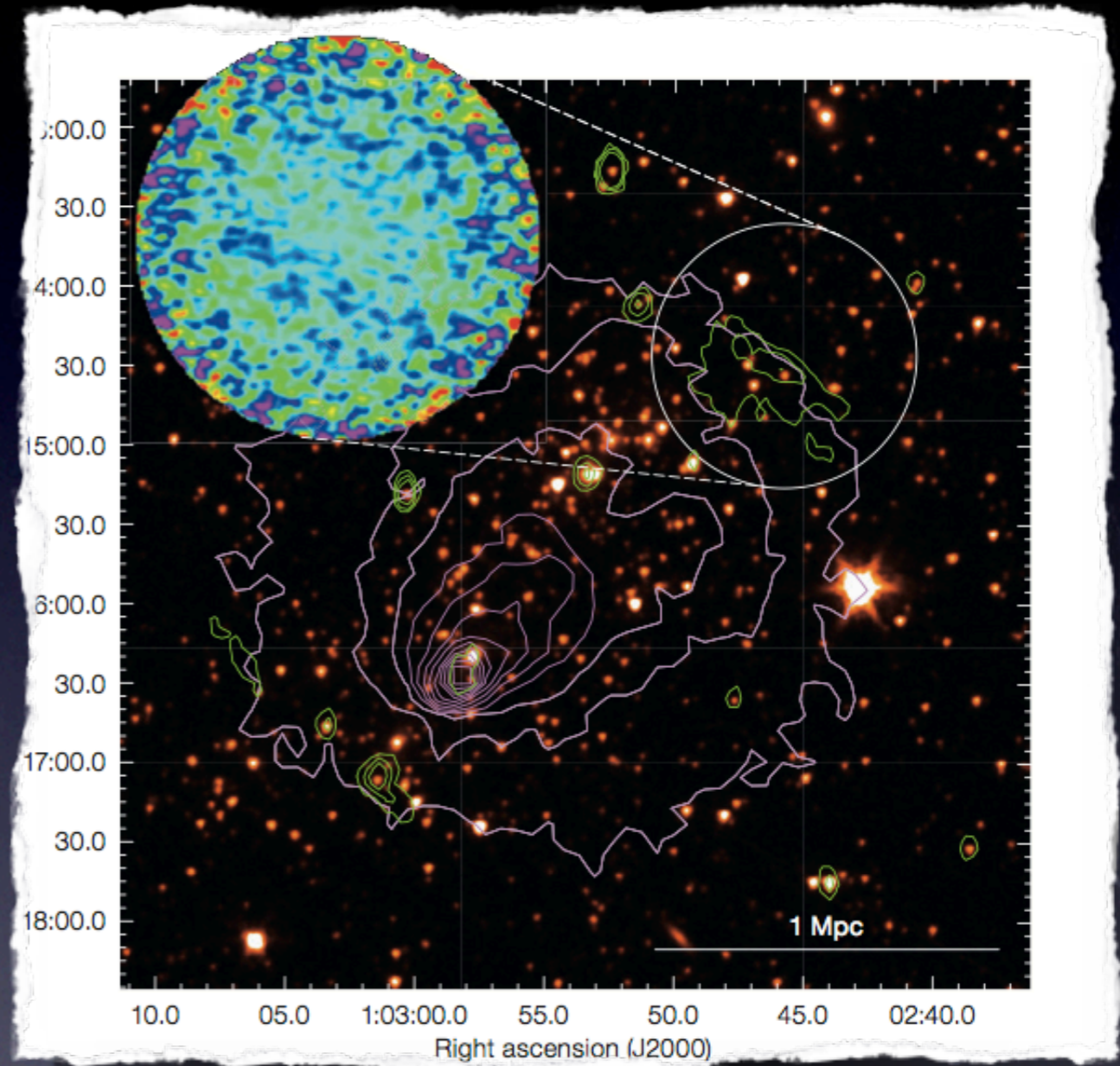
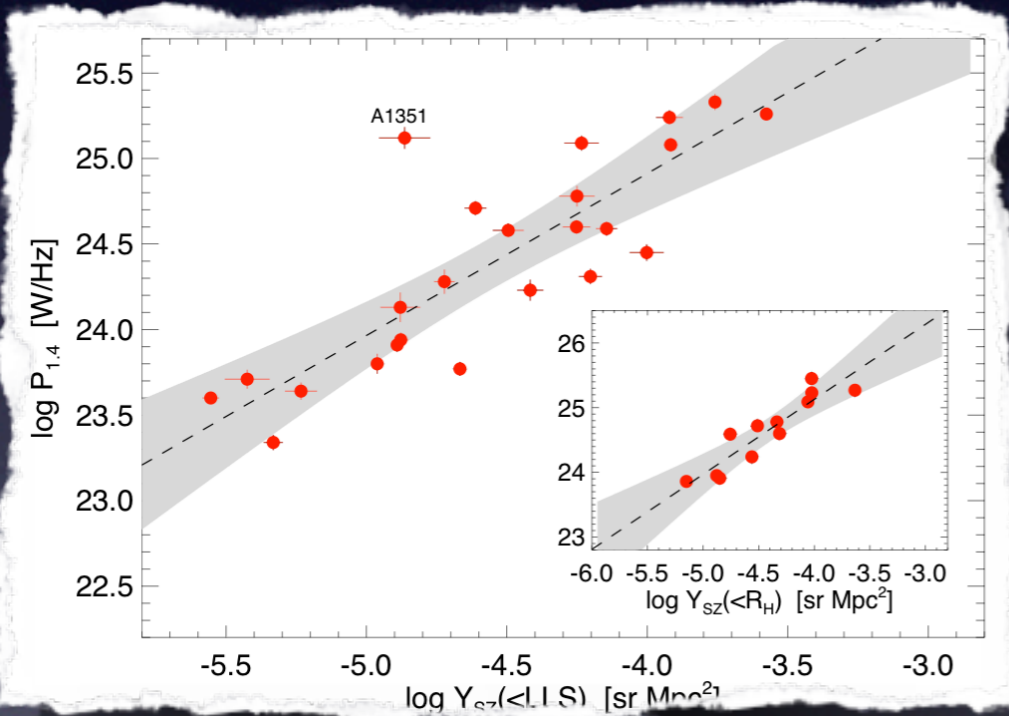
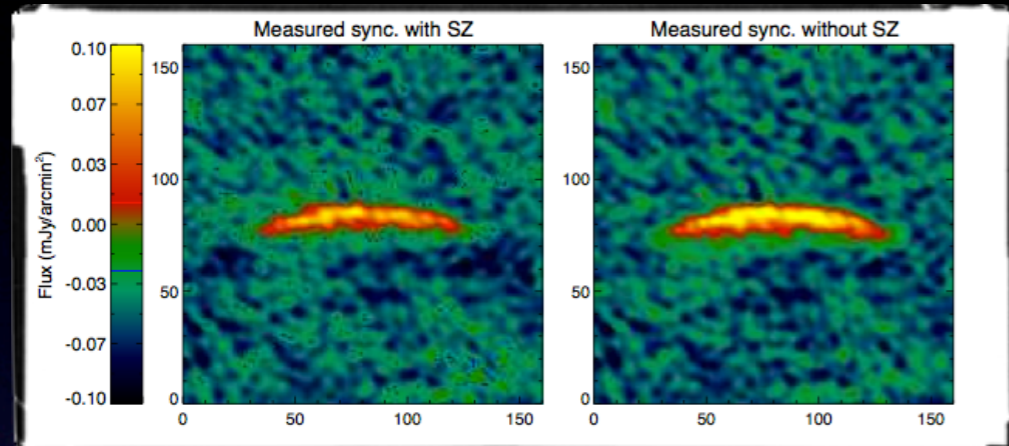
Galaxy cluster physics from the thermal / non-thermal connection



Kaustuv Basu (University of Bonn)

with Martin Sommer (Bonn), Jens Erler (Bonn), Franco Vazza (Hamburg), Dominique Eckert (Geneva), a.o.

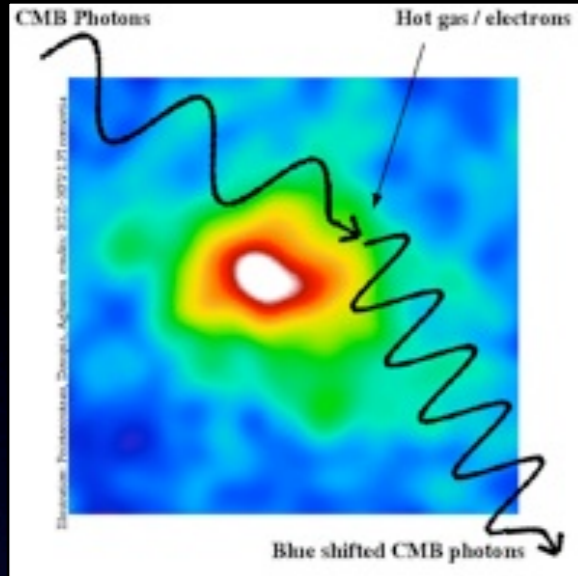
Galaxy cluster physics (+ cosmology) from the thermal / non-thermal connection



Kaustuv Basu (University of Bonn)

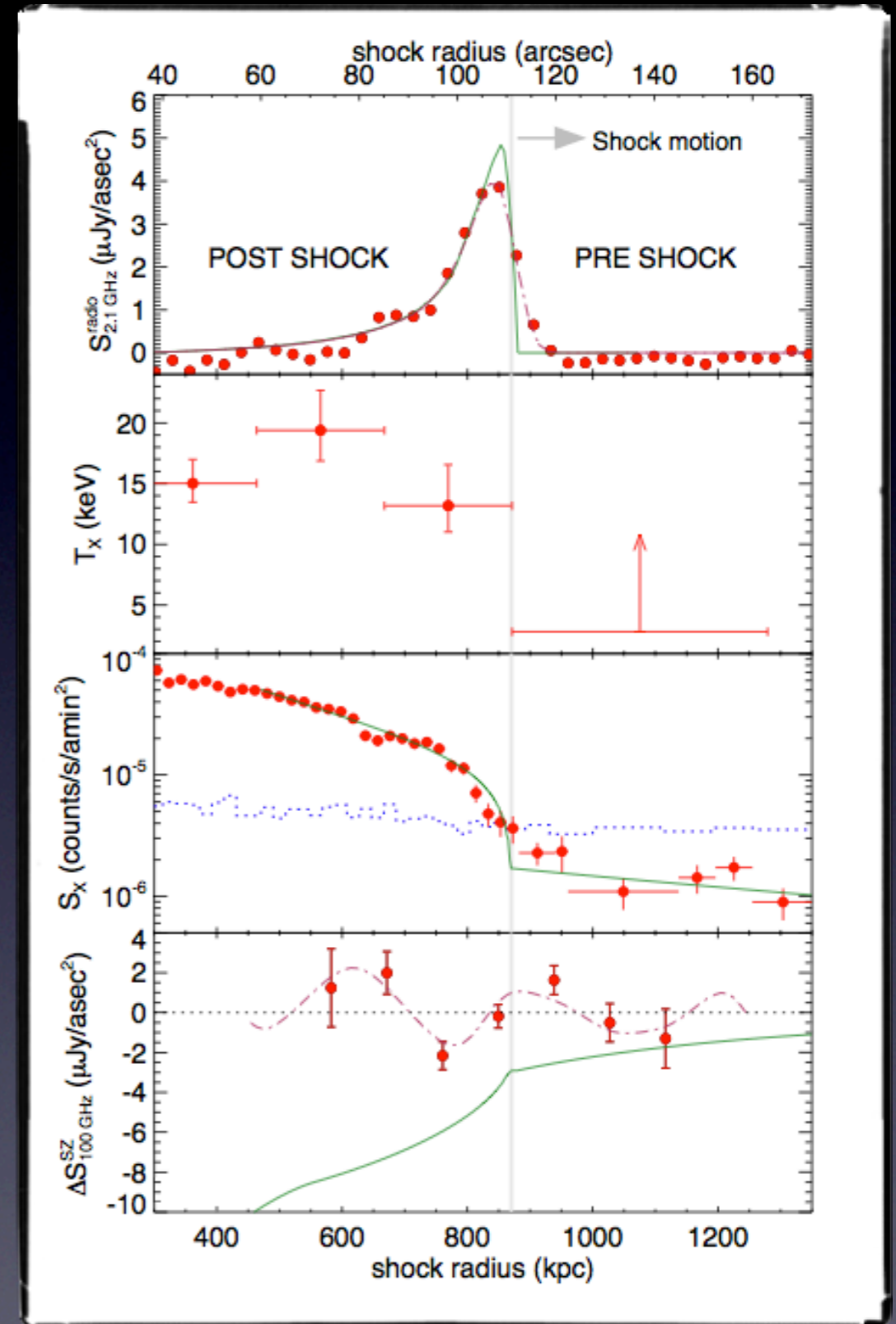
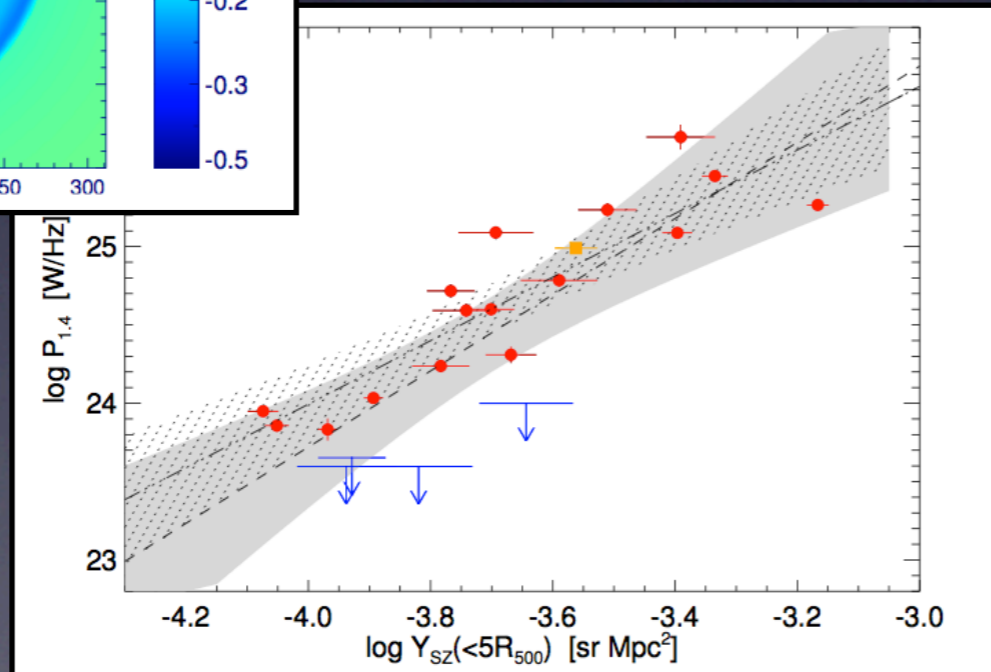
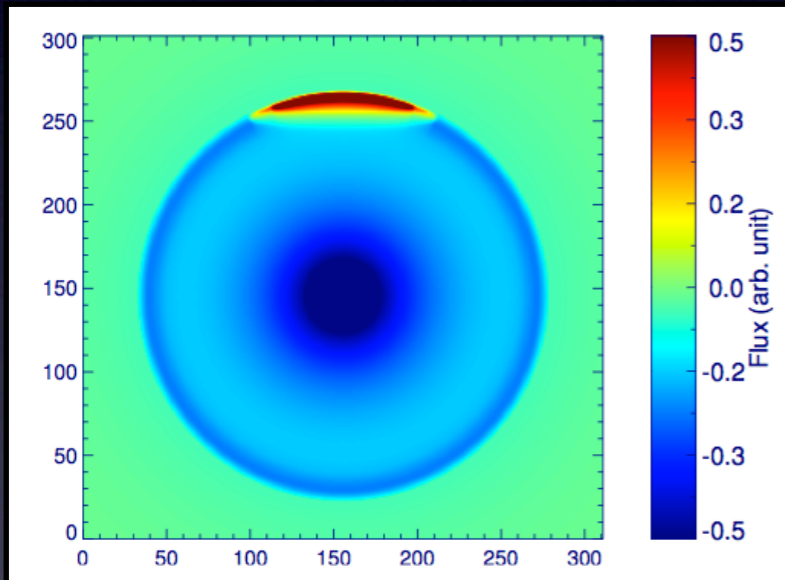
with Martin Sommer (Bonn), Jens Erler (Bonn), Franco Vazza (Hamburg), Dominique Eckert (Geneva), a.o.

“Thermal / Non-thermal Connection”

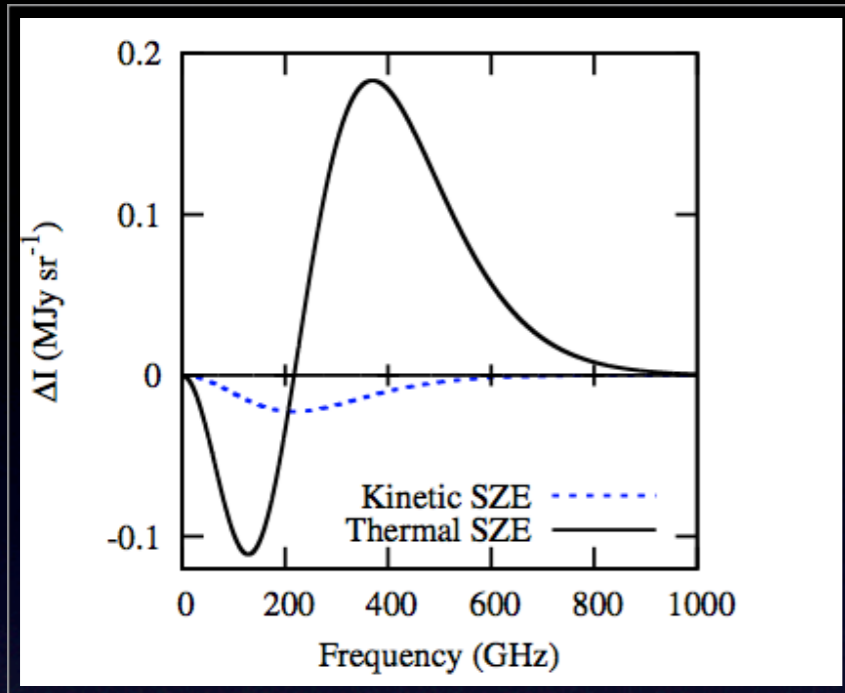


By “thermal” I will mostly talk about the Sunyaev-Zel'dovich (SZ) effect

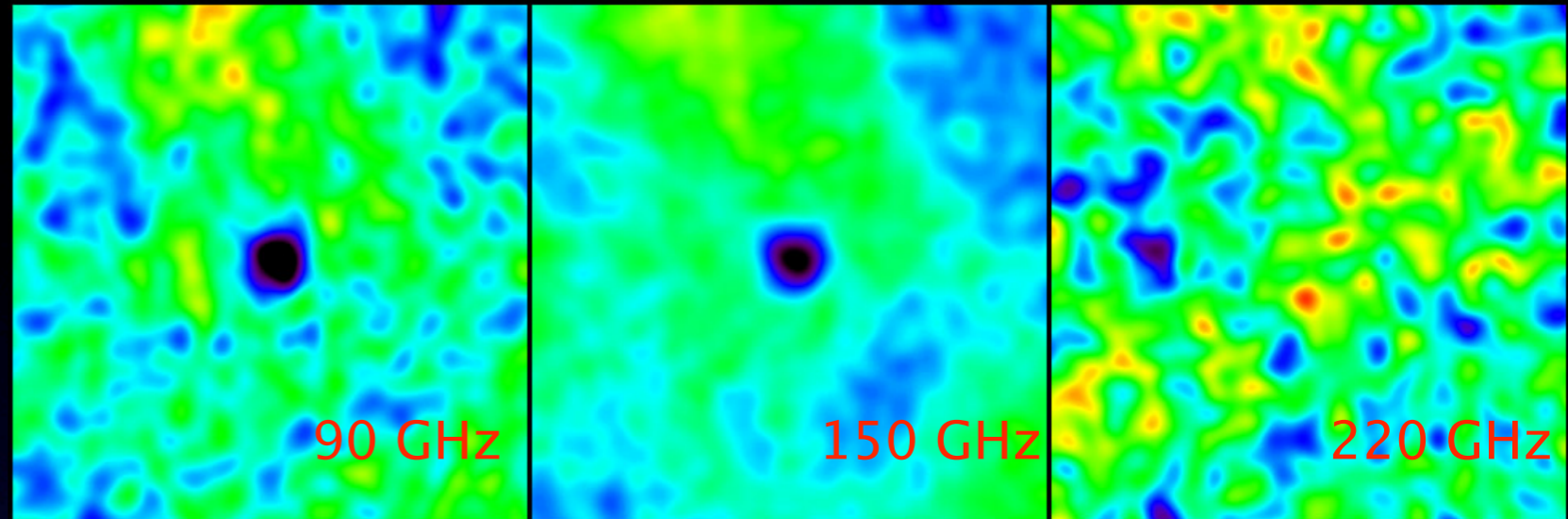
By “connection” I will try to emphasize the interdependence on selection, observation and modeling



The Sunyaev-Zel'dovich (SZ) effect



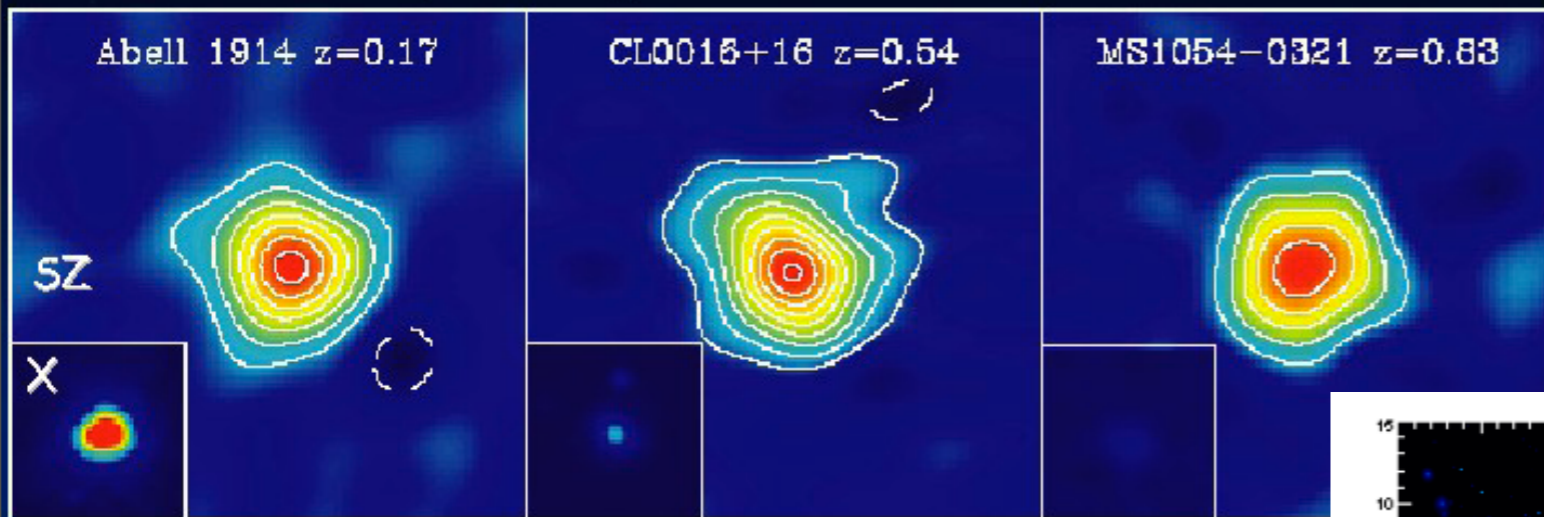
SPT collaboration



Carlstrom et al.

Line-of-sight signal:

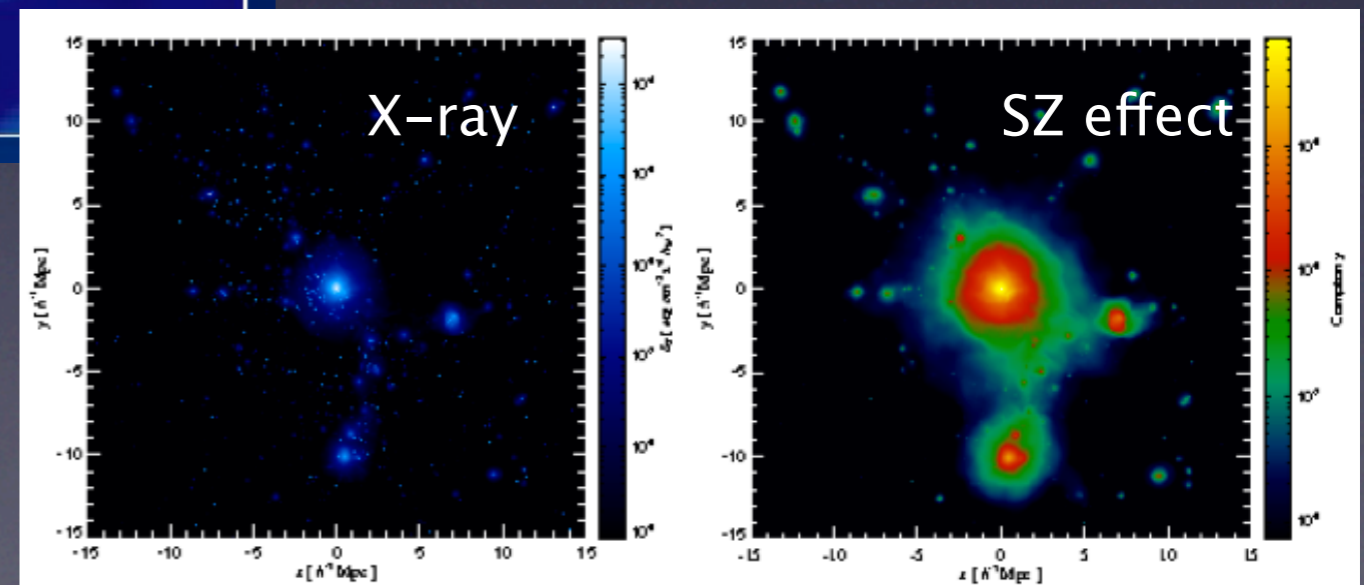
$$\frac{\Delta T}{T_{\text{CMB}}} = g(x) \int n_e(l) \frac{k_B T_e(l)}{m_e c^2} dl$$



Pfrommer et al. (sims)

Integrated signal:

$$\Delta S_\nu = \int \Delta I_\nu d\Omega \propto \frac{\int n_e T_e dV}{D_A^2} \propto \frac{f_{\text{gas}} M_{\text{tot}} T_e}{D_A^2}$$



An SZ tale of Two Phenomena

Radio Halos:

- Radio–SZ scaling relation for giant radio halos
- Radio halo statistics from SZ & X–ray selection in an unbiased way
- Follow–up observations of Planck clusters: high RH fraction confirmed
- Galaxy cluster merger rate — new tool for cosmology

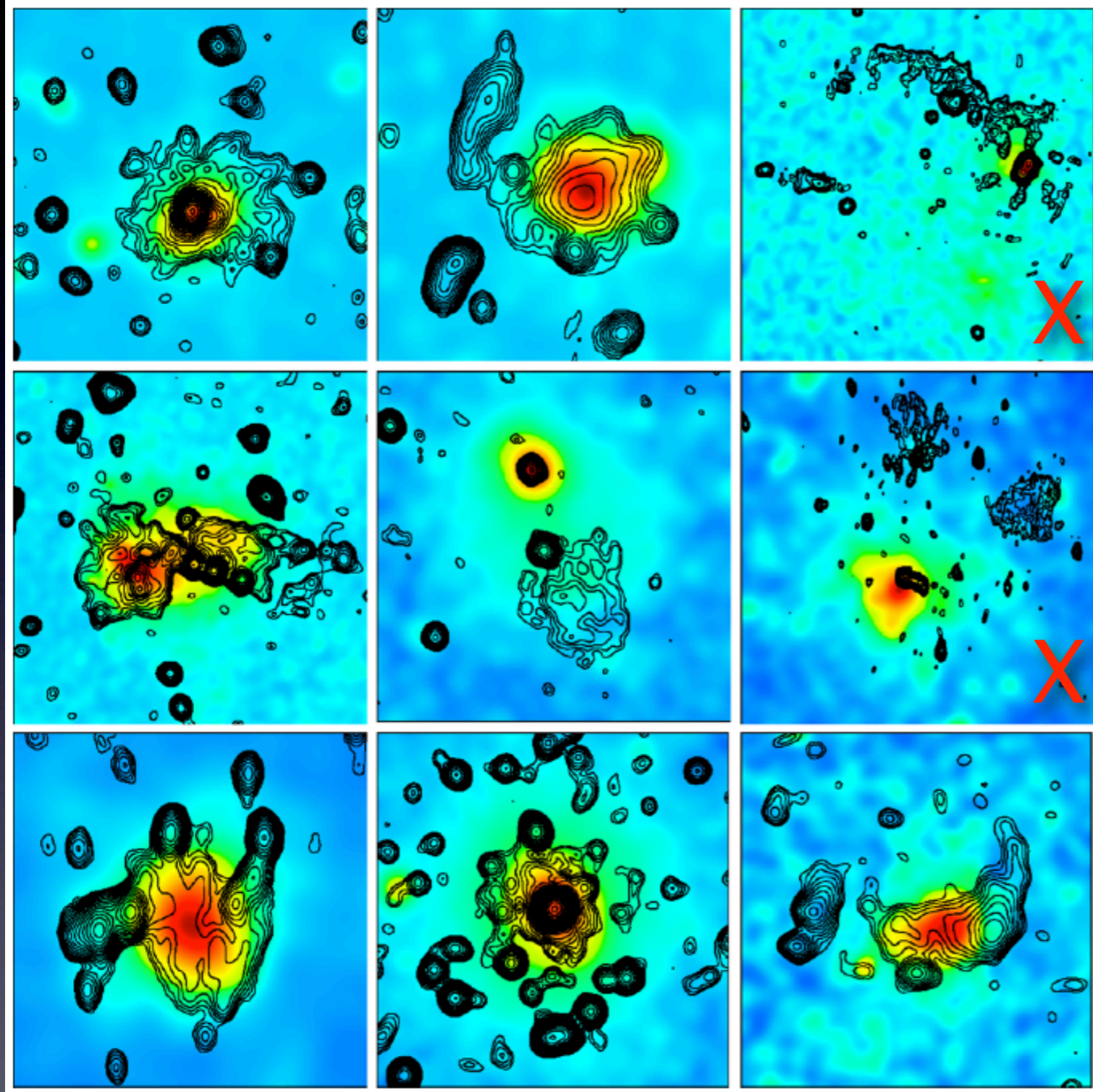
Basu (2012) ■ Sommer & Basu (2014) ■ Basu, Sommer et al. (2016) ■ and others

Radio Relics:

- SZ contamination in GHz–frequency relic observations
- First measured SZ shocks in radio relics: Coma & El Gordo
- SZ/X–ray/synchrotron joint modeling — tool for cluster astrophysics

Erlor, Basu et al. (2015) ■ Basu, Vazza et al. (2016) ■ Basu, Sommer et al. (2016)

Diffuse radio emission in clusters



Radio halos: $L_{1.4 \text{ GHz}} \sim 10^{24-25} \text{ W/Hz}$

- Mpc scale diffuse sources near cluster centers
- Low surface brightness and generally not polarized
- Mostly steep spectrum ($\alpha \sim 1.2$)
- Morphology roughly similar to X-ray or SZ emission, no severe projection bias

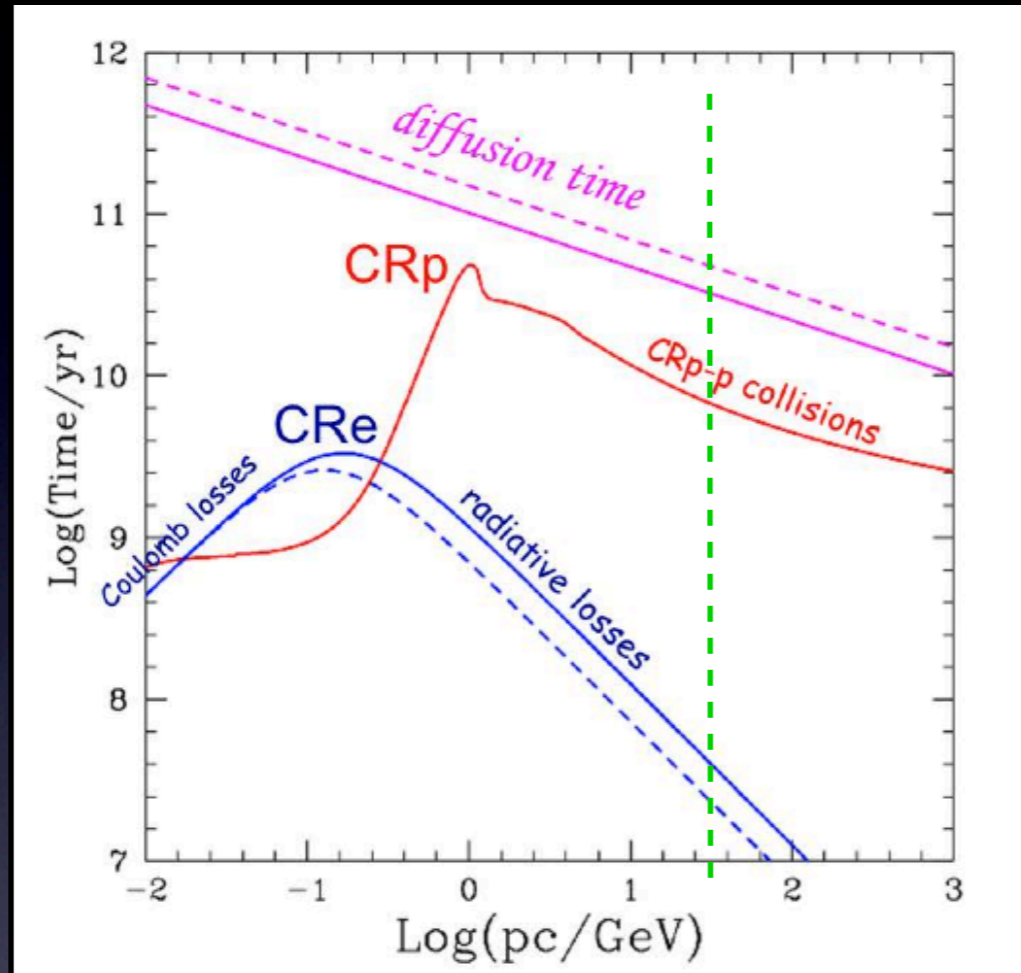
Halos & relics — both terrible misnomers!

Gallery taken from Feretti et al. (2012)

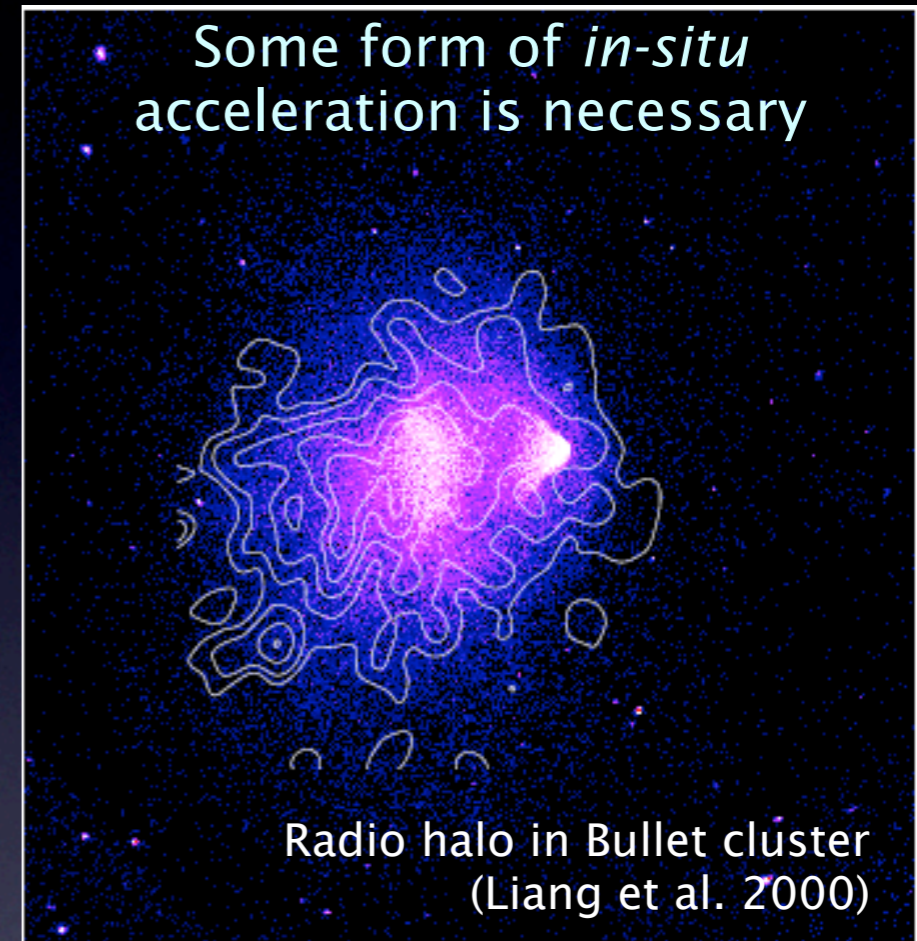
Color → X-ray

The radio halo problem

Radio halos imply GeV energy electrons filling up cluster volume ($\sim \text{Mpc}^3$).
But CRe lifetimes are much shorter ($\sim 10^8$ years) than cluster dynamic timescales.



(Brunetti & Jones 2014)



Primary models (or re-acceleration models):
electrons are accelerated in diffusive shocks via turbulence induced by cluster mergers, through inefficient Fermi-I process

Secondary models (or hadronic models):
 e^-/e^+ are produced from collision between thermal ions and cosmic ray protons, the latter having significantly longer lifetimes

Original competing models
for radio halo origin

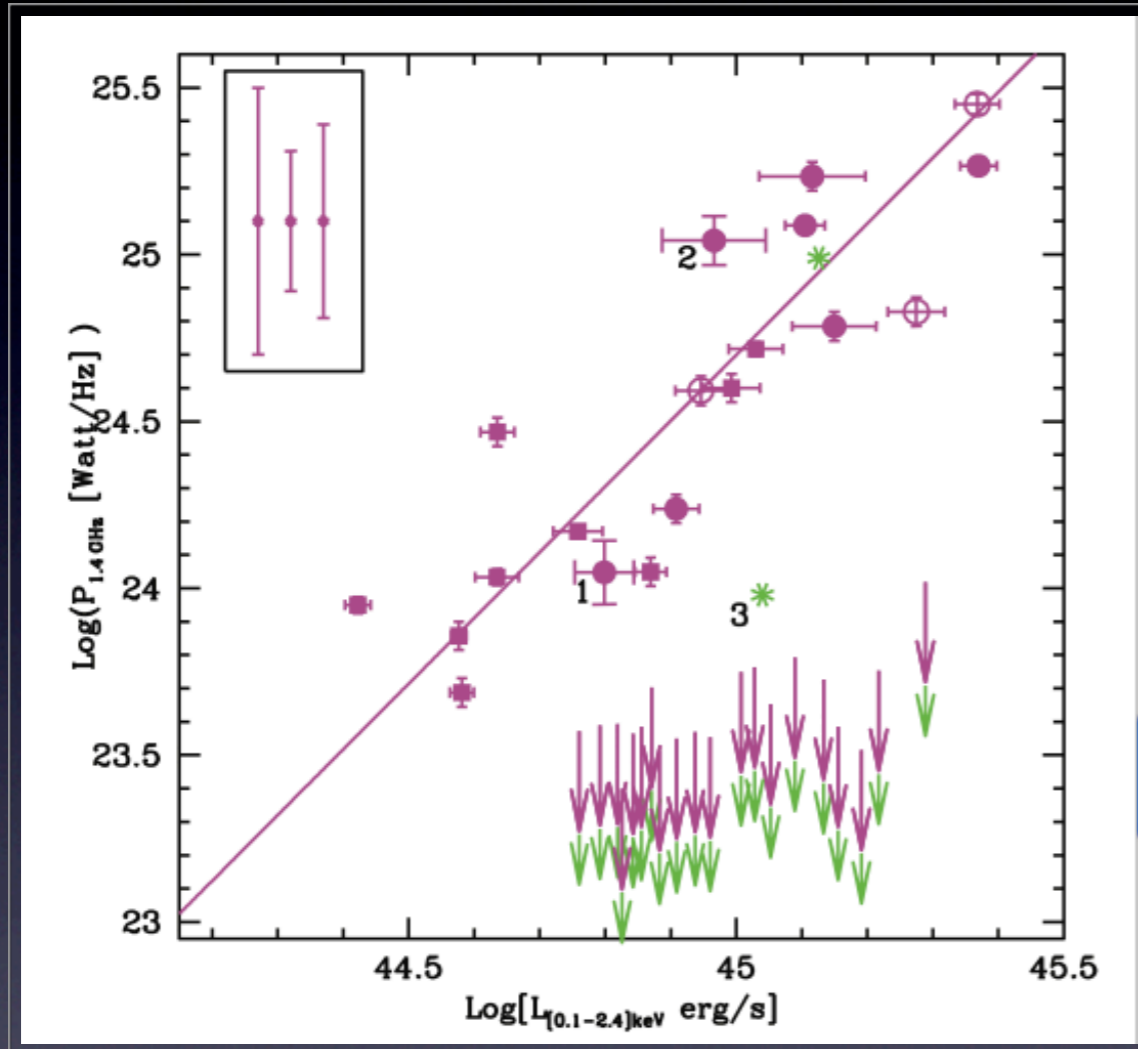


More complex
hybrid models

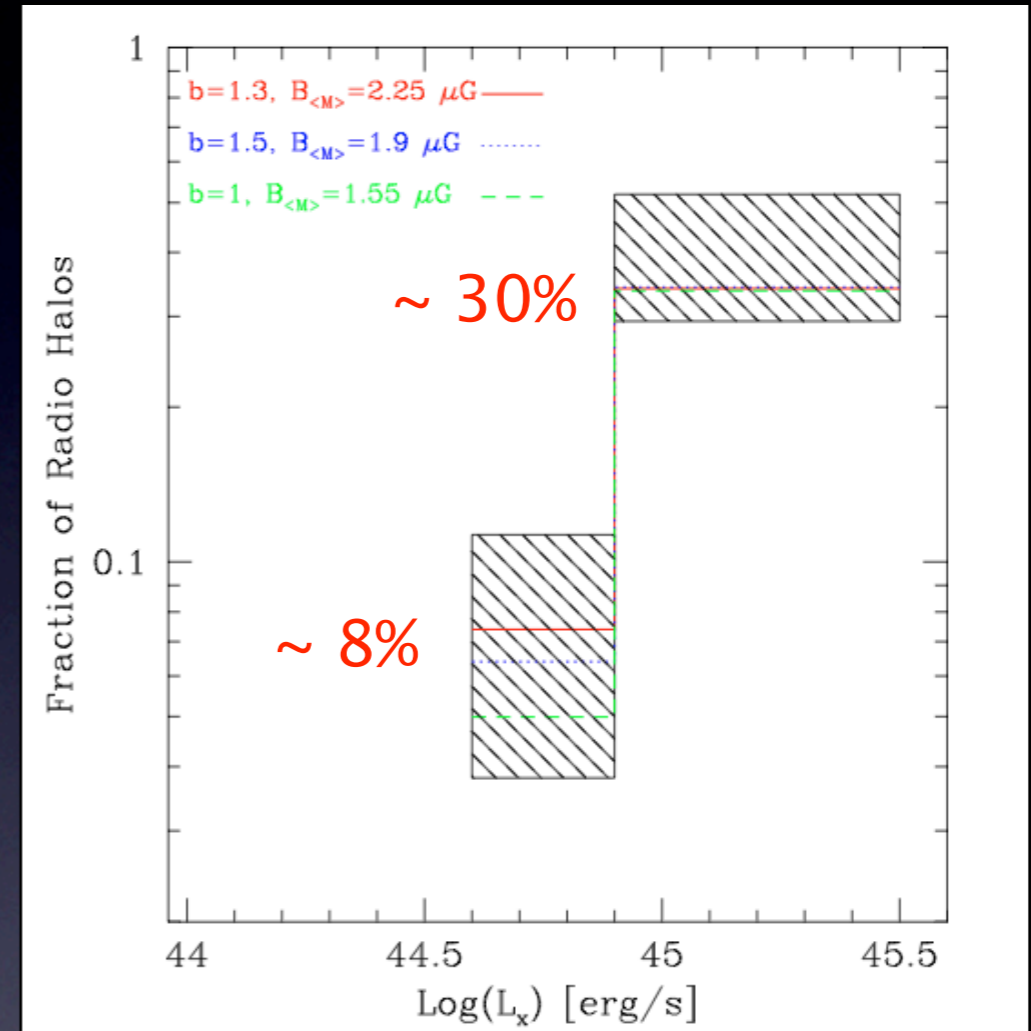
“Observational benchmarks” for radio halos

There is a strong bi-modality

They are rare **~40 known halos**



Brunetti et al. (2007)

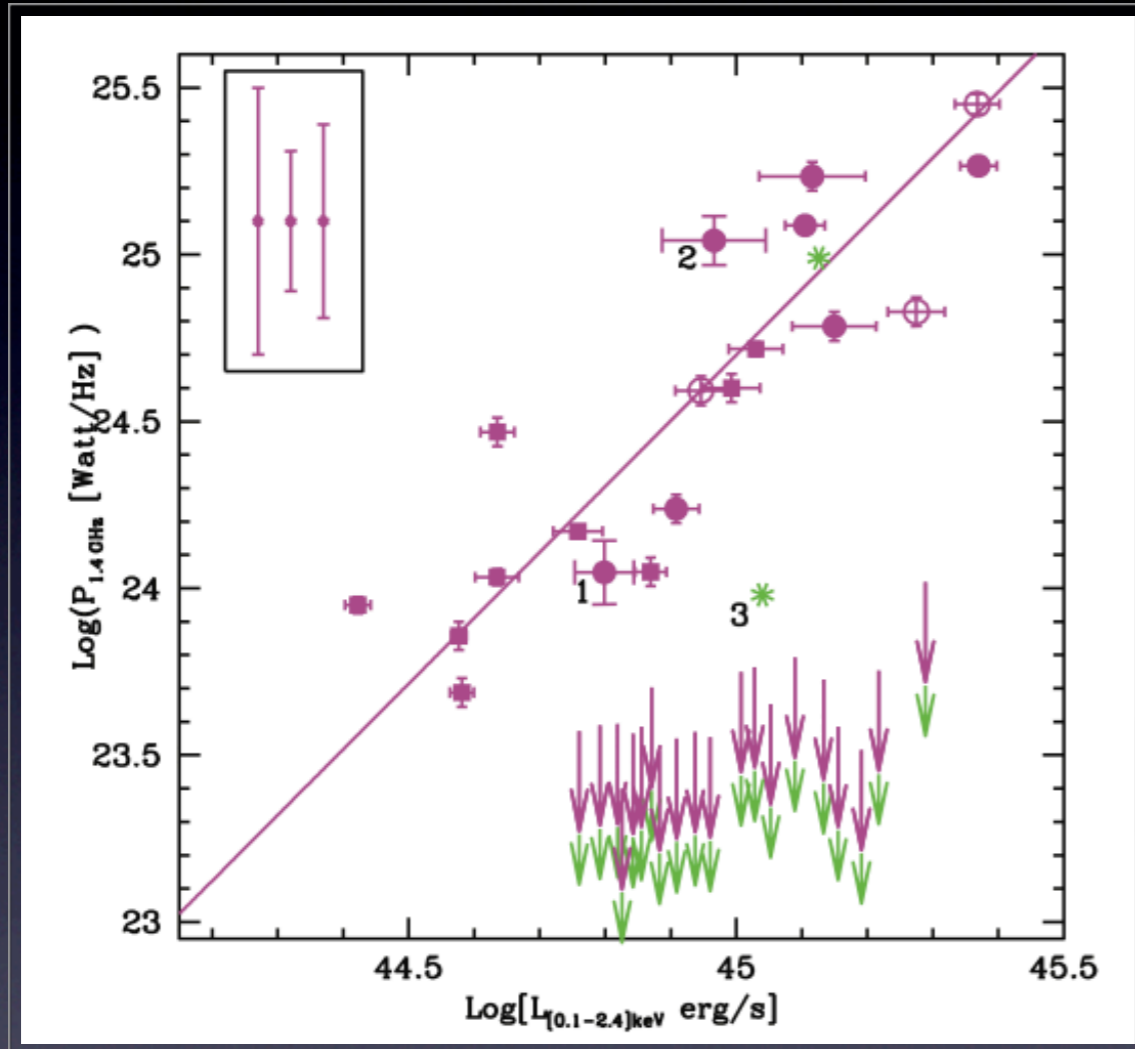


Cassano et al. (2010)

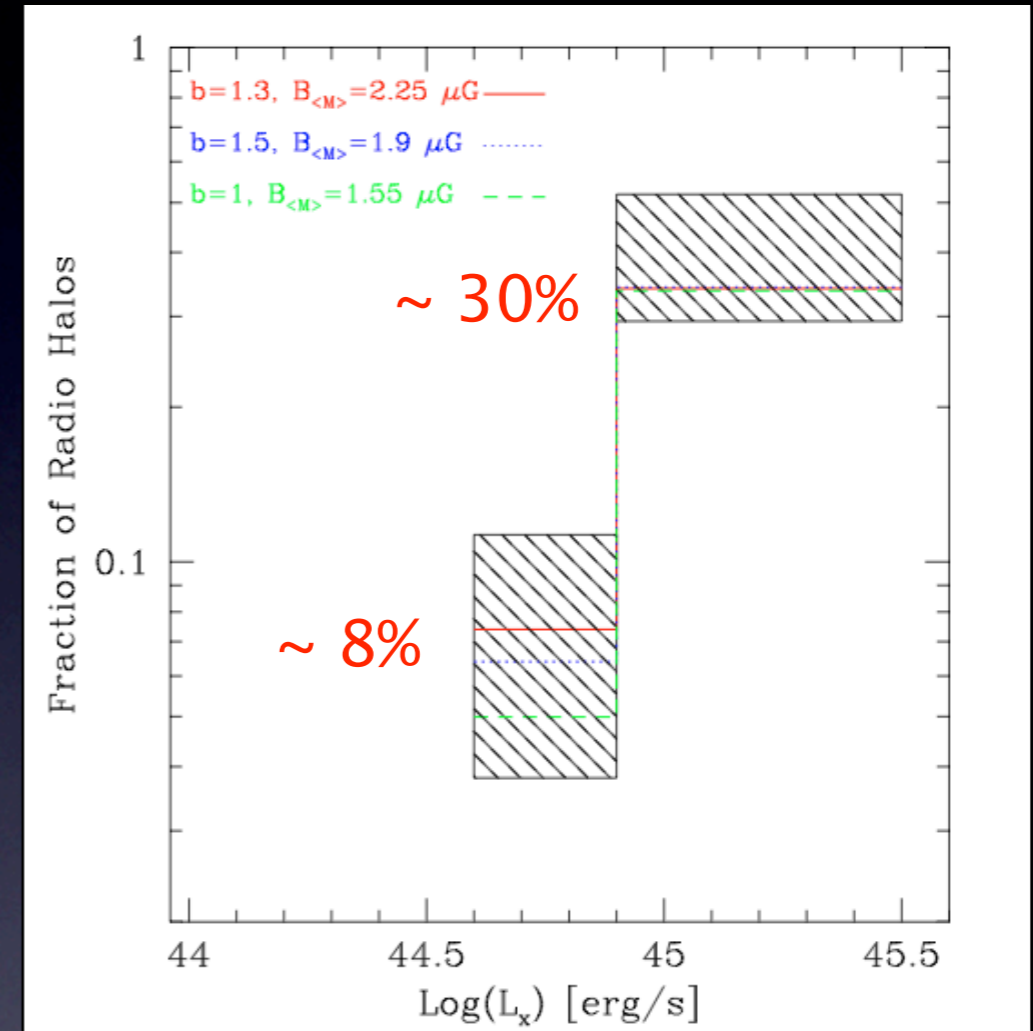
“Observational benchmarks” for radio halos

There is a strong bi-modality

They are rare ~40 known halos



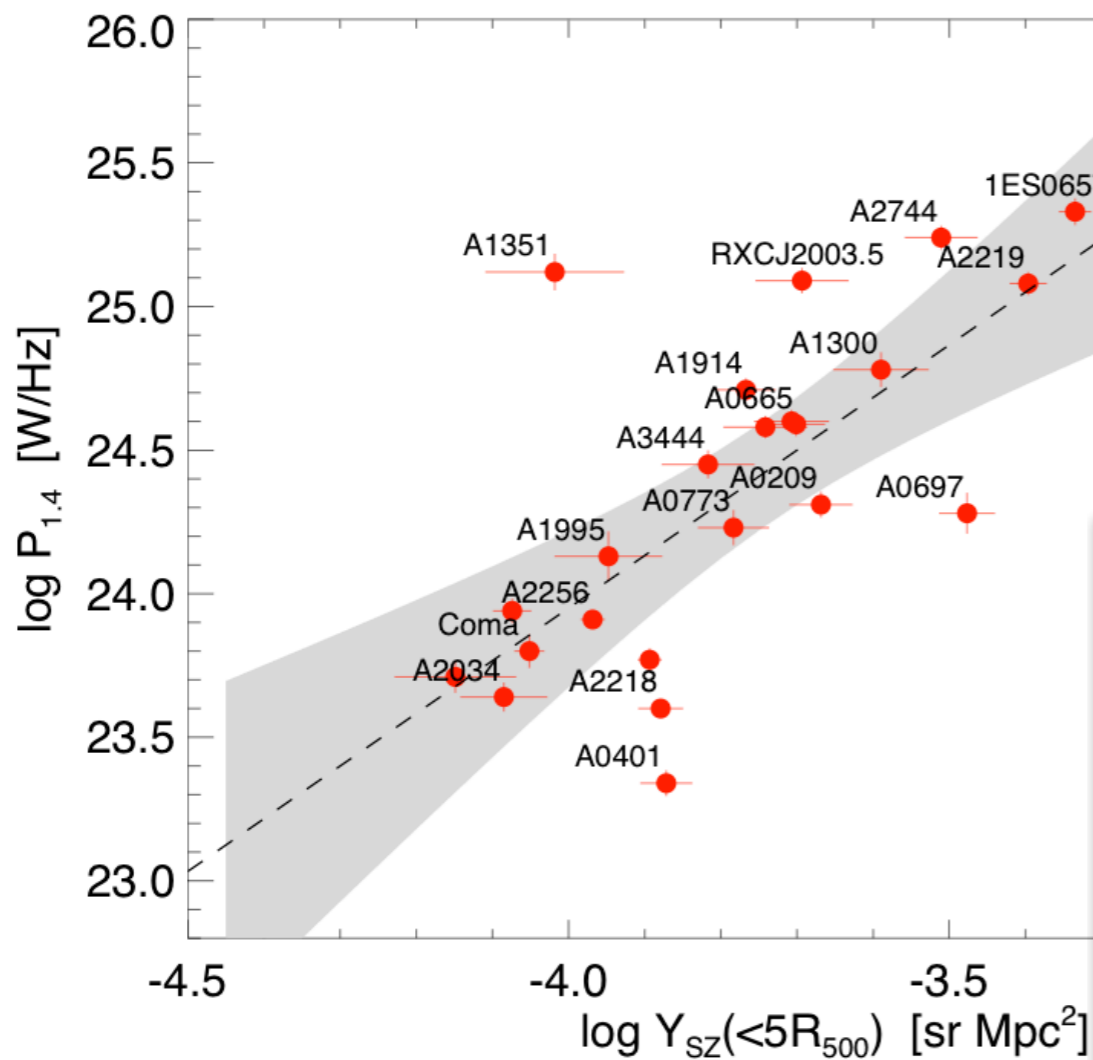
Brunetti et al. (2007)



Cassano et al. (2010)

WHAT'S THE SZ TAKE ON THESE?

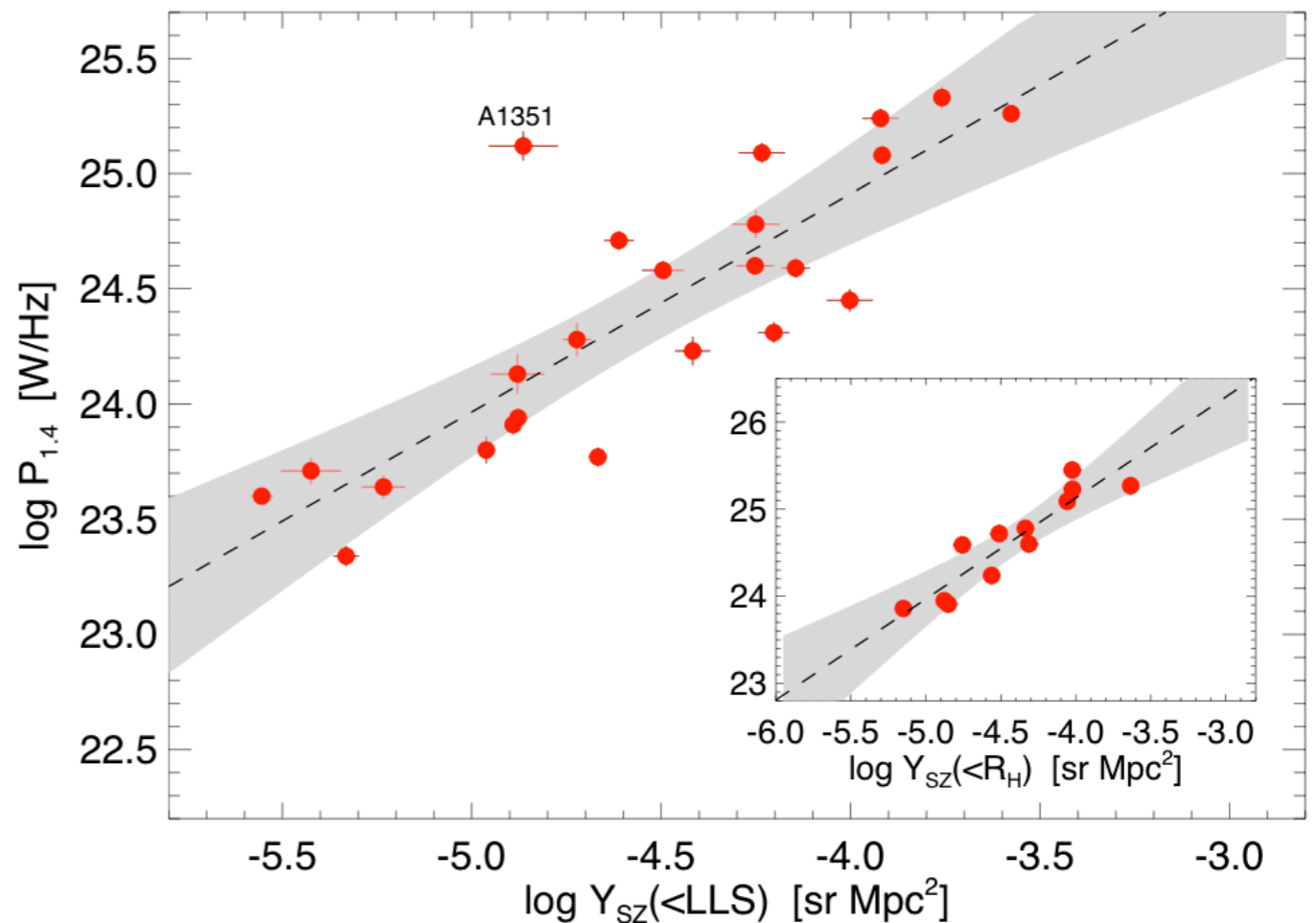
Radio - SZ Correlation



The cluster SZ signal and radio halo power are correlated (as expected from known X-ray correlation)

Basu (2012), MNRAS, 421

The correlation becomes tighter (and roughly linear) when the SZ signal is scaled to within the radio halo radius



Radio-SZ morphological connection

Radio-SZ morphological comparison can provide crucial test for the theory of radio halo origin

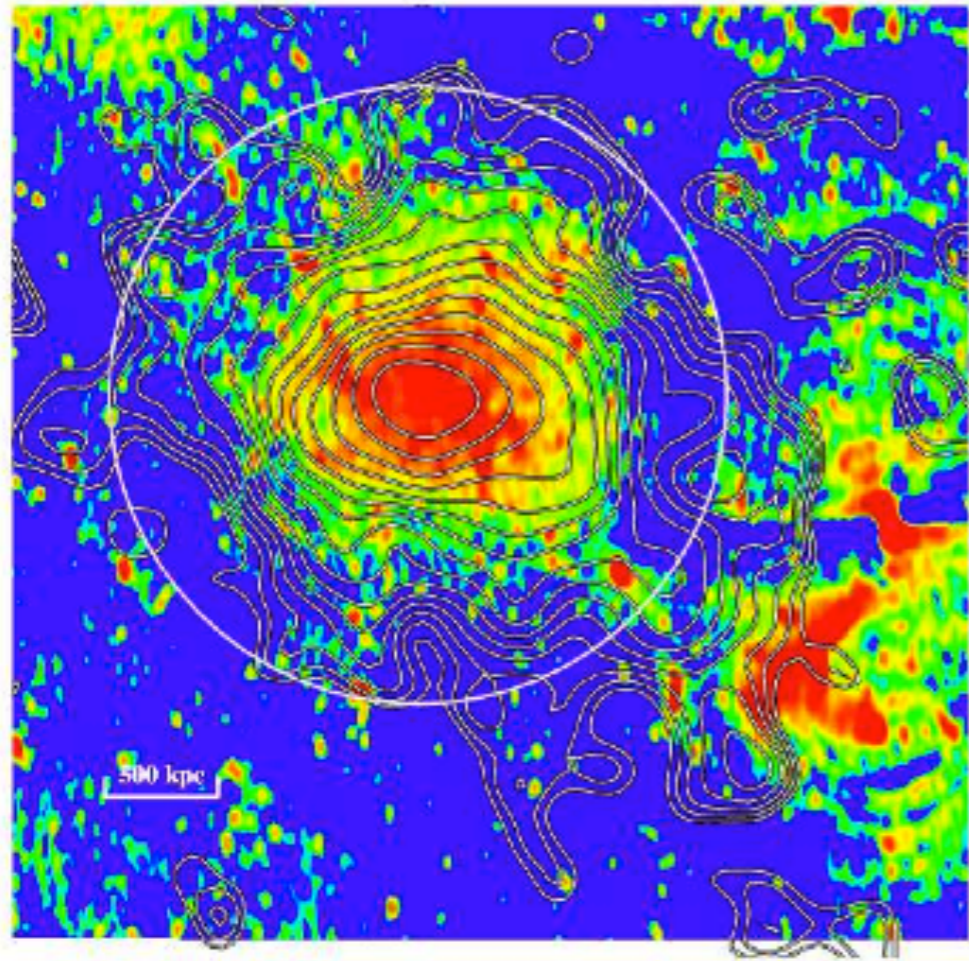
From very simplified theoretical estimates

Hadronic model with secondary creation of CR electrons:

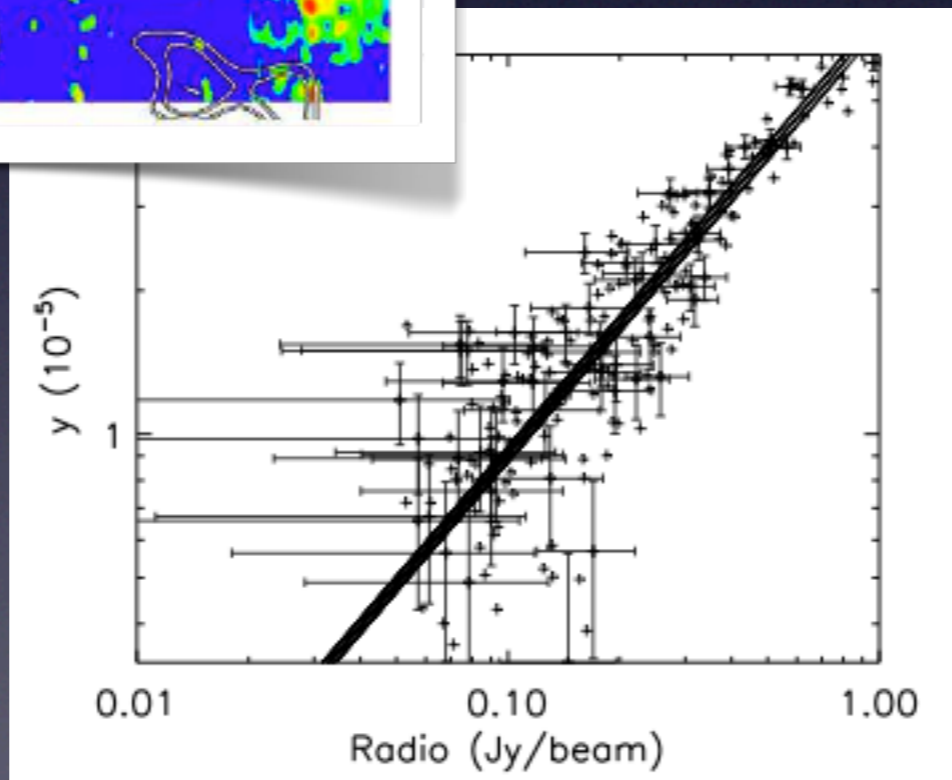
$$\epsilon_r \propto n_e \propto y/T$$

Primary models with turbulent re-acceleration of CR electrons:

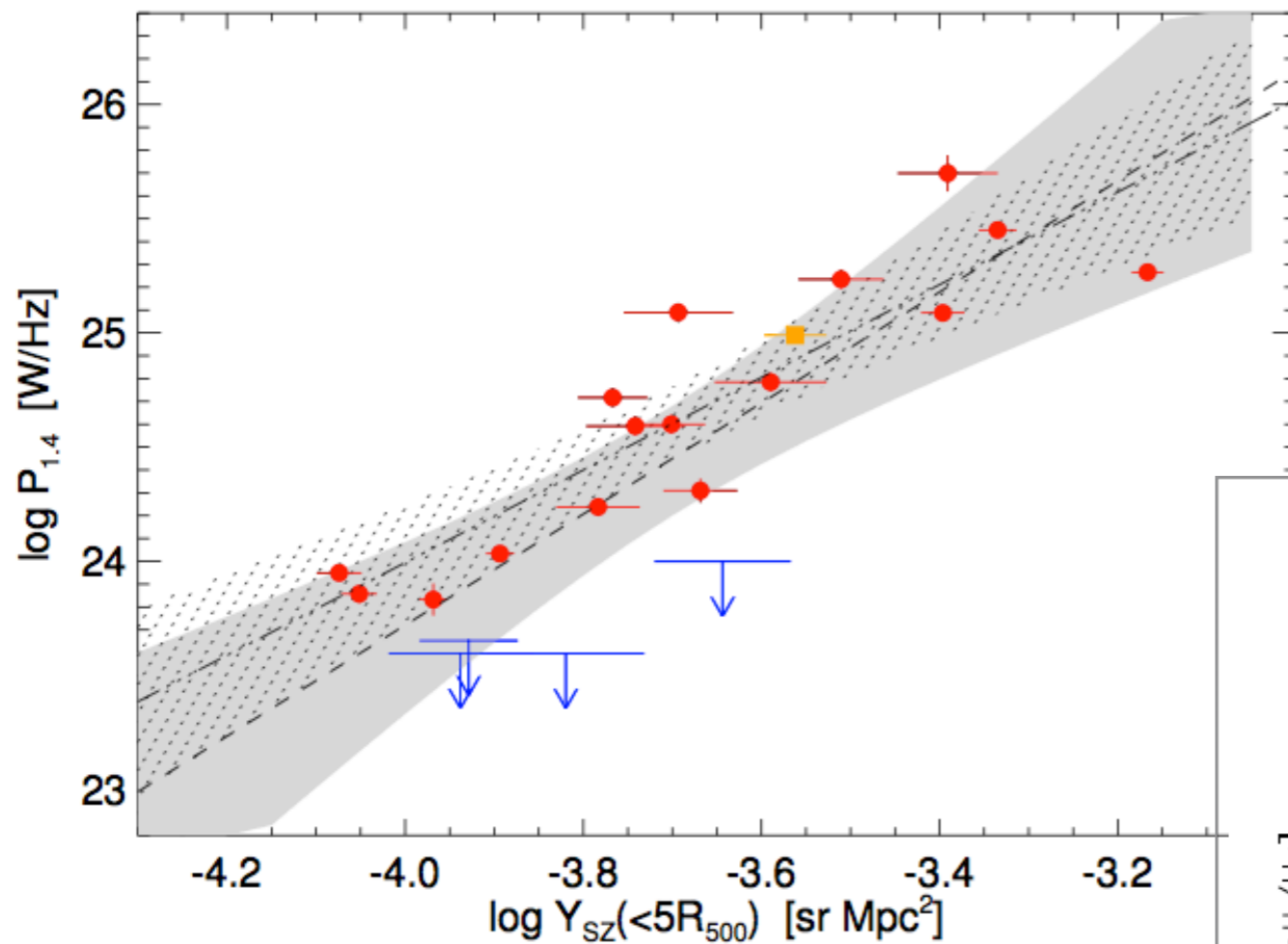
$$\epsilon_r \propto n_e T^{1.5} \propto y \sqrt{T}$$



Planck collaboration result for Coma (2013)

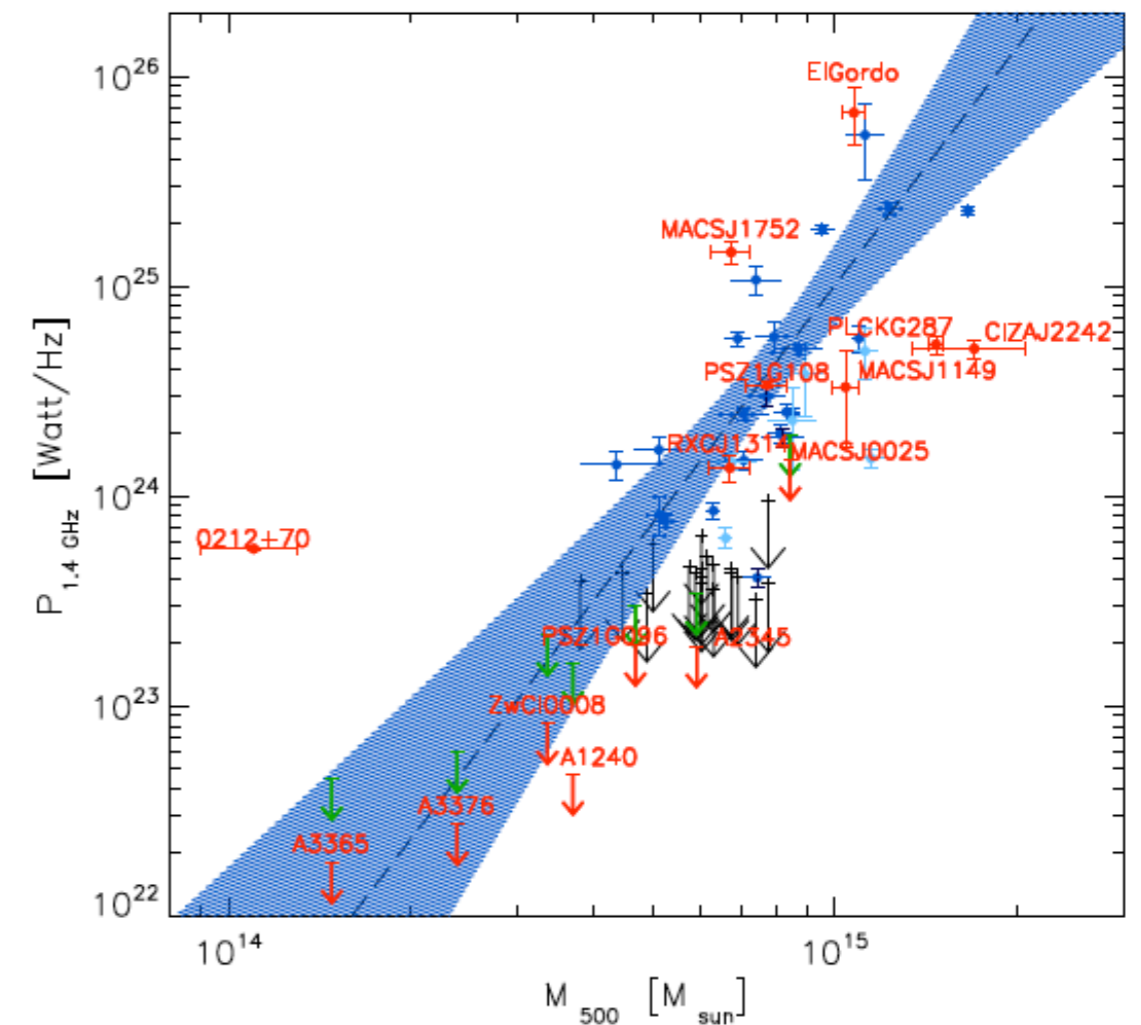


Reduced bi-modality in SZ



We found from *a posteriori* selection of radio halo clusters, taken from the Planck catalog, that the bi-modality is weak in the radio-SZ correlation.

But this is not enough: we need statistics from *a priori* SZ selection

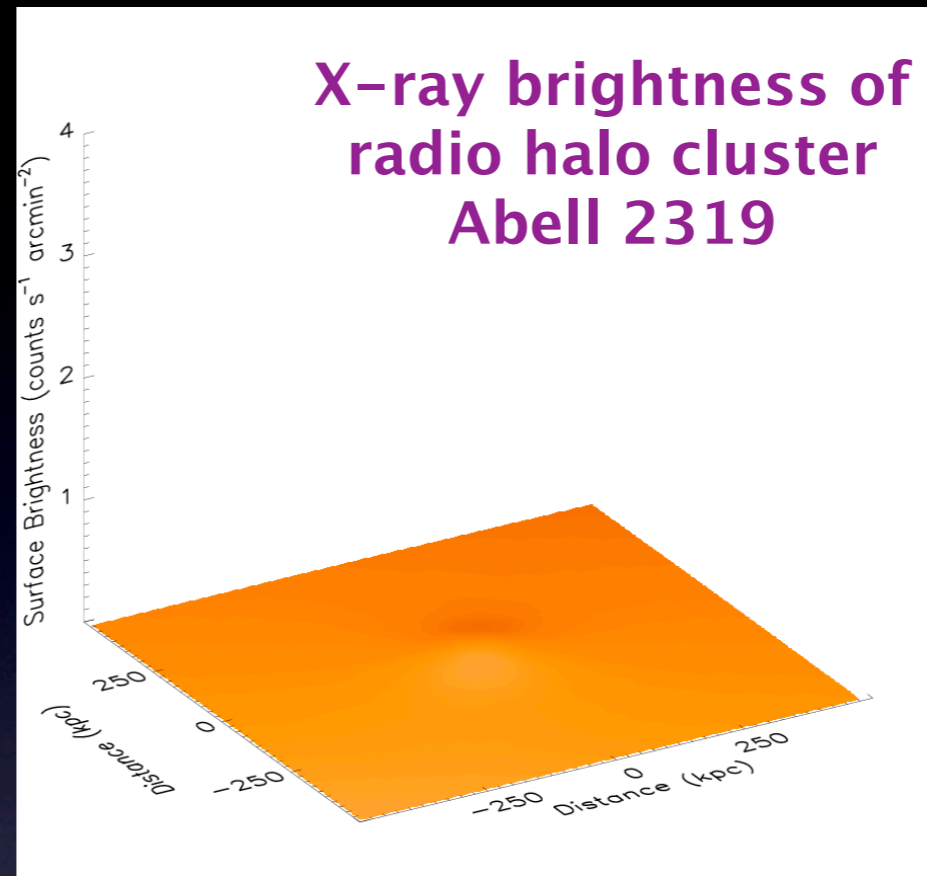
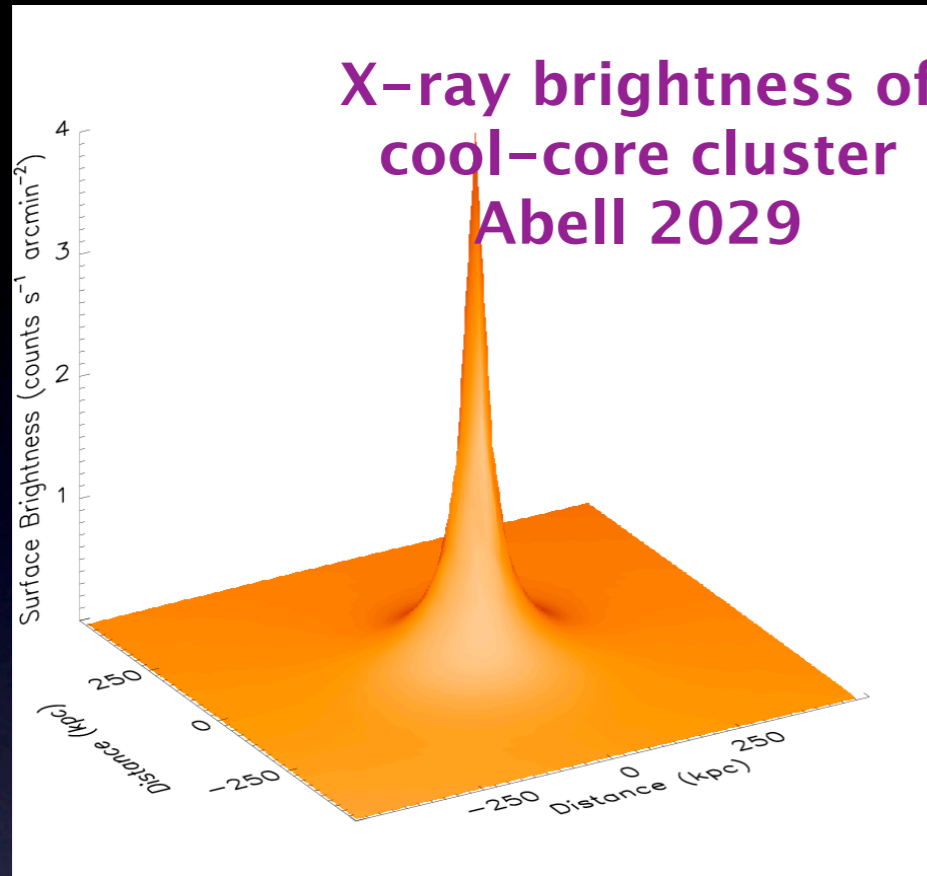


Basu (2012), MNRAS, 421

State-of-the-art
(Bonafede et al. 2017)

Appearance of strong bimodality: X-ray CC bias

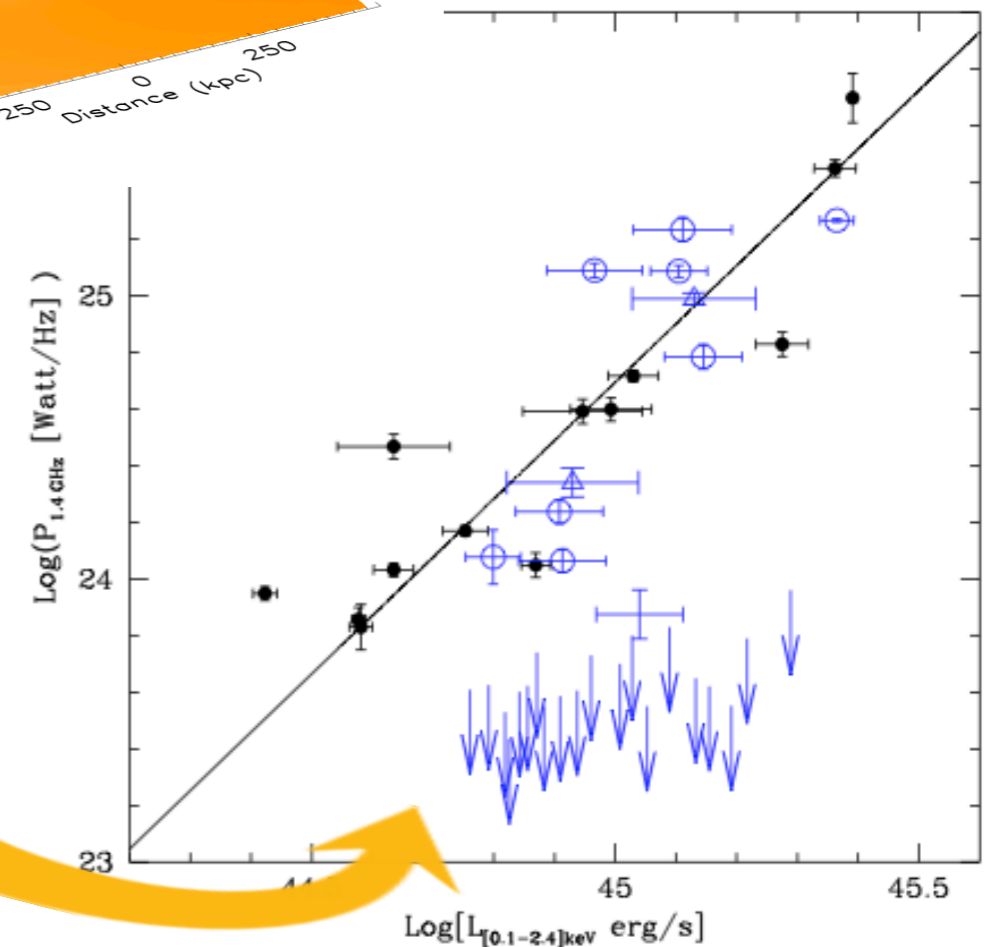
Million & Allen (2009)



Relaxed, *cool-core clusters* are a minority, but they are over represented in X-ray flux limited samples

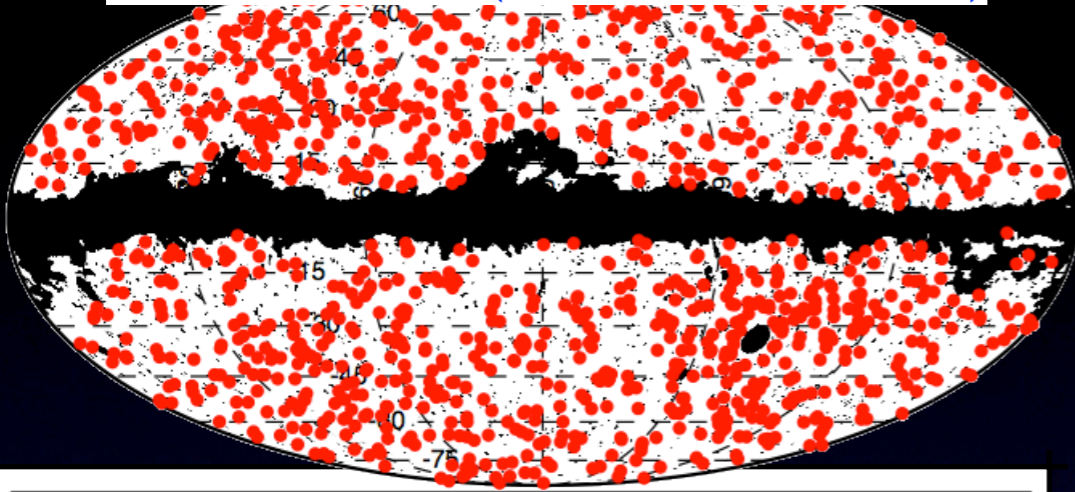
These systems generally do not host giant radio halos

→ producing a **strong** bi-modal distribution in X-rays



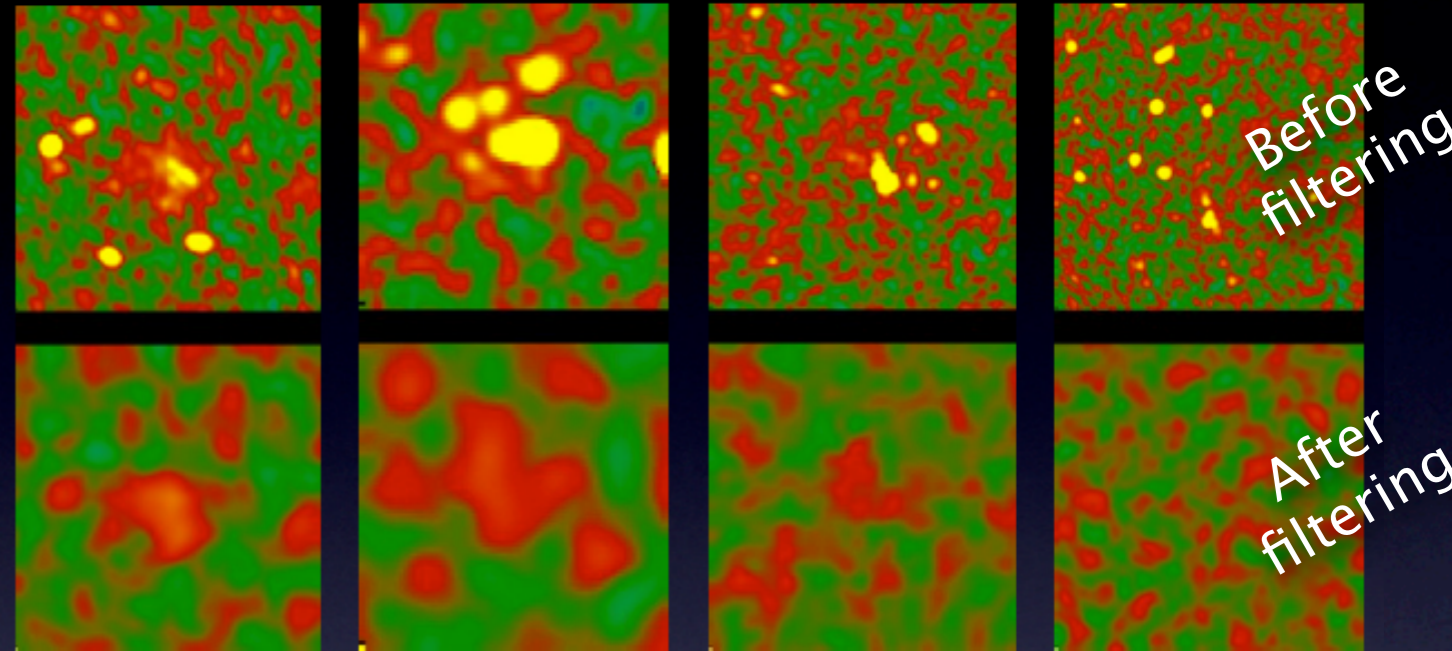
Towards a proper selection

PSZ1 clusters (Planck coll. 2013)

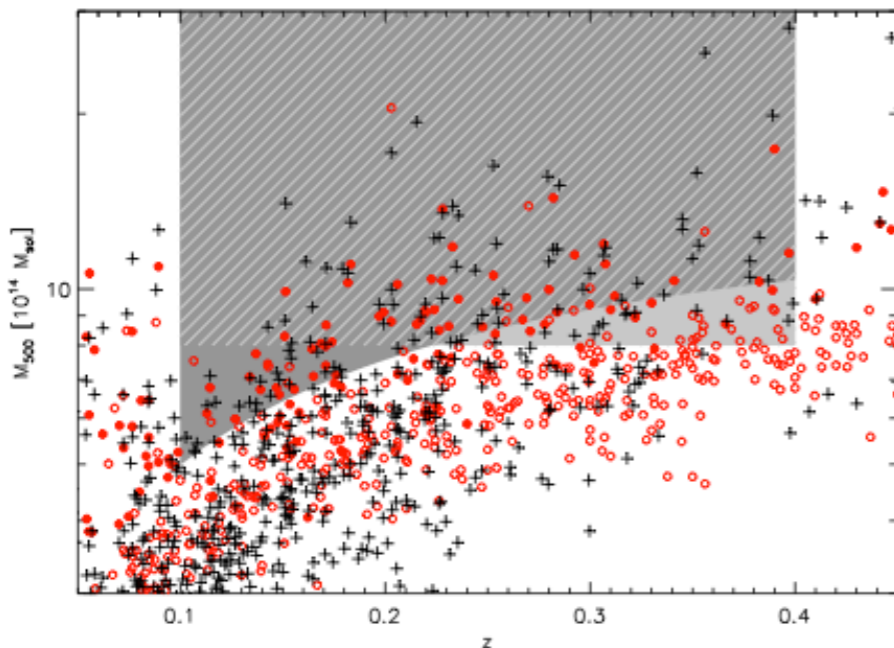


For an unbiased comparison between SZ and X-ray selections, we first used the NVSS data (Sommer & Basu 2014)

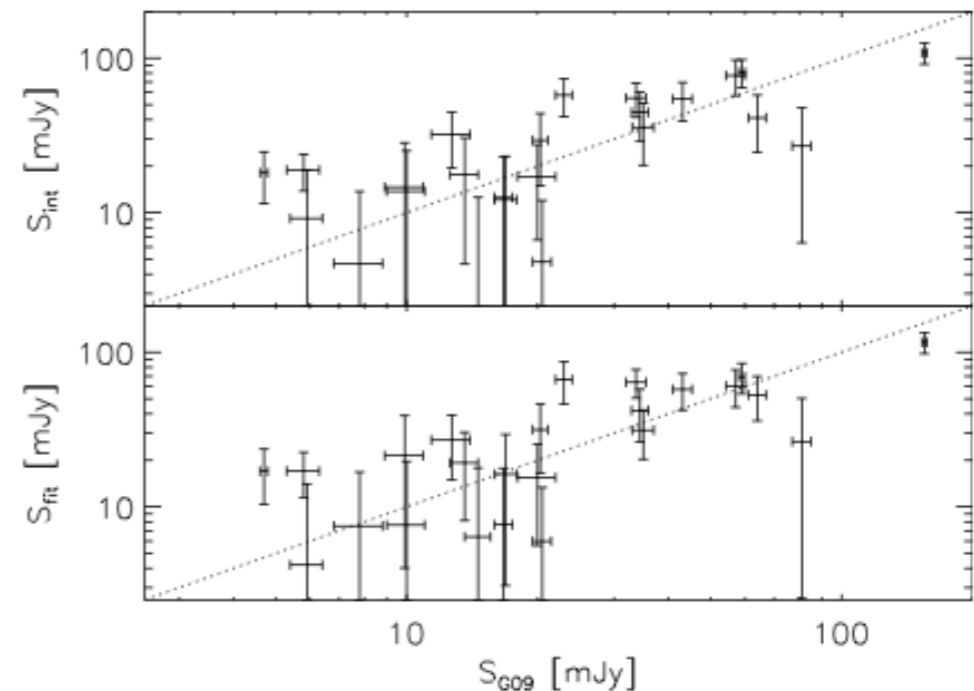
Sub-sample	Mass limit	Primary selection	Flagged due to bad data	Final sample
PSZ(V)	z -dependent	90	1	89
X(V)	z -dependent	86	1	85
PSZ(C)	$8 \times 10^{14} M_{\odot}$	79	0	79
X(C)	$8 \times 10^{14} M_{\odot}$	78	1	77



Sommer & Basu (2014), MNRAS, 437



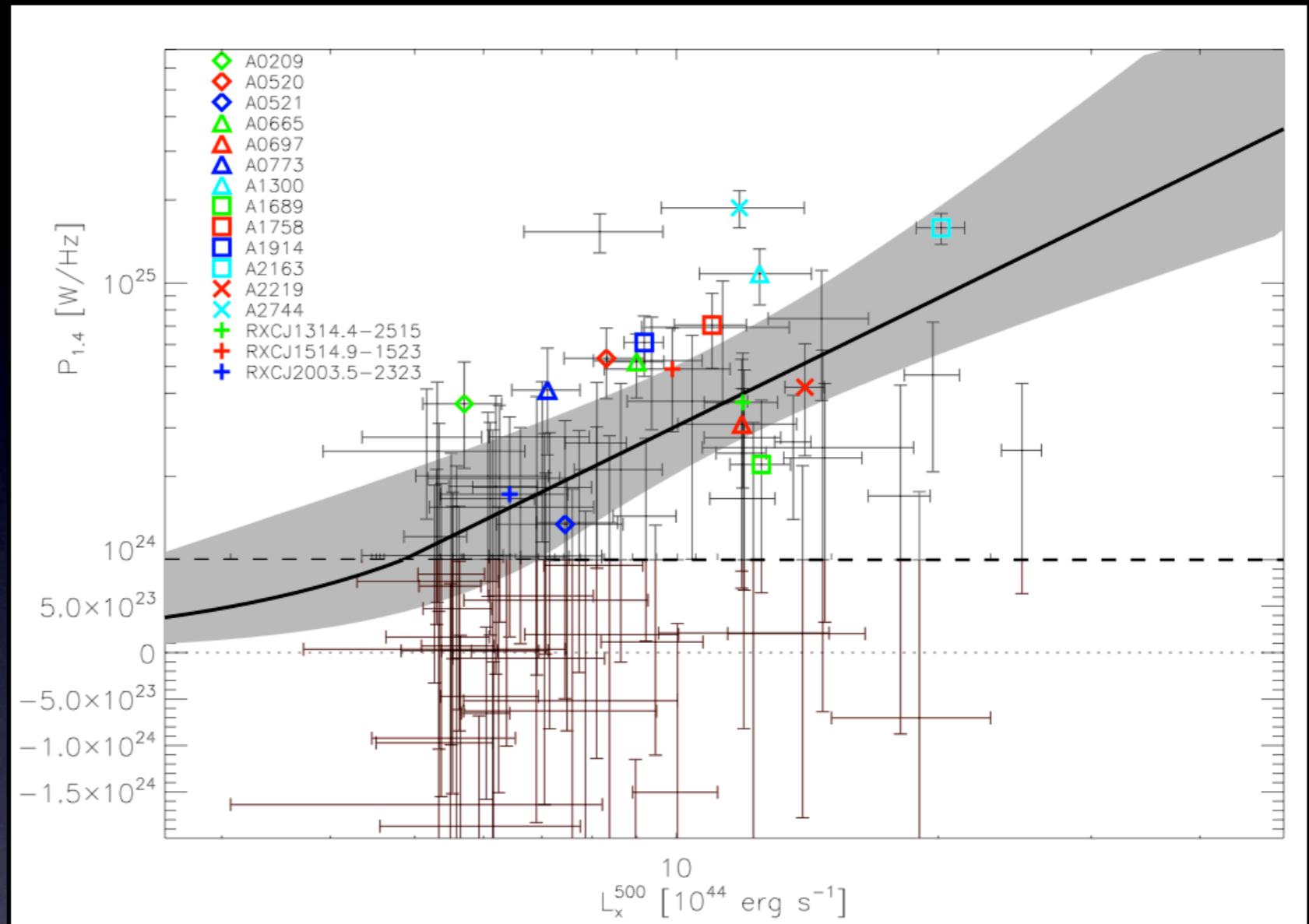
Flux comparison with individual detections (Giovannini et al. 2009)



Noisy detections with NVSS radio data

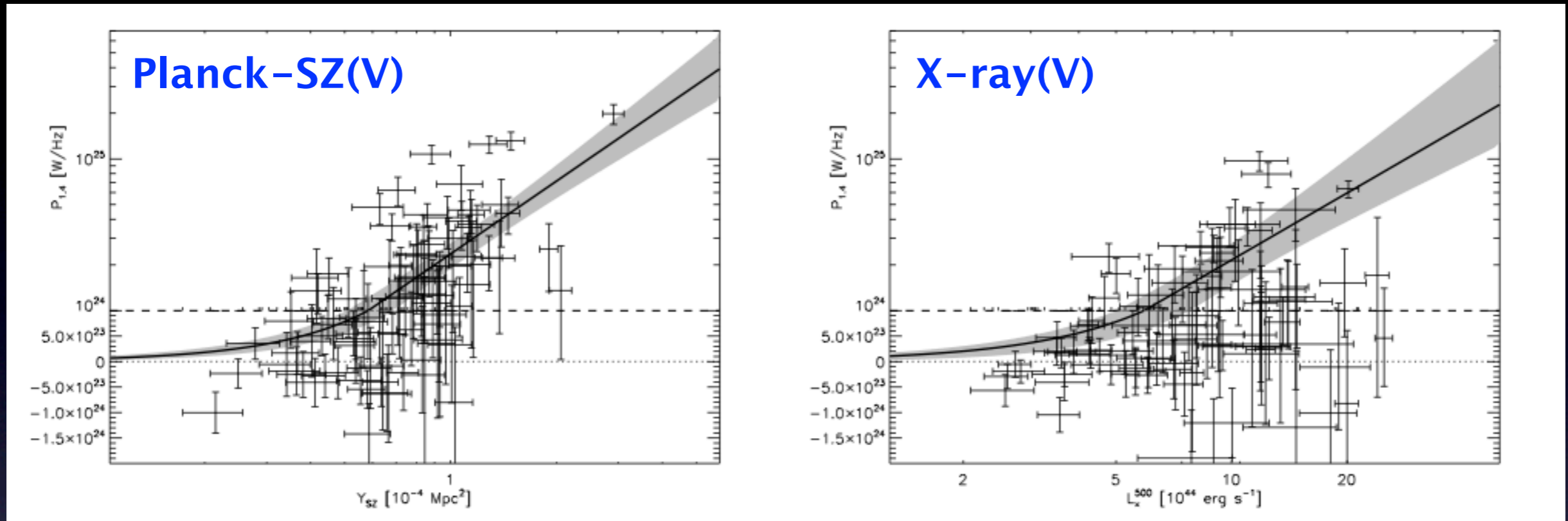
Most of our cluster radio halos from NVSS are non-detections. But we can find the $L_{1.4}$ - Y_{SZ} scaling and the “off state” fraction statistically.

We ran extensive null tests and simulations for potential systematic biases.



We fit a **regression model** that includes errors in both direction, intrinsic scatter, non-detections *and a dropout fraction* (i.e. zero population).

Results for SZ/X-ray selection

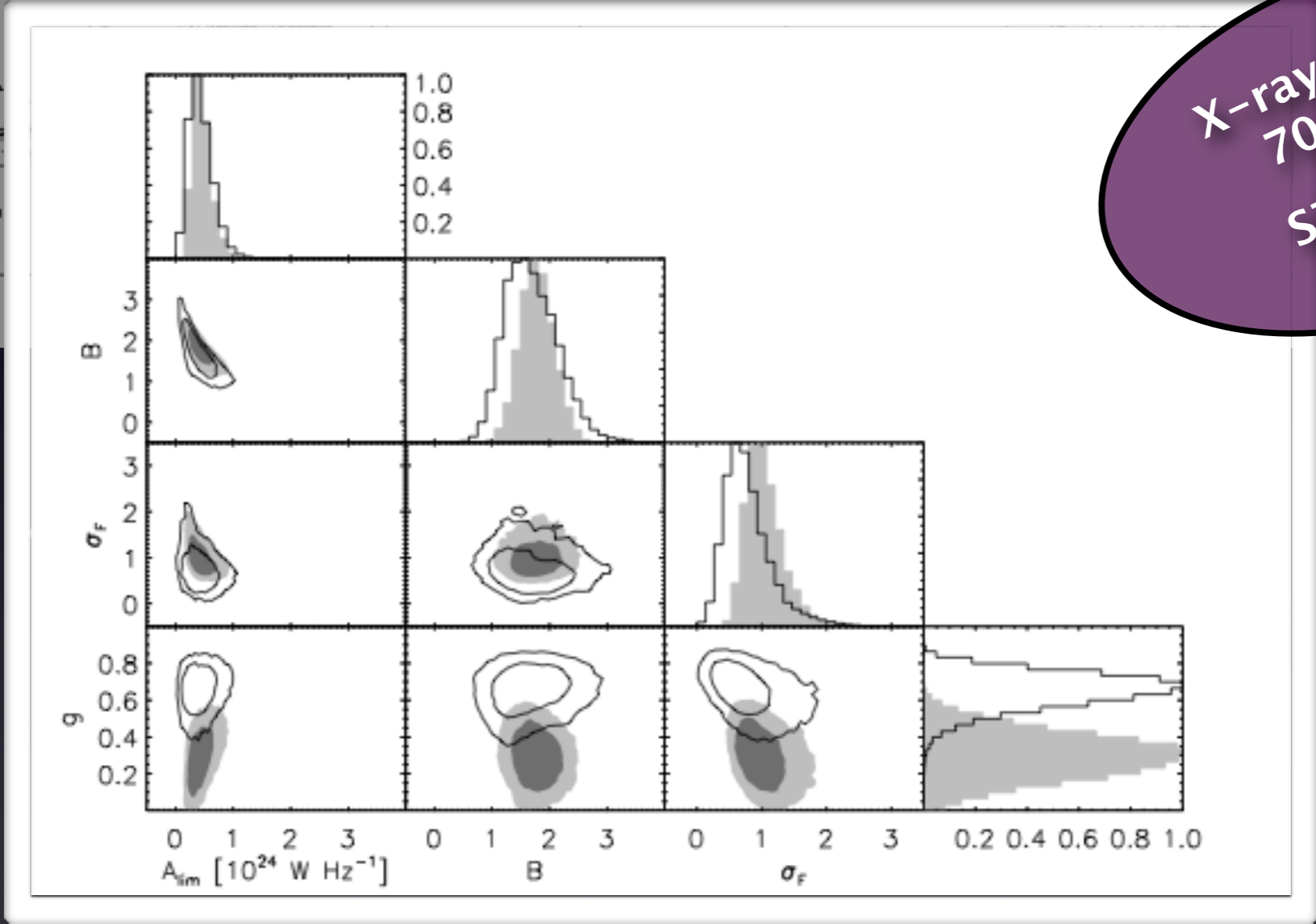
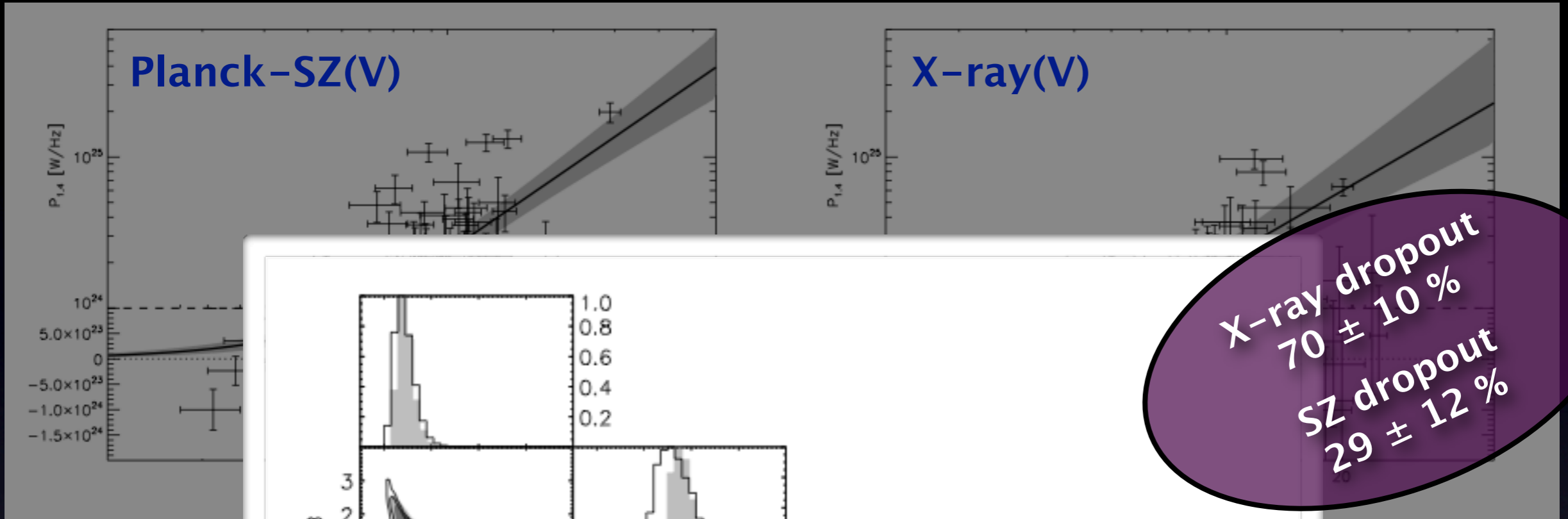


We fit simultaneously for an “on-correlation” population and a “zero” population for both SZ and X-ray sub-samples

The “on-correlation” populations give consistent mass scaling, with large scatter

But the zero-populations are significantly different!

Results for SZ/X-ray selection



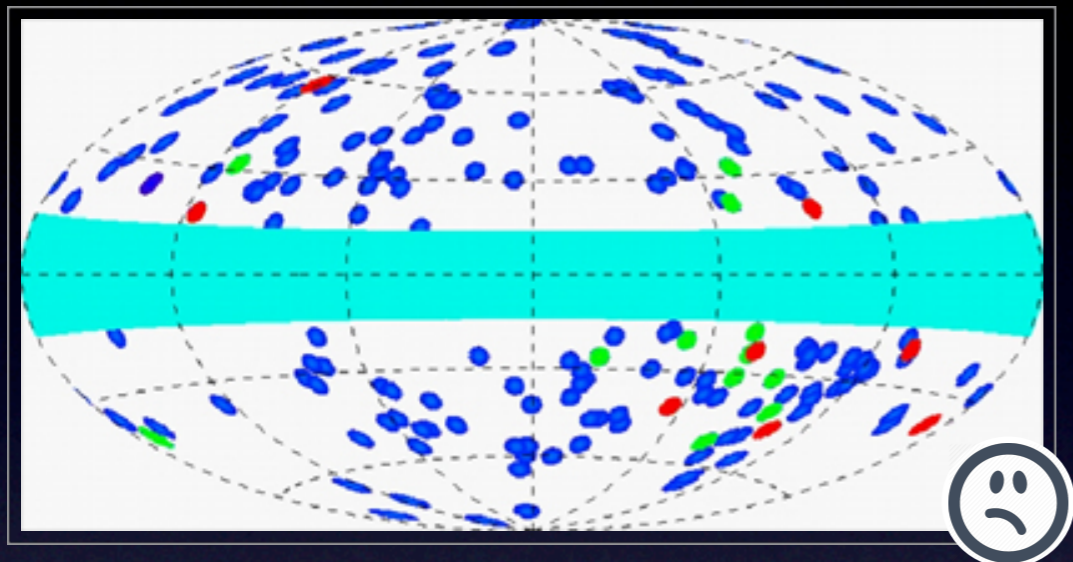
X-ray dropout
 $70 \pm 10 \%$
 SZ dropout
 $29 \pm 12 \%$

Sommer & Basu 2014

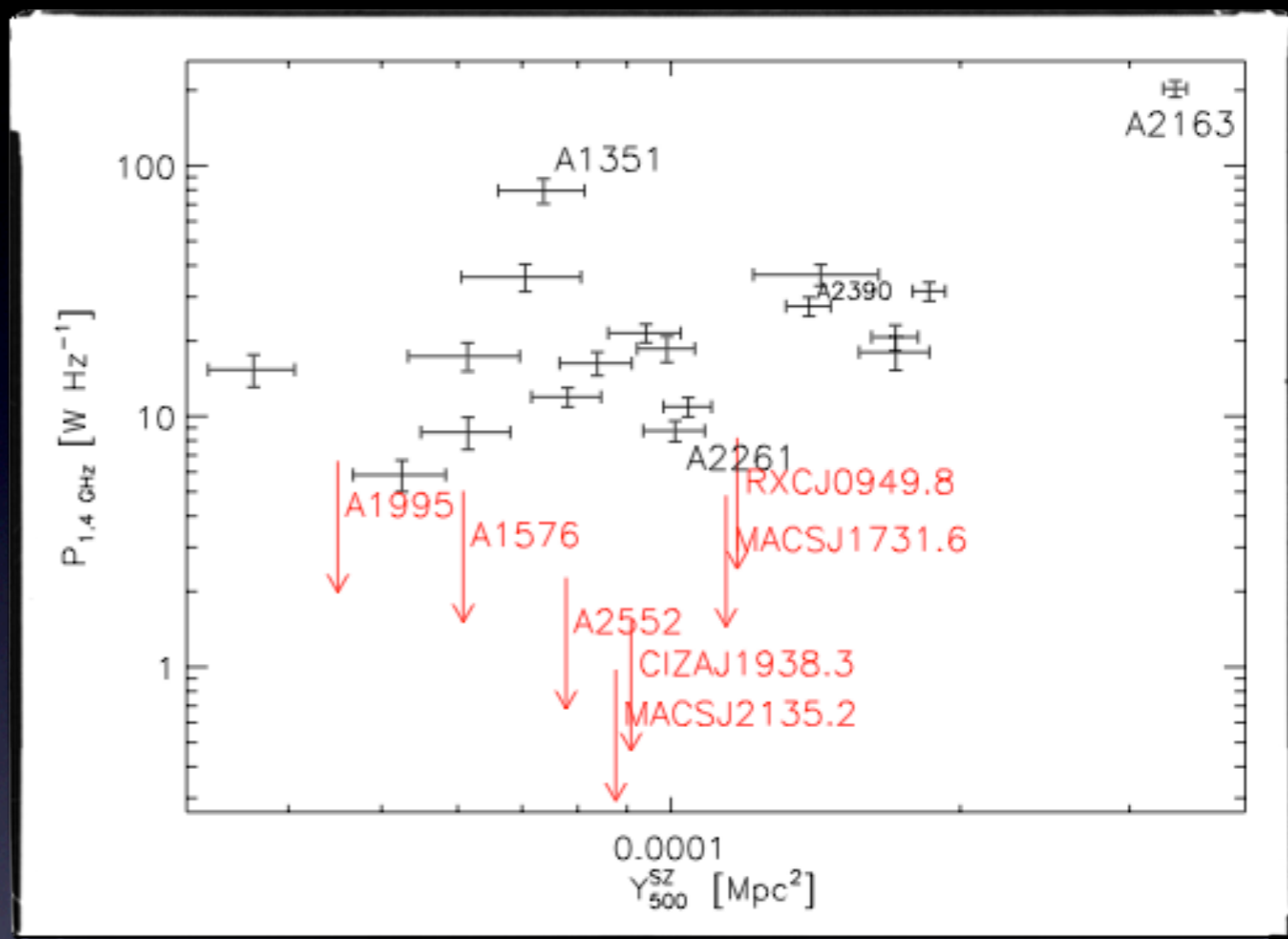
VLA follow-up of 26 Planck Clusters

J-VLA follow up program (and some archival data) for ESZ clusters

Sommer, Basu et al. 2017, in prep

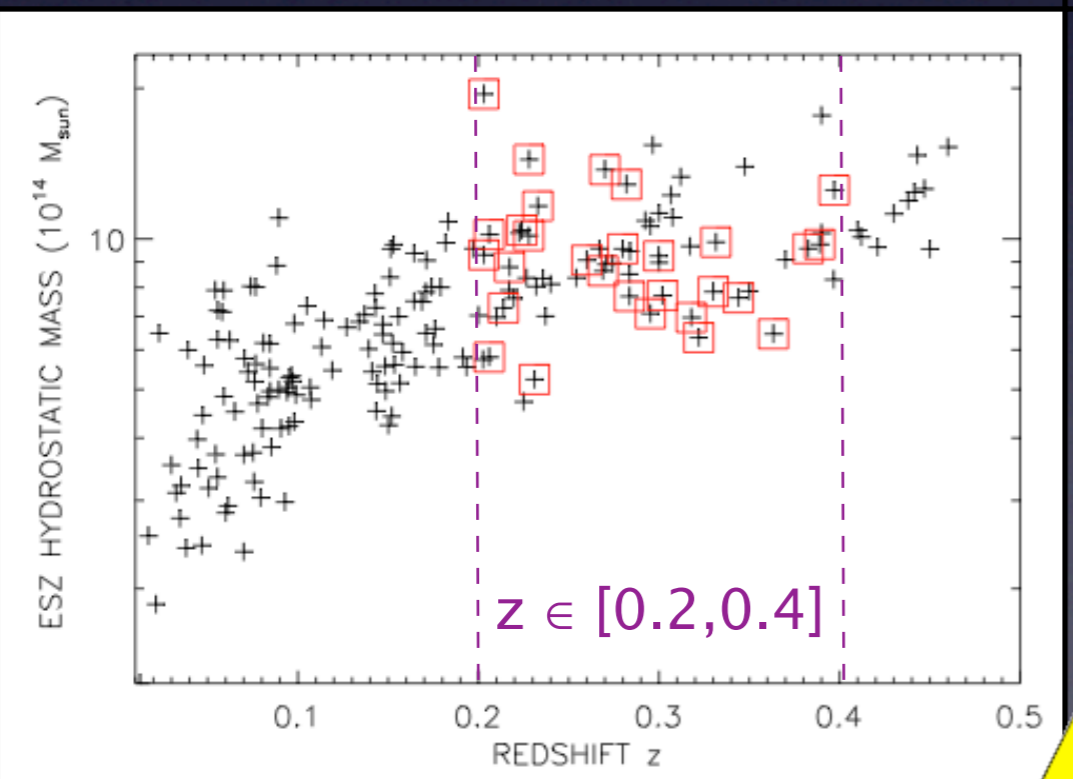


ESZ clusters (Planck coll. 2011)



With deep radio data (and a uniform analysis), 18 out of 26 Planck selected clusters showing diffuse radio emission on ~1 Mpc scale.

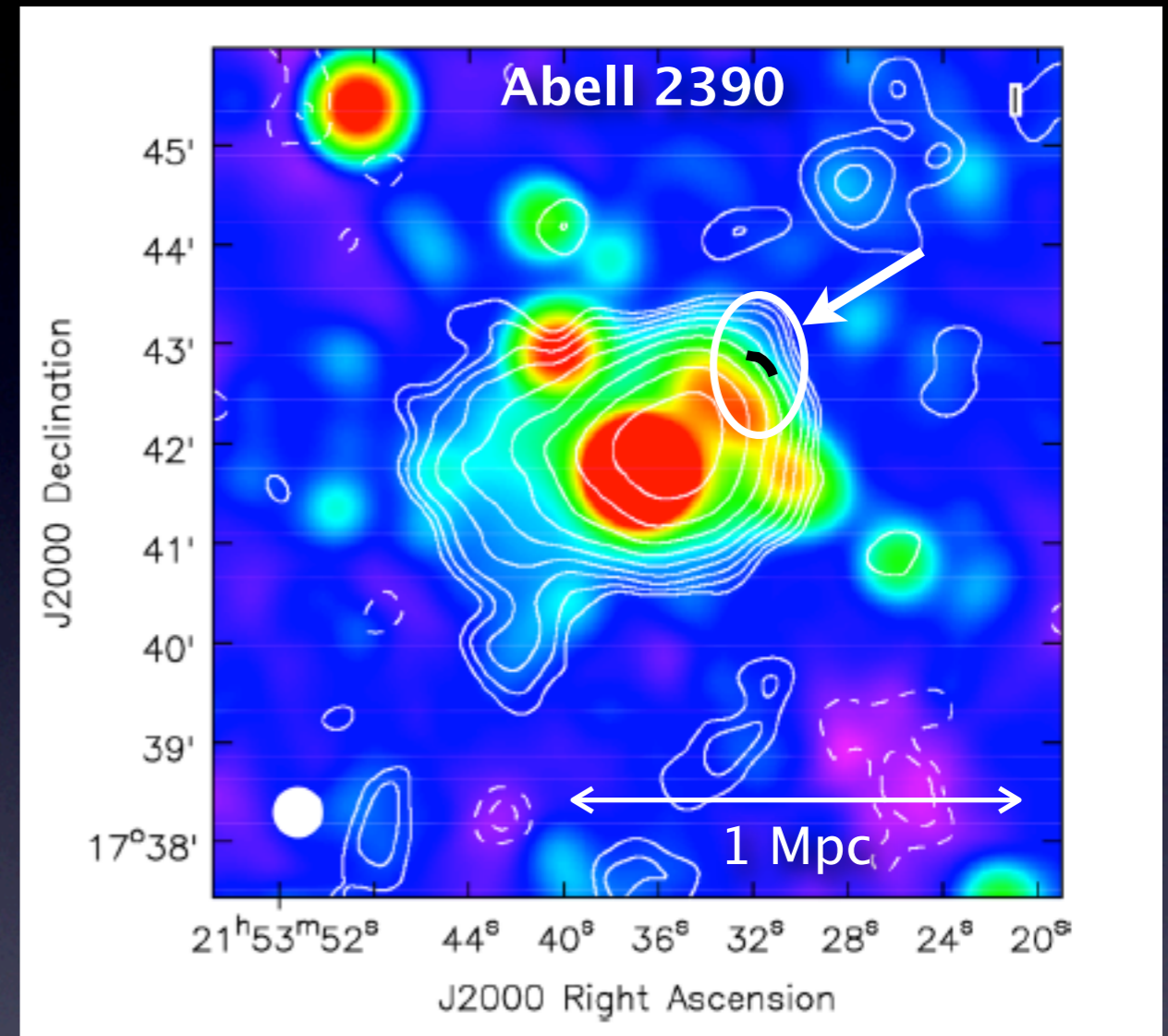
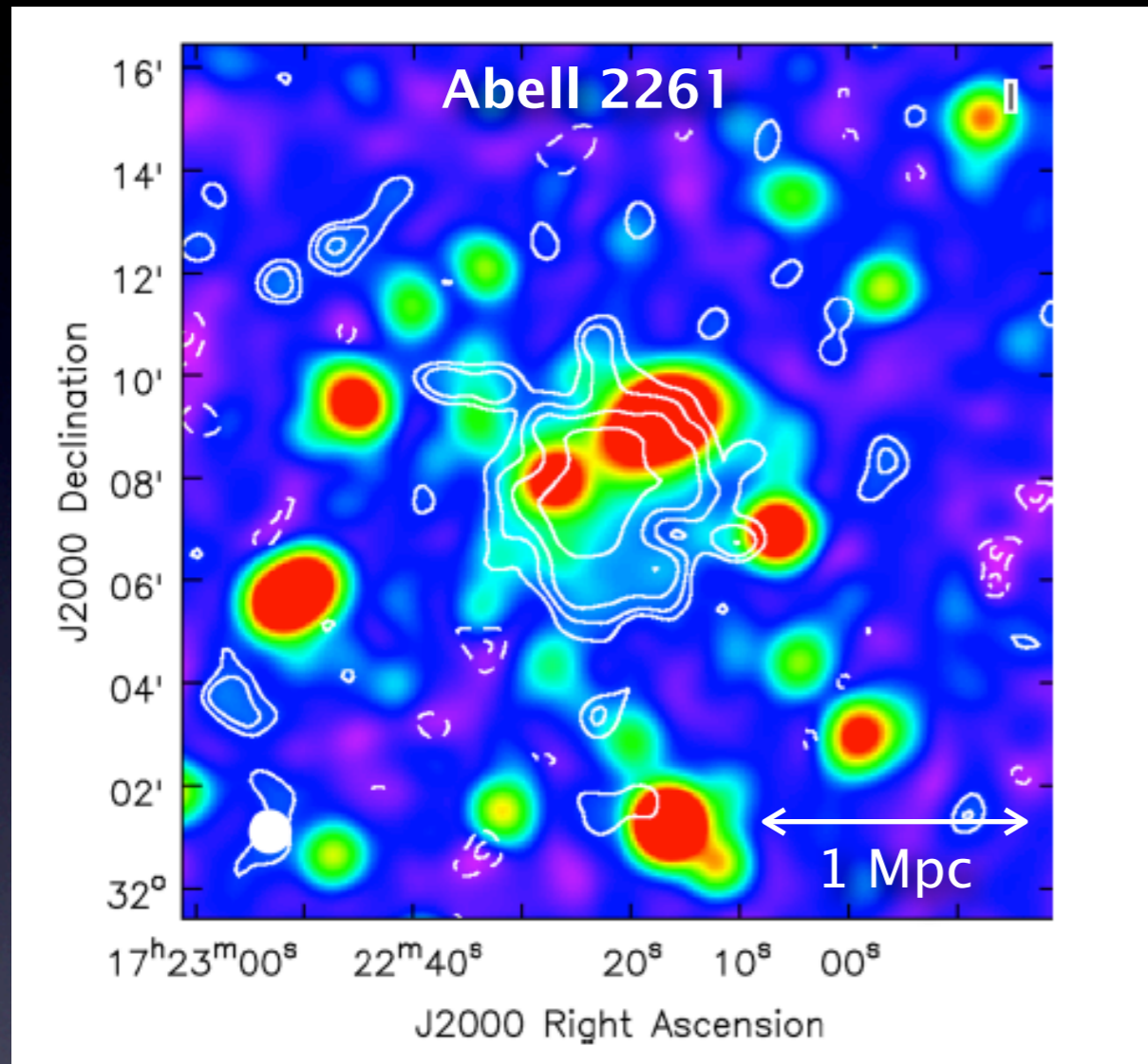
⇒ 70% !!



in prep

New radio halos in CC clusters

Sommer, Basu, Intema, et al. (2017)



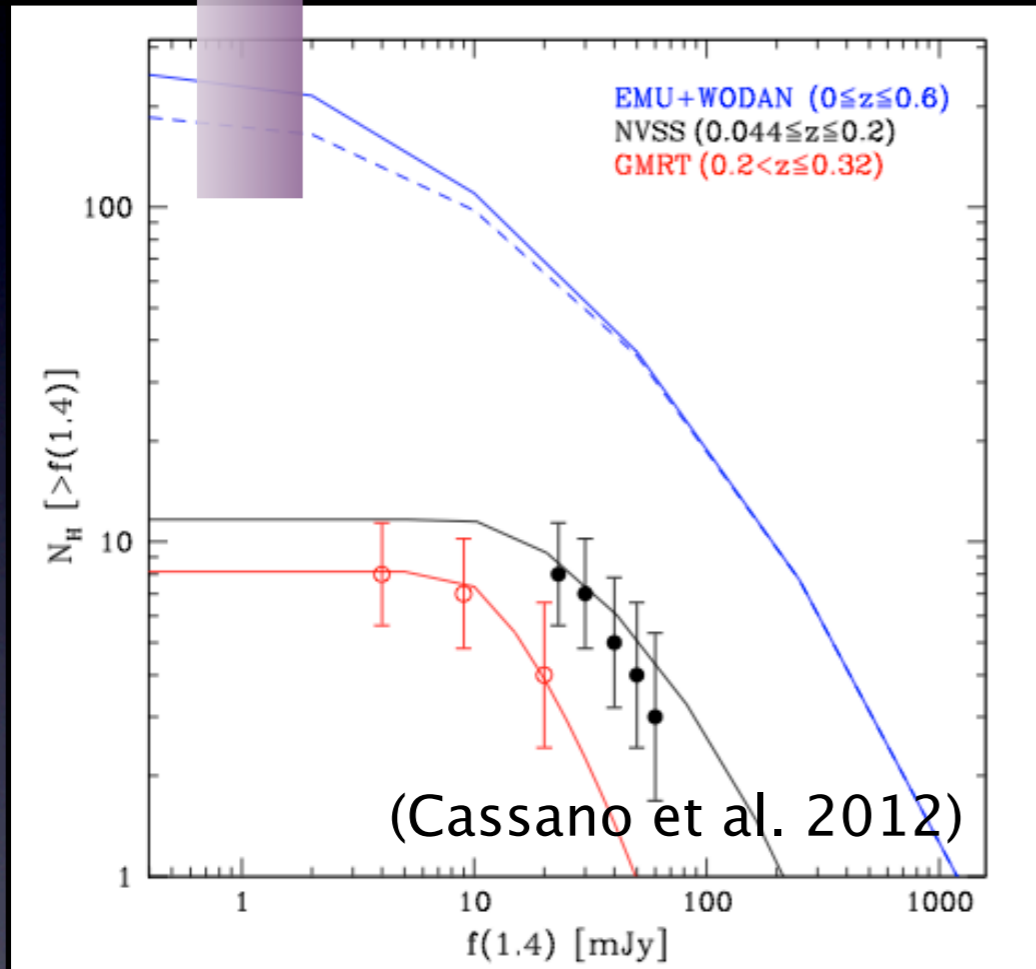
color → total radio emission
contours → diffuse emission

Probably not surprising, as these massive cool core clusters are fair targets for minor mergers

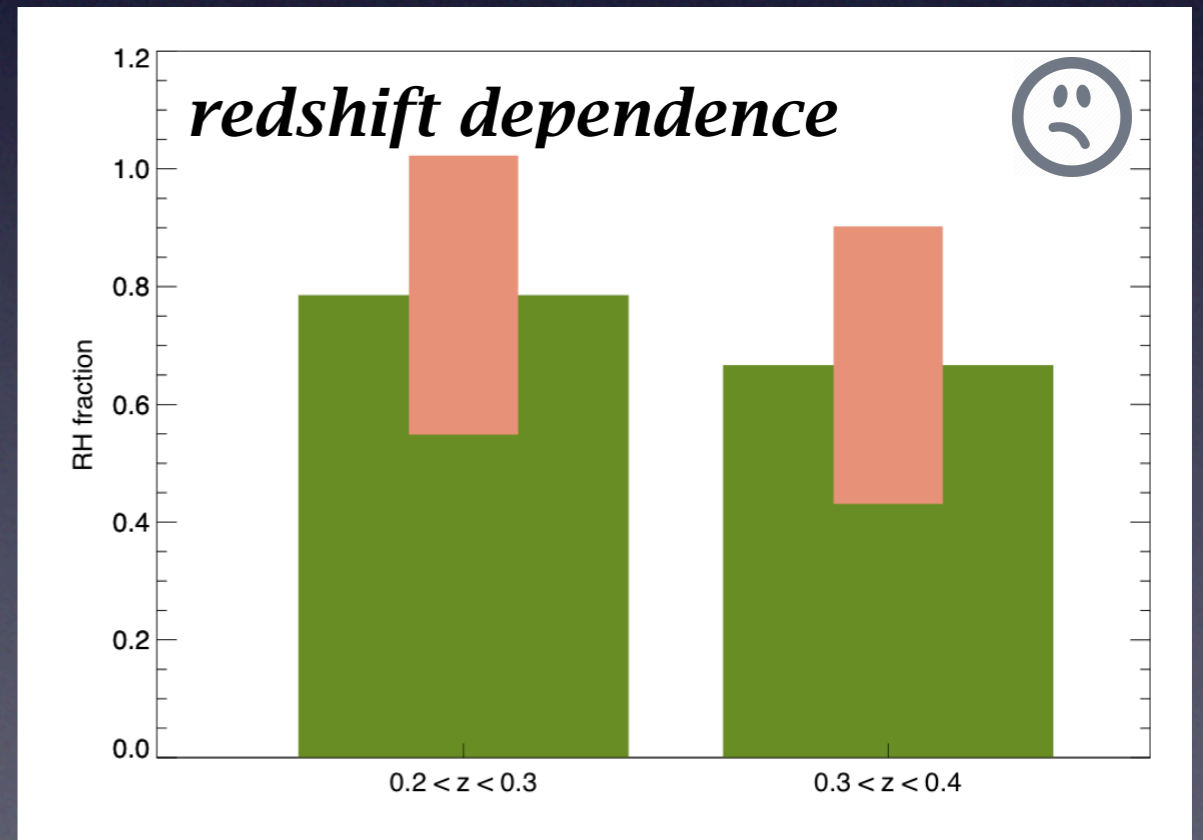
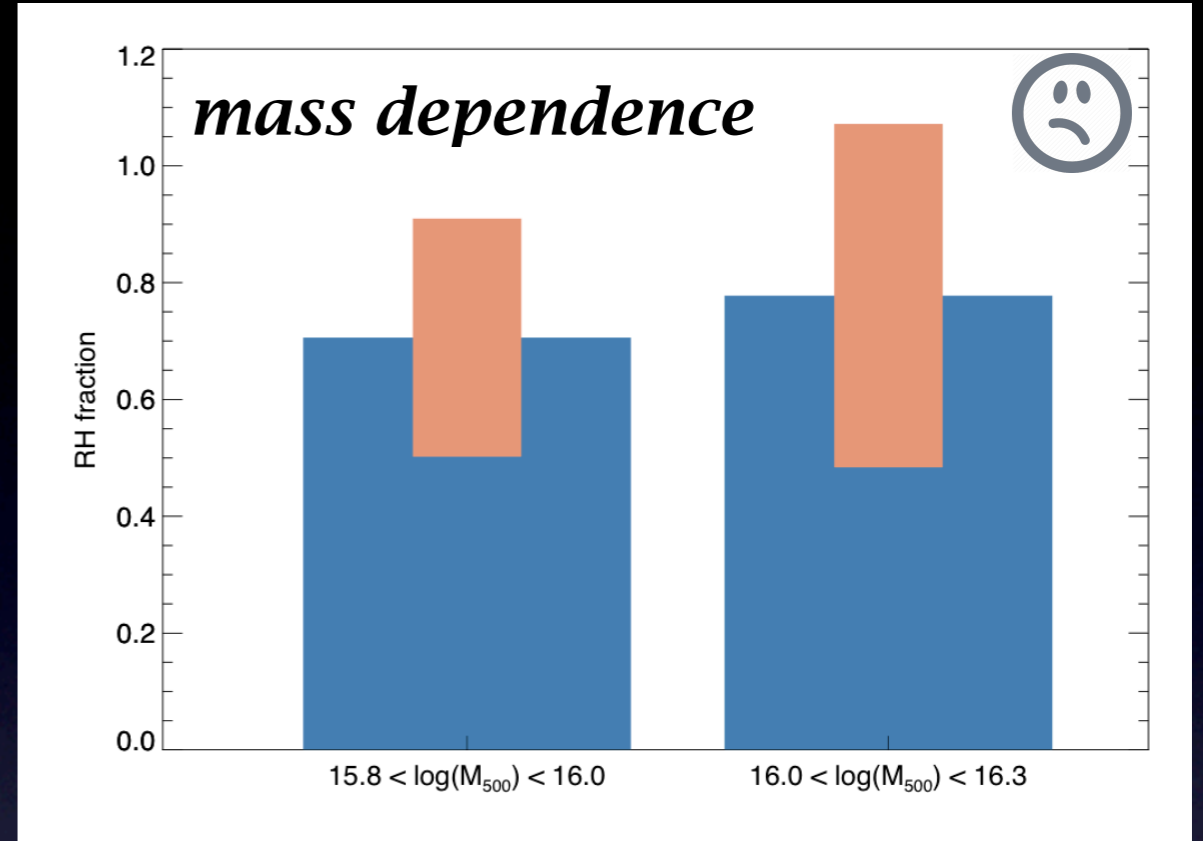
RH fraction with mass and redshift

Up by factor ~5 or more

*(several 100 RHs out to $z=0.5$,
for $M_{500,c} > 4 \times 10^{14} M_{\odot}$)*

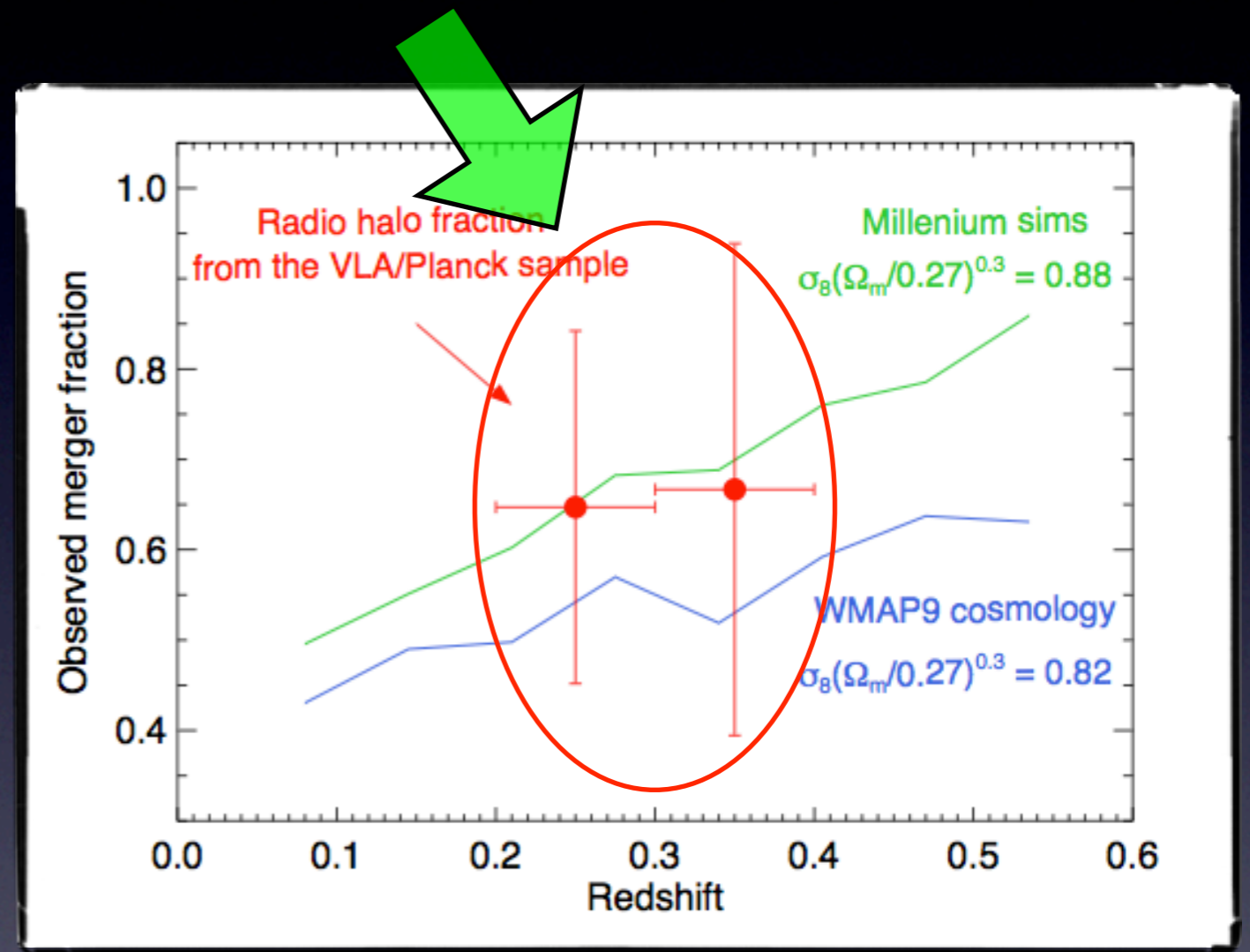


Current prediction for 1.4 GHz
RH expectations are conservative.
However..



Number of Radio Halos in the Sky

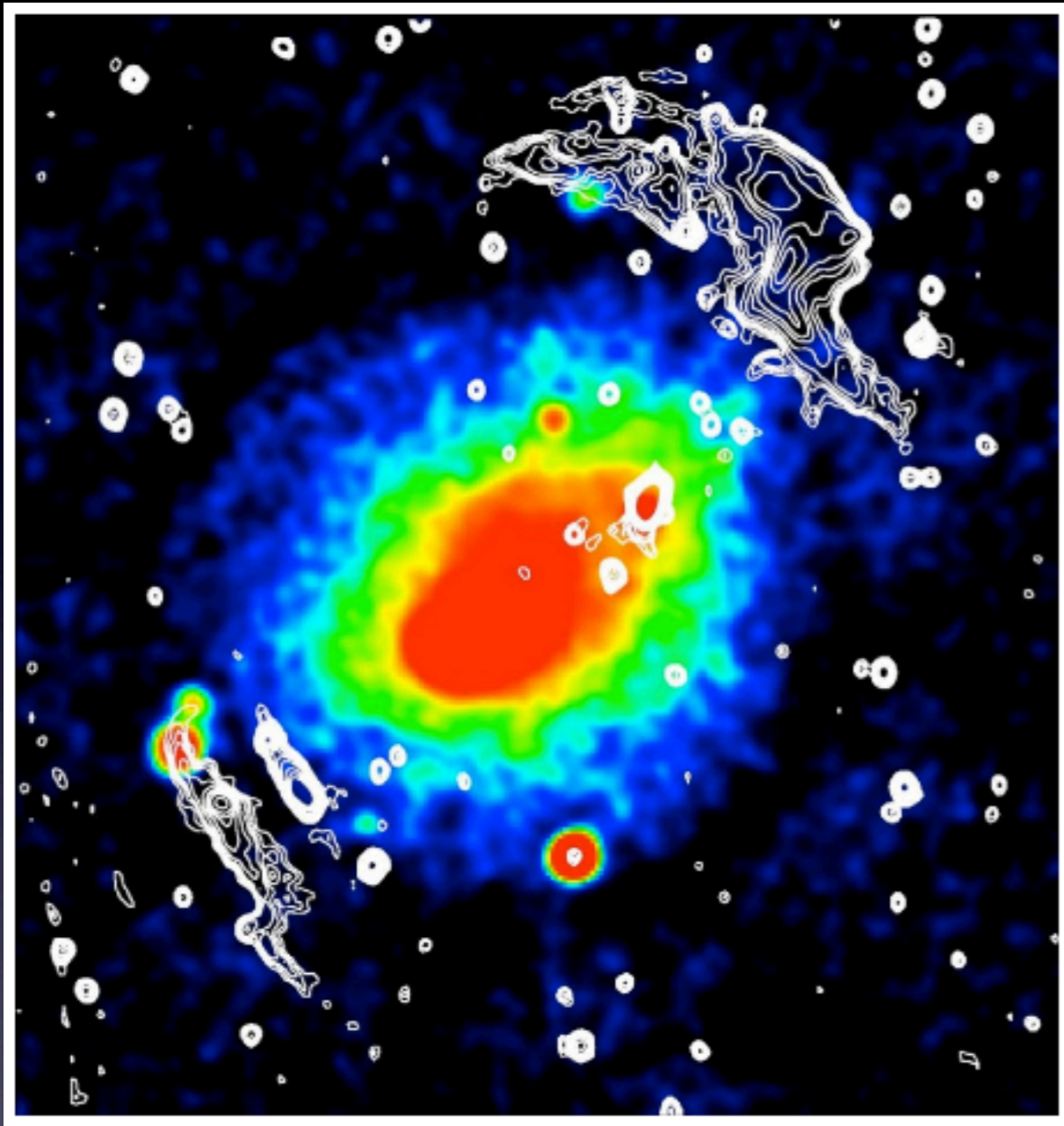
The SKA-Pathfinder Surveys (ASKAP/EMU and MeerKAT/MIGHTEE) might be able to reduce these error bars by a factor of 3–5



To the cluster outskirts:

Radio Relic — SZ connection

Radio Relics \Rightarrow Shocks

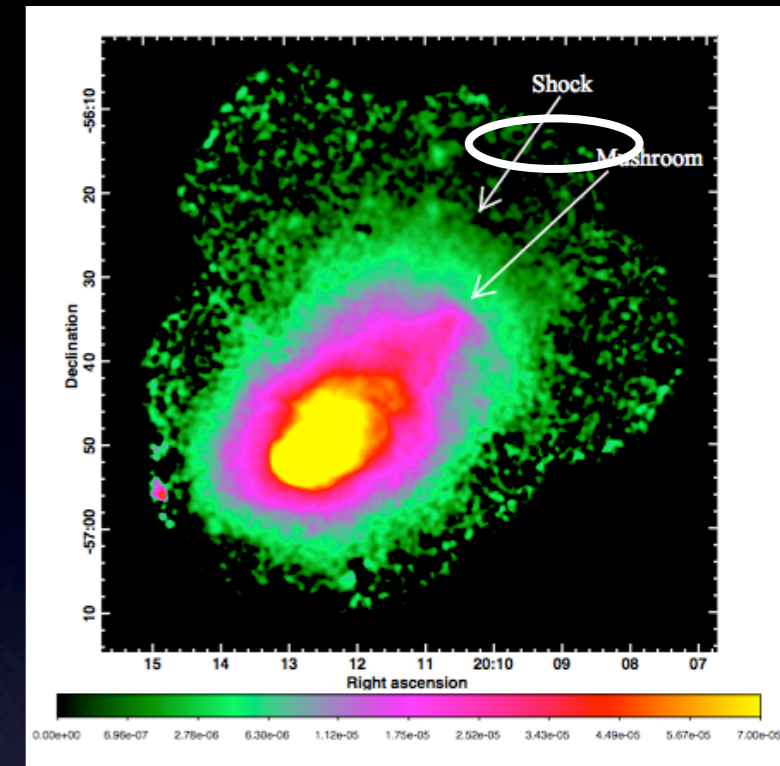


An example:

Abell 3667 ($z = 0.05$)

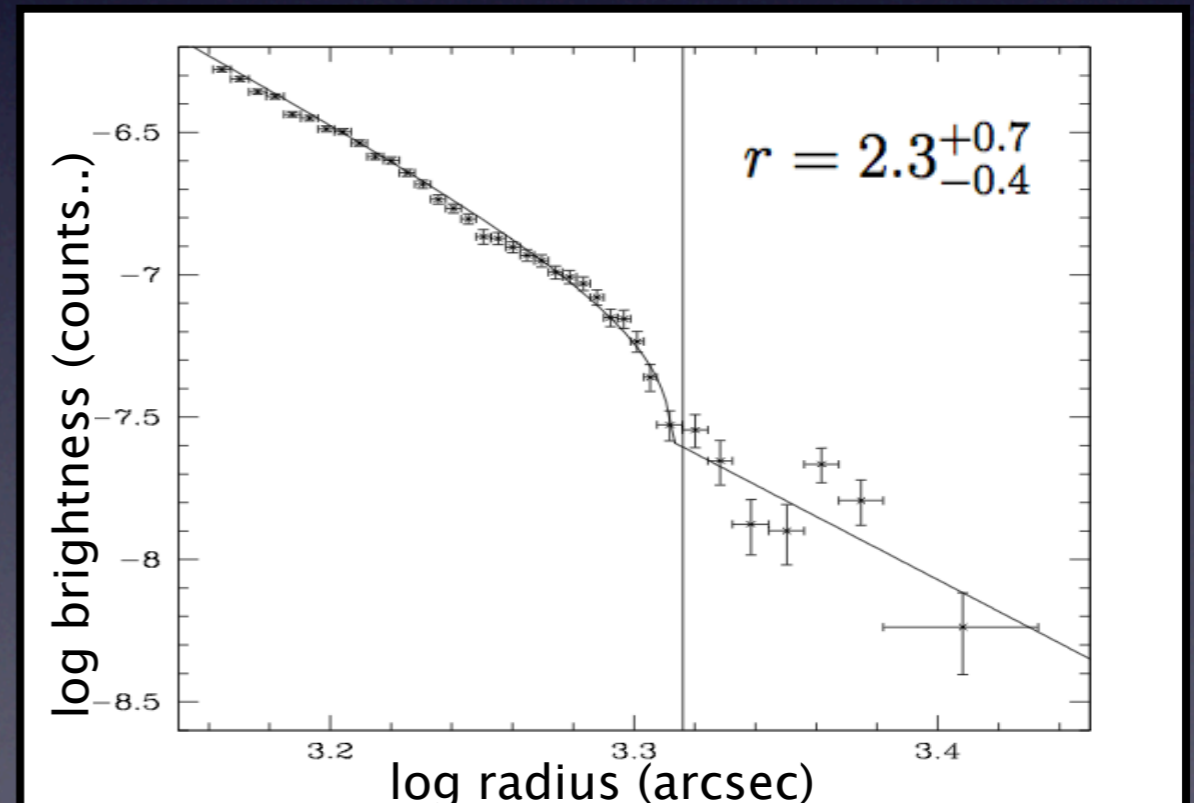
X-ray analysis
Finoguenov et al. (2010)
Sarazin et al. (2016)

Radio data:
Roettgering et al. (1997)



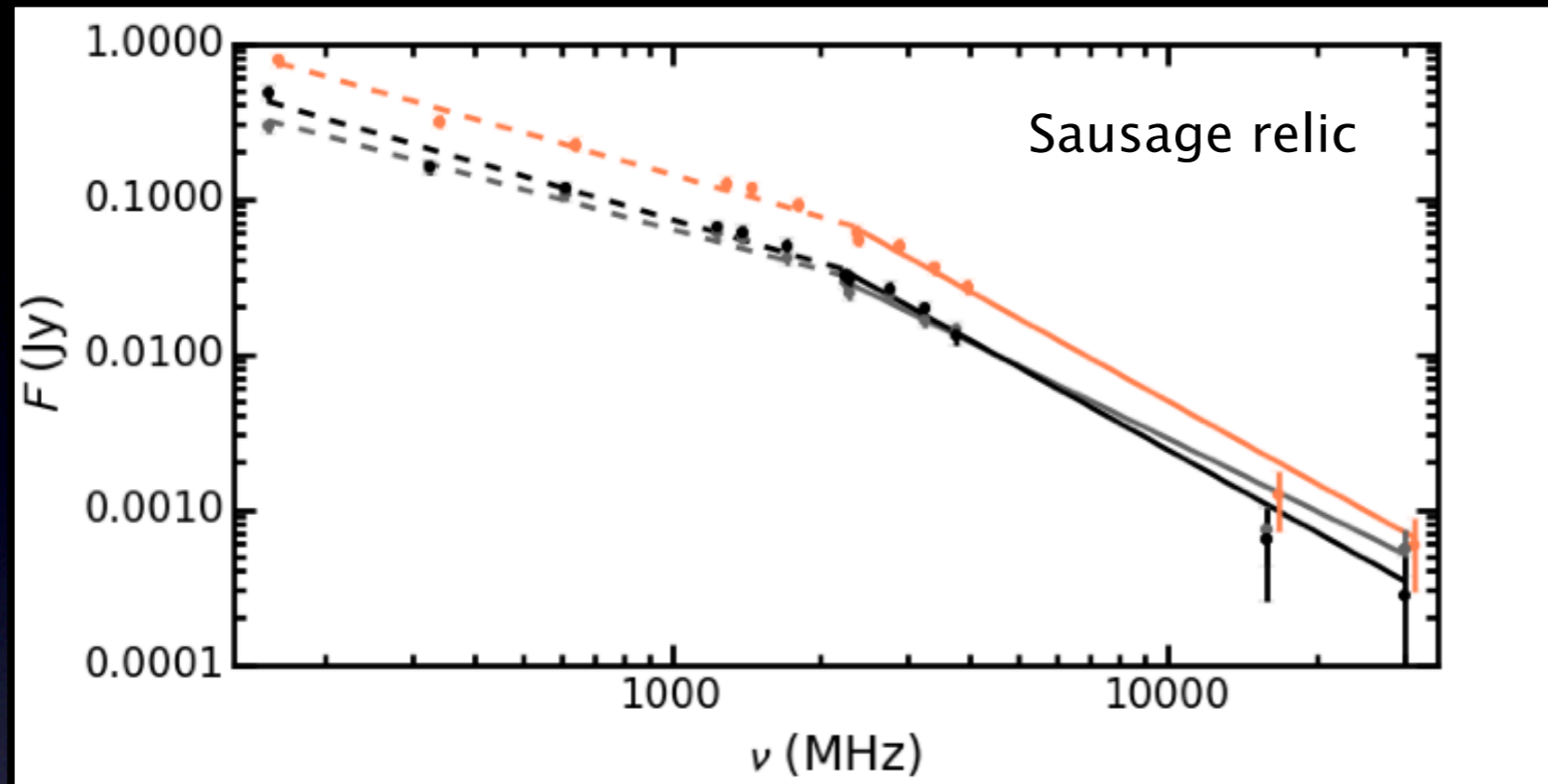
Theoretical works:

(To cite a few) Miniati et al. (2001); Hoeft & Brueggen (2007); Nuzza et al. (2012); Skillman et al. (2013); Vazza et al. (2014)



Sarazin et al. (2016)

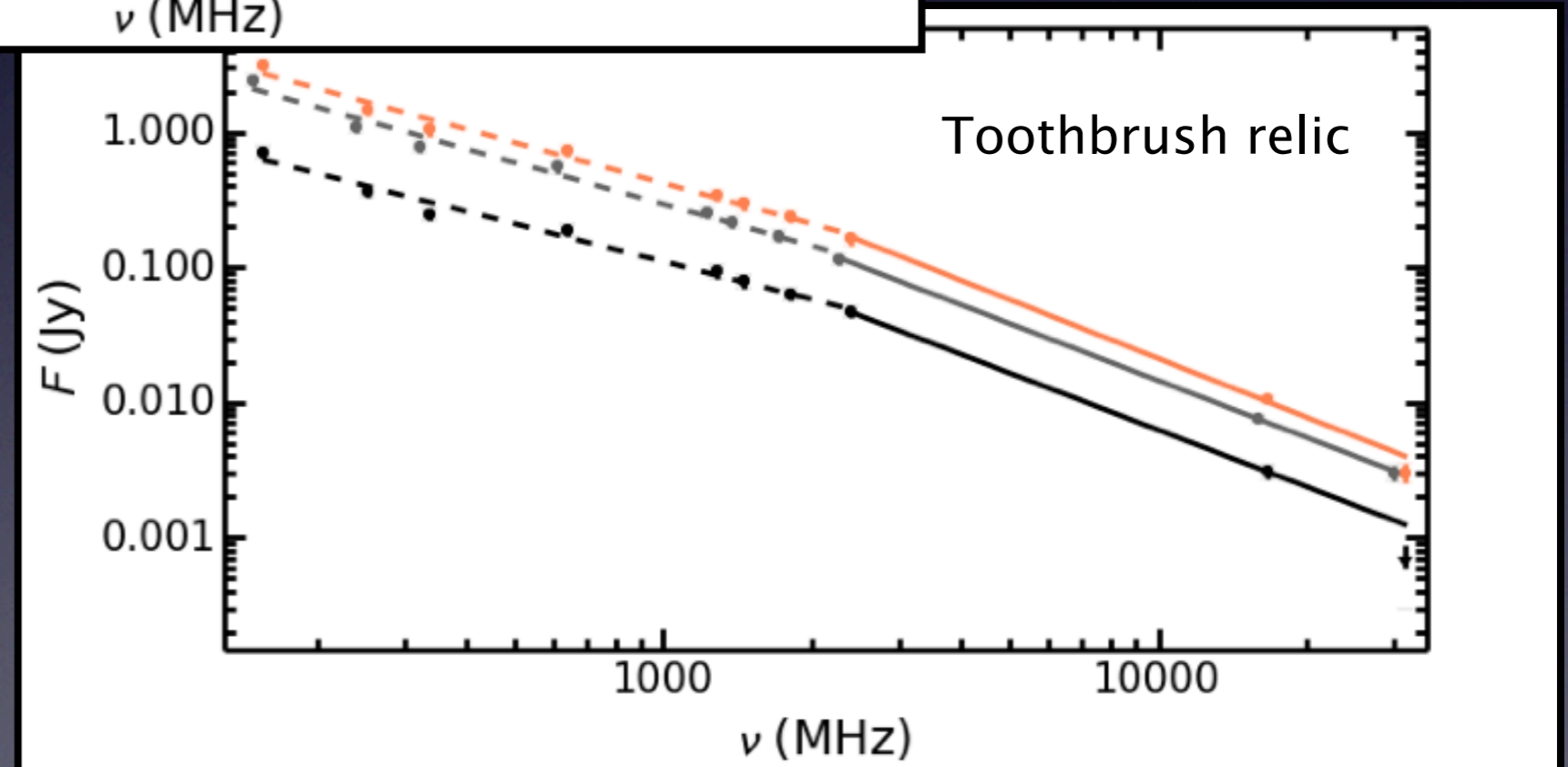
Relic Steepening Spectrum



Stroe et al. (2015, 2016)

AMI (16 GHz) and
CARMA (30 GHz) data

A *gradual* spectral steepening is observed above ~ 2 GHz, which cannot be explained from the standard DSA model.



Relic Steepening Spectrum

RE-ACCELERATION MODEL FOR RADIO RELICS WITH SPECTRAL CURVATURE

HYESUNG KANG¹ AND DONGSU RYU^{2,3,4}

¹ Department of Earth Sciences, Pusan National University, Pusan 46241, Korea; hskang@pusan.ac.kr

² Department of Physics, UNIST, Ulsan 44010, Korea; ryu@unist.ac.kr

Turbulent Cosmic-Ray Reacceleration and the Curved Radio Spectrum of the Radio Relic in the Sausage Cluster

Yutaka FUJITA¹, Hiroki AKAMATSU,² and Shigeo S. KIMURA³

Magnetic Field Evolution in Giant Radio Relics using the example of CIZA J2242.8+5301

J. M. F. Donnert^{1,2,3*}, A. Stroe^{4,1†}, G. Brunetti², D. Hoang¹, H. Roettgering¹

¹ Leiden Observatory, Leiden University, P.O. Box 9513, NL-2300 RA Leiden, The Netherlands

² INAF-Istituto di Radioastronomia, via P. Gobetti 101, I-40129 Bologna, Italy

³ Department of Physics, University of Minnesota, Minneapolis, MN 55455, USA

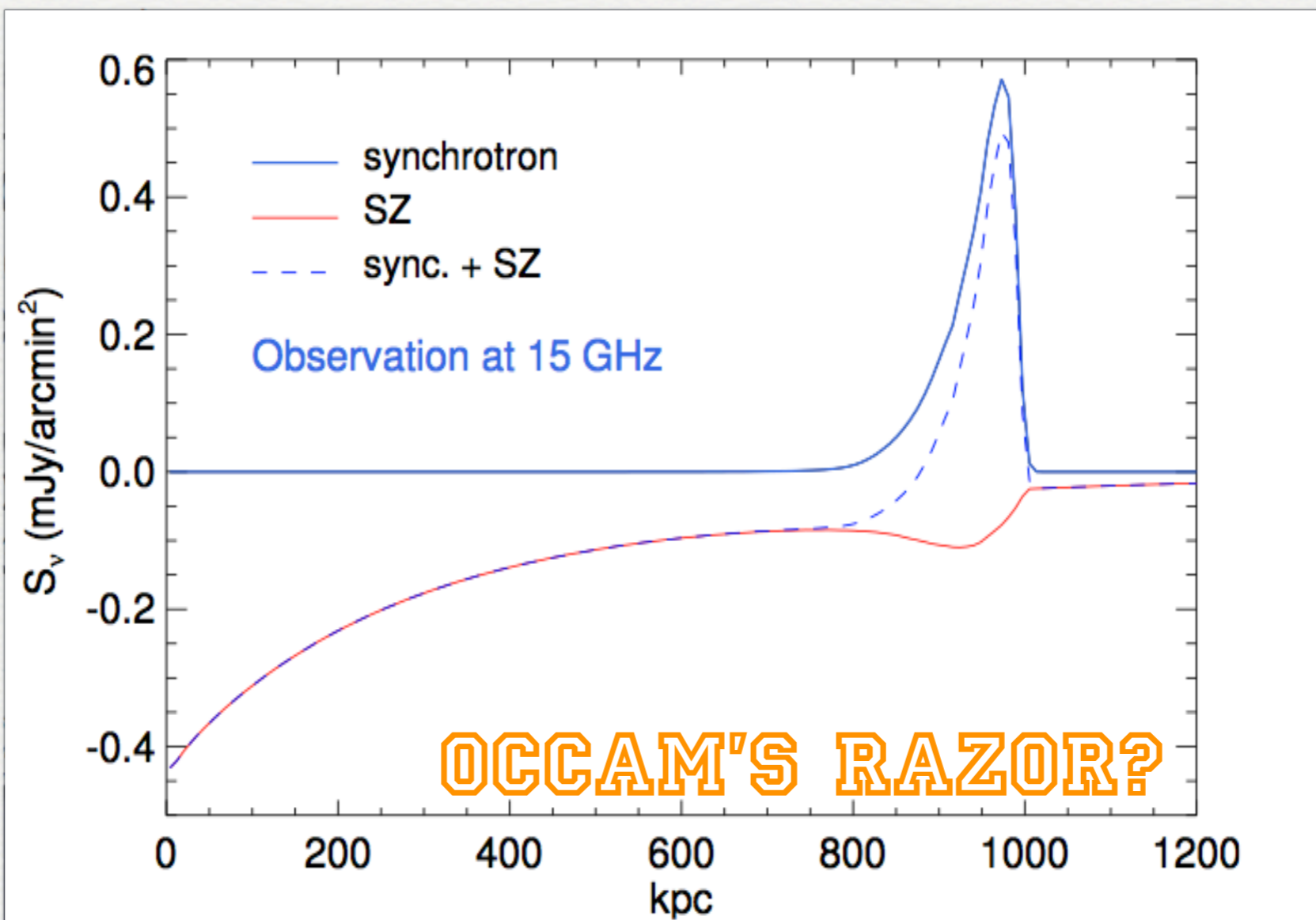
The widest frequency radio relic spectra: observations from 150 MHz to 30 GHz

Andra Stroe,^{1*†} Timothy Shimwell,¹ Clare Rumsey,² Reinout van Weeren,³ Maja Kierdorf,⁴ Julius Donnert,¹ Thomas W. Jones,⁵ Huub J. A. Röttgering,¹ Matthias Hoeft,⁶ Carmen Rodríguez-Gonzálvez,⁷ Jeremy J. Harwood⁸

016

Relic Steepening Spectrum

RE-ACCELERATION MODEL FOR RADIO RELICS WITH SPECTRAL CURVATURE



Basu et al. (2016), A&A, 591

150 MHz

Andra Stroe,^{1*}† Timothy Shimwell,¹ Clare Rumsey,² Reinout van Weeren,³
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 Matthias Hoeft,⁶ Carmen Rodríguez-Gonzálvez,⁷ Jeremy J. Harwood⁸

Turbulent
Curved R
Sausage

Yutaka FUJITA

Magnetic Field
CIZA J2242.8+

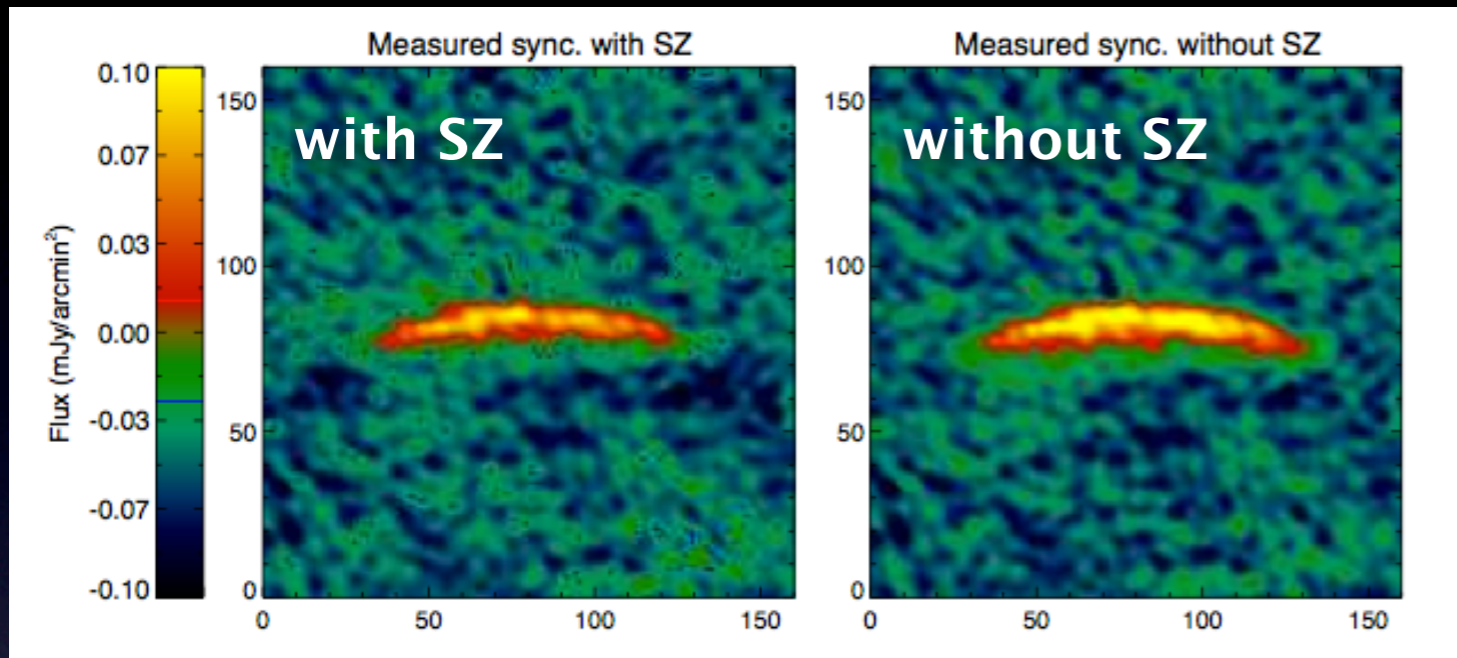
J. M. F. Donnert^{1,2,3}

¹ Leiden Observatory, Leiden Univ

² INAF-Istituto di Radioastronomia

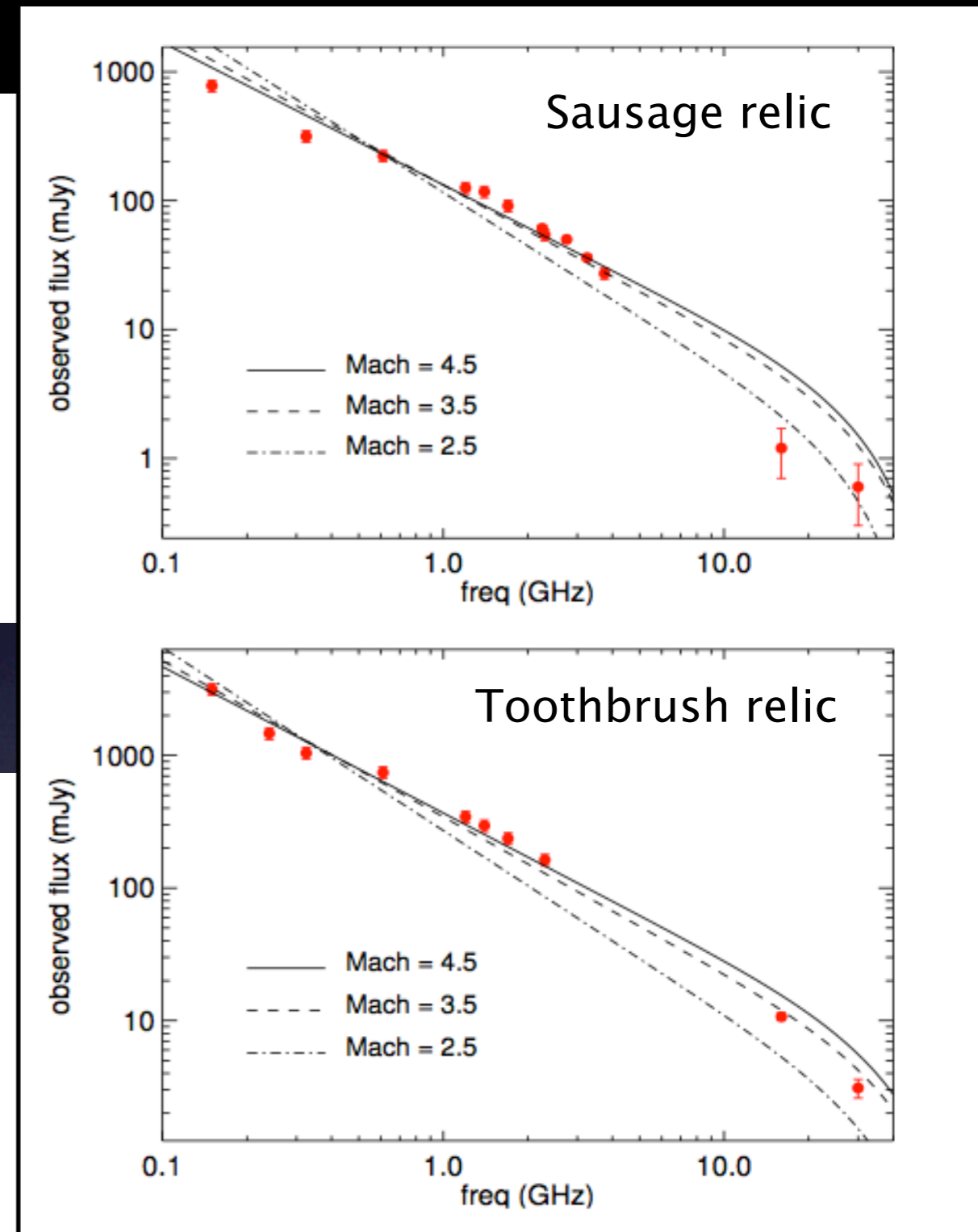
A Non-negligible Effect

Simulated interferometric observation at 10 GHz



10%–50% flux loss at 10 GHz

	3 GHz	5 GHz	10 GHz	15 GHz	20 GHz	30 GHz
Sausage relic ($\mathcal{M} = 2.5$)	<1%	<1%	4%	11%	24%	58%
($\mathcal{M} = 3.5$)	<1%	<1%	3%	10%	21%	49%
($\mathcal{M} = 4.5$)	<1%	<1%	4%	12%	24%	52%
Toothbrush relic ($\mathcal{M} = 3.5$)	<1%	<1%	3%	9%	18%	43%
($\mathcal{M} = 4.5$)	<1%	<1%	3%	10%	20%	46%
El Gordo relic ($\mathcal{M} = 2.5$)	<1%	3%	23%	53%	81%	>100%
A2256 relic ($\mathcal{M} = 2.0$)	1%	3%	28%	66%	96%	>100%



Basu et al. (2016), A&A, 591

Synchrotron/SZ Flux Ratio

Make simplistic assumptions:

(1) The kinetic power of the shock:

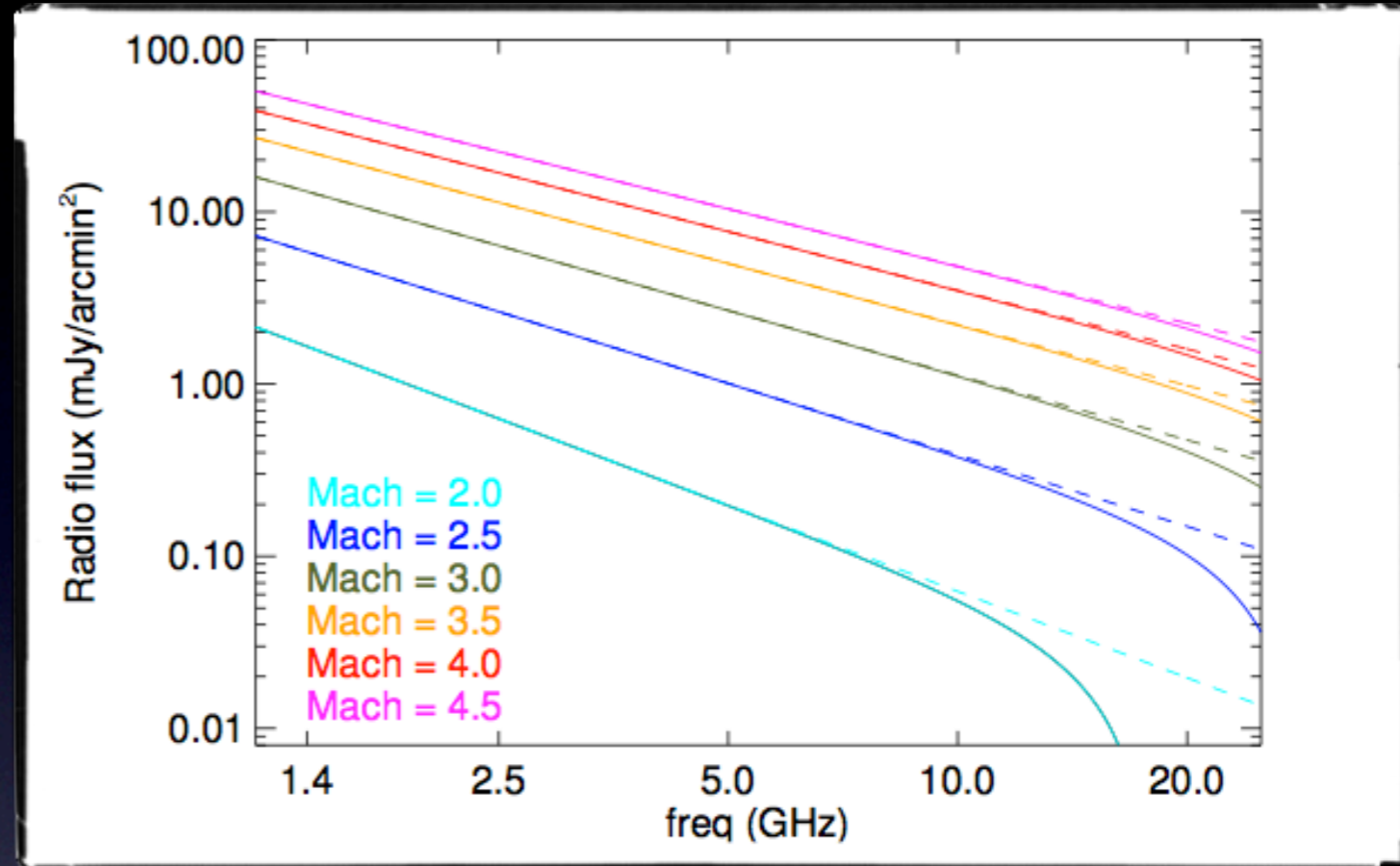
$$P_{\text{kin}} = n_u v_s^3 S/2 \quad (\text{where } v_s = \mathcal{M}c_s)$$

(2) A fraction of this kinetic power goes in proton acceleration:

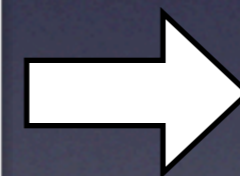
$$P_{\text{CpP}} = \eta(\mathcal{M}) P_{\text{kin}}$$

(3) Assume a fixed electron-to-proton ratio ($\xi=0.05$):

$$P_{\text{CpE}} = \xi_{e/p} \eta(\mathcal{M}) P_{\text{kin}}$$



$$\frac{S_v^{\text{sync.}}}{S_v^{\text{SZ}}} \approx -9 \times 10^4 \left(\frac{\xi_{e/p}}{0.05} \right) \left(\frac{\mathcal{M}}{3} \right) \left(\frac{T_u}{1 \text{ keV}} \right)^{1/2} \left(\frac{W}{100 \text{ kpc}} \right)^{-1} \\ \times (1+z)^{-(4+\delta/2)} \frac{B_{\text{relic}}^{1+\delta/2}}{B_{\text{CMB}}^2 + B_{\text{relic}}^2} \left(\frac{\nu}{1.4 \text{ GHz}} \right)^{-(2+\delta/2)}$$



$$B_{\text{relic}} \propto \left[- \left(\frac{S_v^{\text{sync.}}}{S_v^{\text{SZ}}} \right) \frac{W_{\text{obs}}^{2+\delta/2}}{\mathcal{M} \xi_{e/p} T_u^{1/2}} \right]^{2/(\delta-2)}$$

Basu et al. (2016), A&A, 591

Synchrotron/SZ Flux Ratio

Make simplistic assumptions:

(1) The kinetic power of the shock:

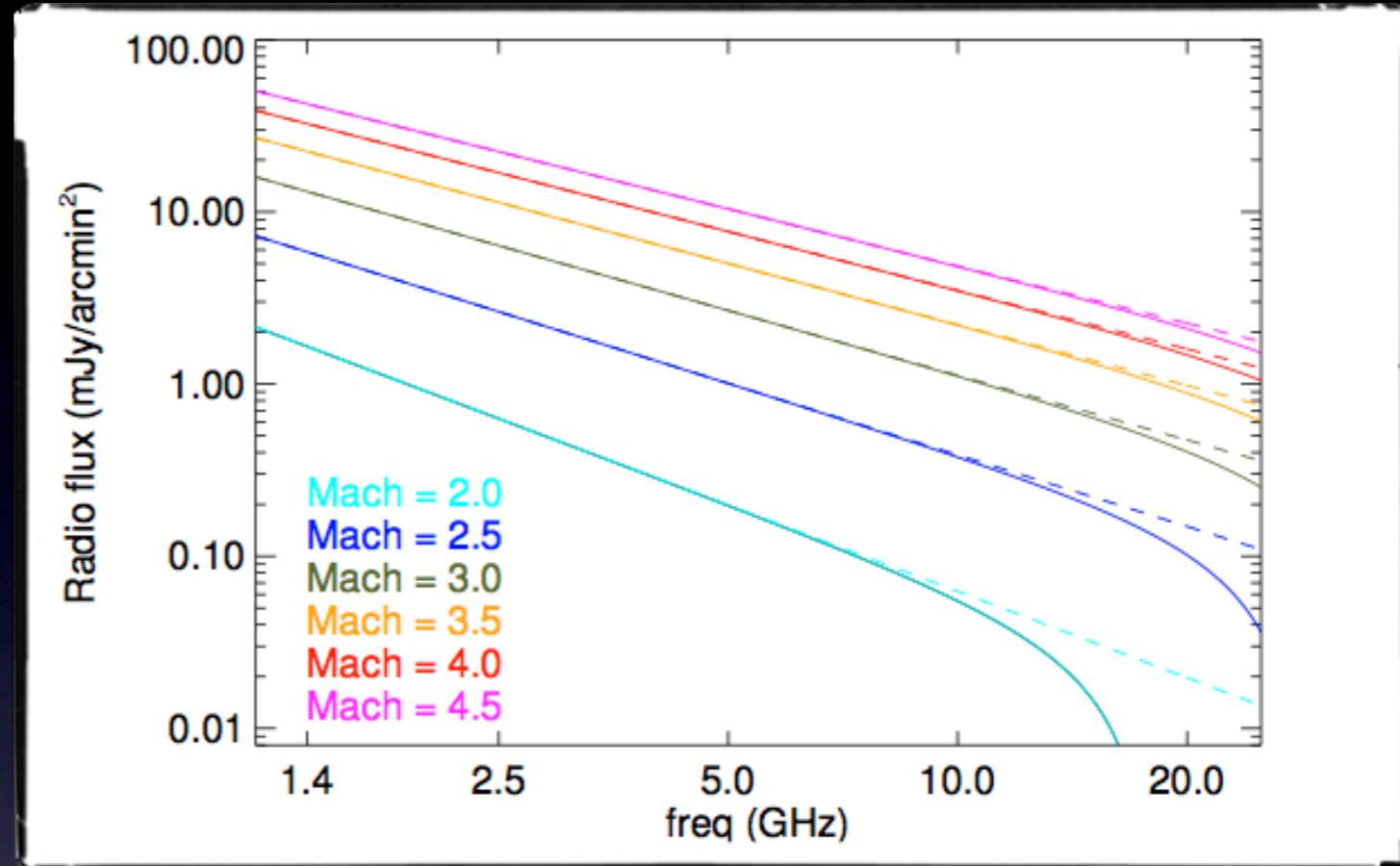
$$P_{\text{kin}} = n_u v_s^3 S/2 \quad (\text{where } v_s = \mathcal{M}c_s)$$

(2) A fraction of this kinetic power goes in proton acceleration:

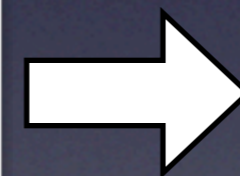
$$P_{\text{CpP}} = \eta(\mathcal{M}) P_{\text{kin}}$$

(3) Assume a fixed electron-to-proton ratio ($\xi=0.05$):

$$P_{\text{CpE}} = \xi_{e/p} \eta(\mathcal{M}) P_{\text{kin}}$$



$$\frac{S_v^{\text{sync.}}}{S_v^{\text{SZ}}} \approx -9 \times 10^4 \left(\frac{\xi_{e/p}}{0.05} \right) \left(\frac{\mathcal{M}}{3} \right) \left(\frac{T_u}{1 \text{ keV}} \right)^{1/2} \left(\frac{W}{100 \text{ kpc}} \right)^{-1} \\ \times (1+z)^{-(4+\delta/2)} \frac{B_{\text{relic}}^{1+\delta/2}}{B_{\text{CMB}}^2 + B_{\text{relic}}^2} \left(\frac{\nu}{1.4 \text{ GHz}} \right)^{-(2+\delta/2)}$$

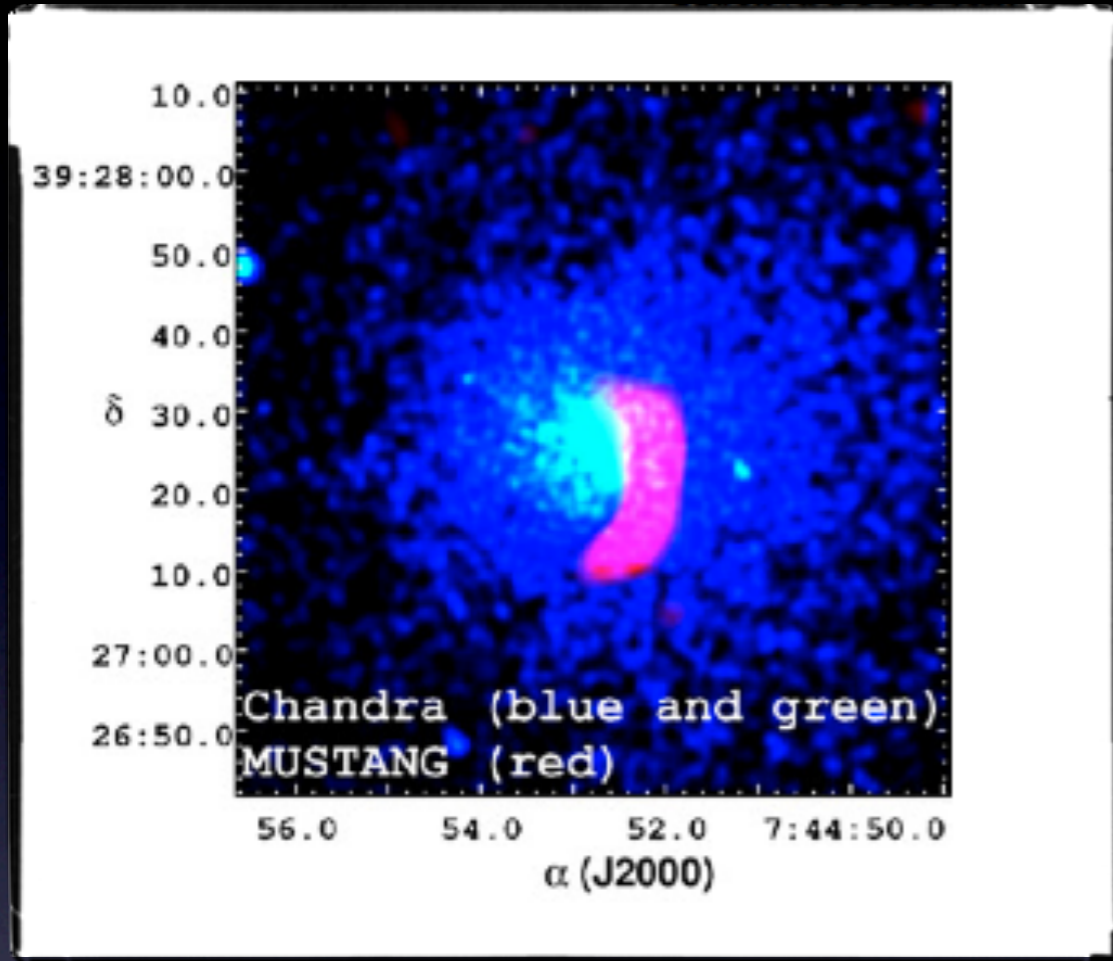


$$B_{\text{relic}} \propto \left[- \left(\frac{S_v^{\text{sync.}}}{S_v^{\text{SZ}}} \right) \frac{W_{\text{obs}}^{2+\delta/2}}{\mathcal{M} \xi_{e/p} T_u^{1/2}} \right]^{2/(\delta-2)}$$

Basu et al. (2016), A&A, 591

BUT, RELIC SHOCK IN SZ?

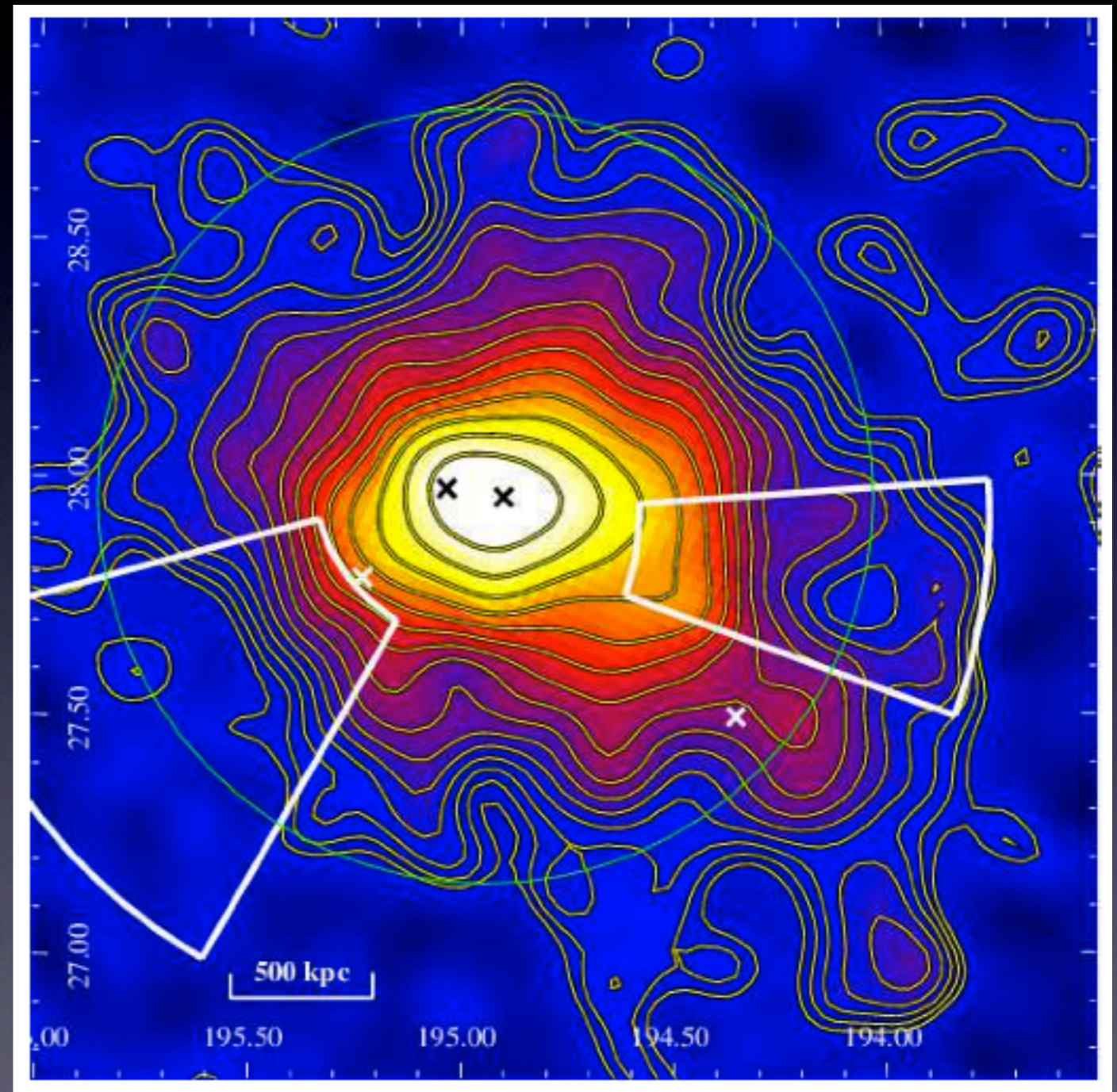
Shocks in SZ (within r_{500})



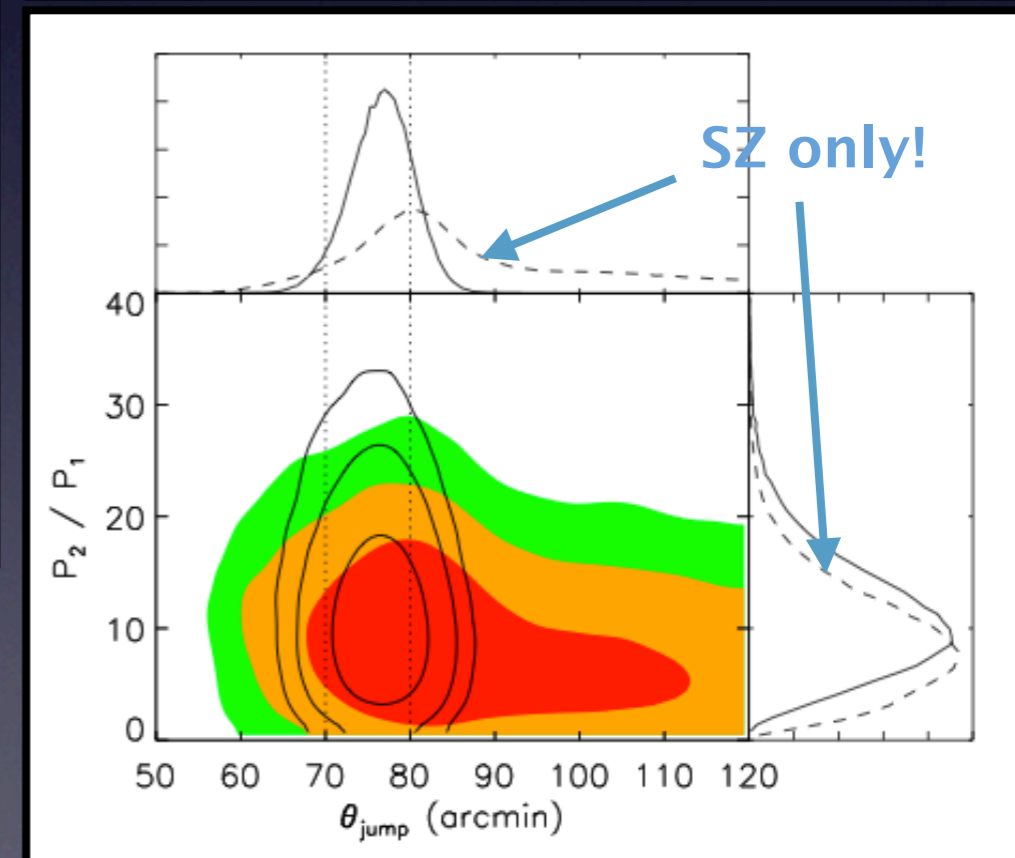
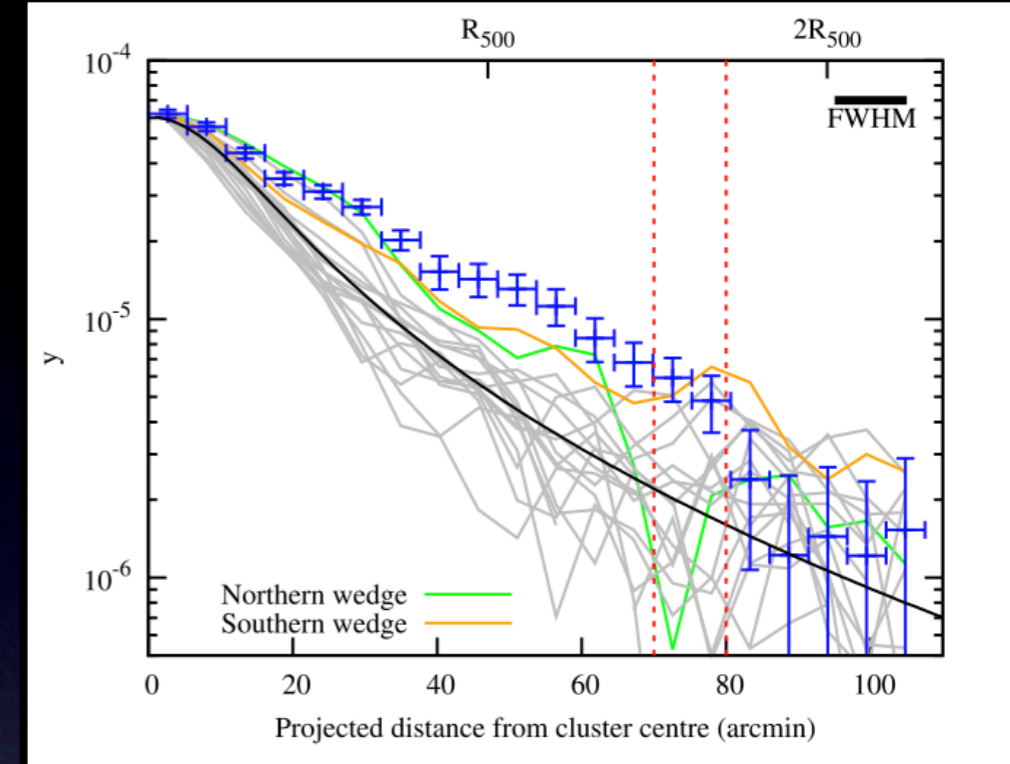
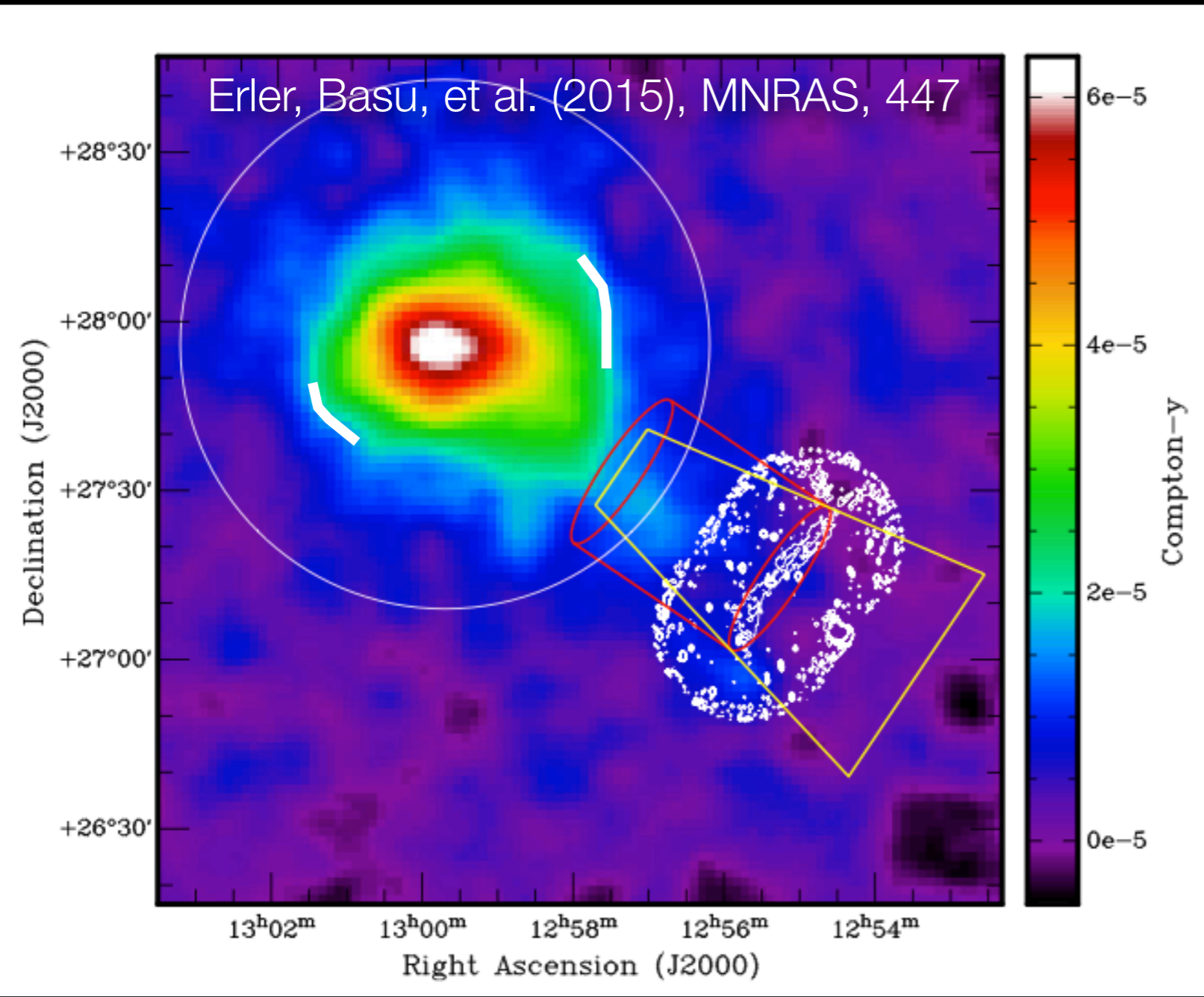
SZ shock in MACS J0744
(GBT/MUSTANG; Korngut et al. 2011)

$R \leq R_{500}$ shocks in the Coma cluster
(Planck collaboration 2013)

SZ shock modeling enabled by X-ray priors



Coma's Relic, with Planck



y -jump fits a shock, with

$$\mathcal{M} = 2.9^{+0.8}_{-0.6}$$

Using 2015 Planck data
(and *spherical geometry*)

$$\mathcal{M} = 2.2 \pm 0.3$$

The ultimate SZ shock imager

Measuring SZ shocks with Planck is like measuring X-ray shocks with Uhuru... **but now we can do better!**

Projected pressure map

$M_{\text{vir}} \sim 2 \times 10^{14}$ merger

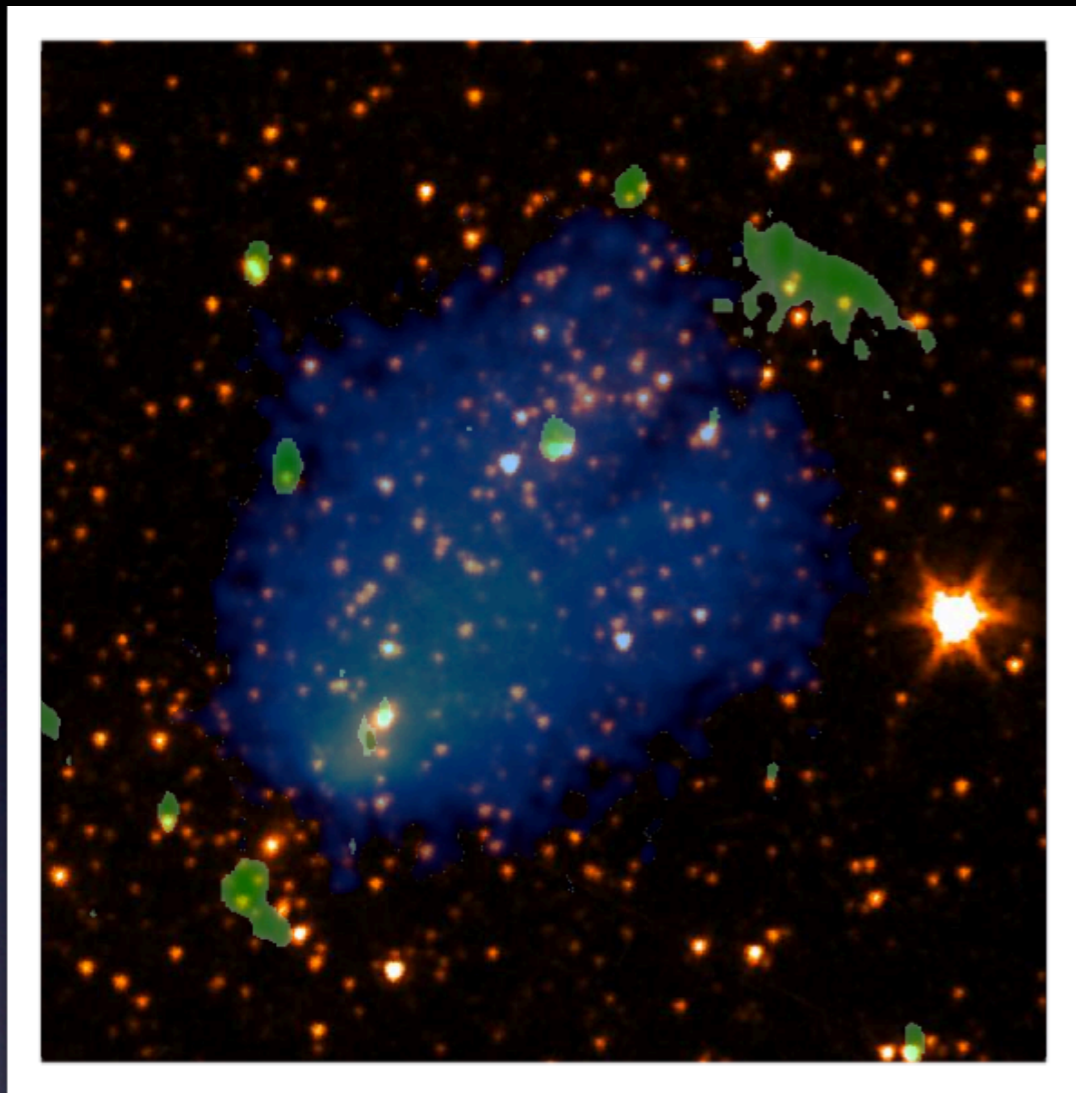
$z=0.23$
(Simulations by F. Vazza, 2012)



First ALMA-SZ results:

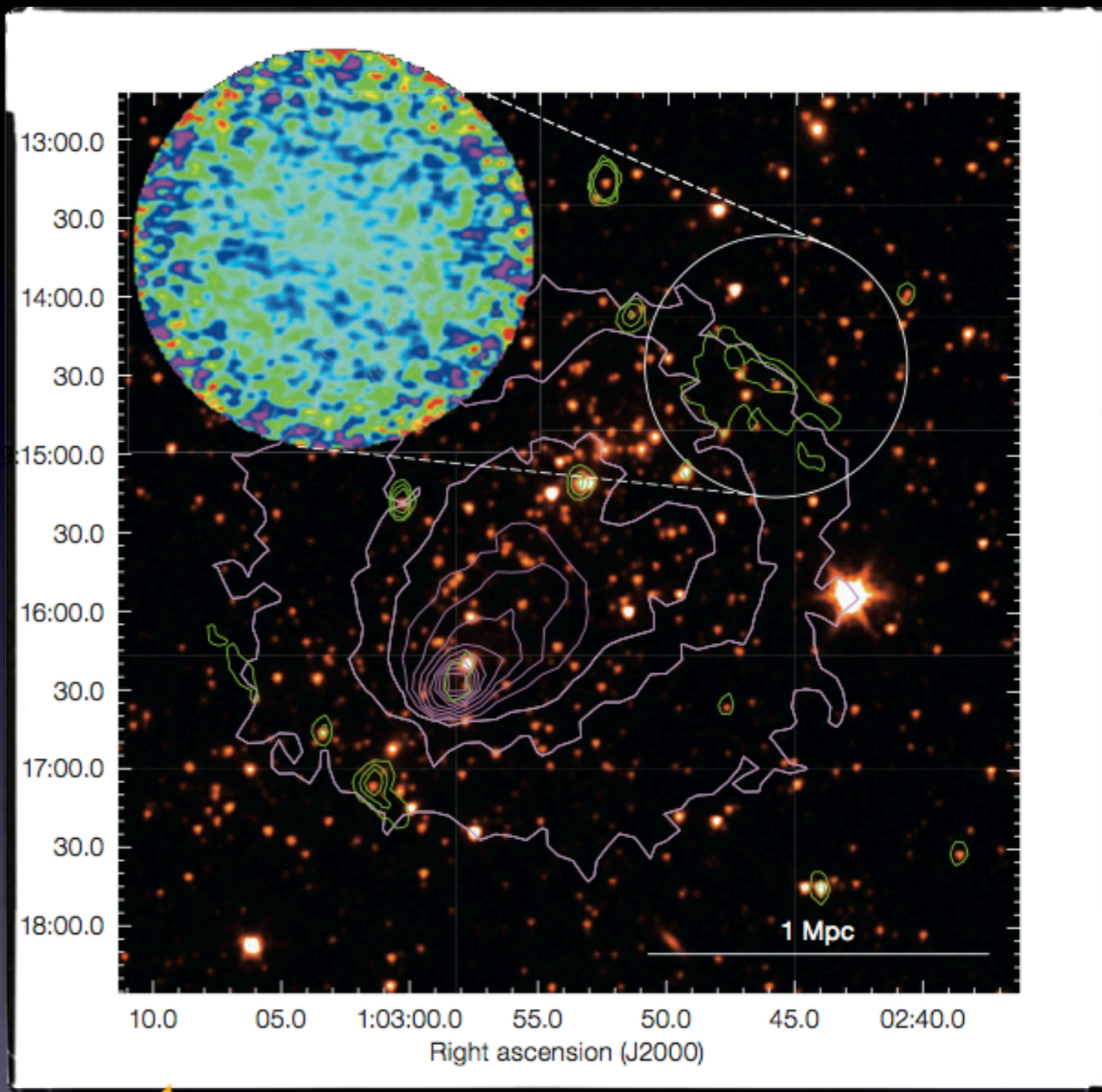
- ★ RXC J1347.5 core (Kitayama et al. 2016)
- ★ El Gordo relic shock (Basu et al. 2016)

A Relic-Shock with ALMA at $z \approx 0.9$



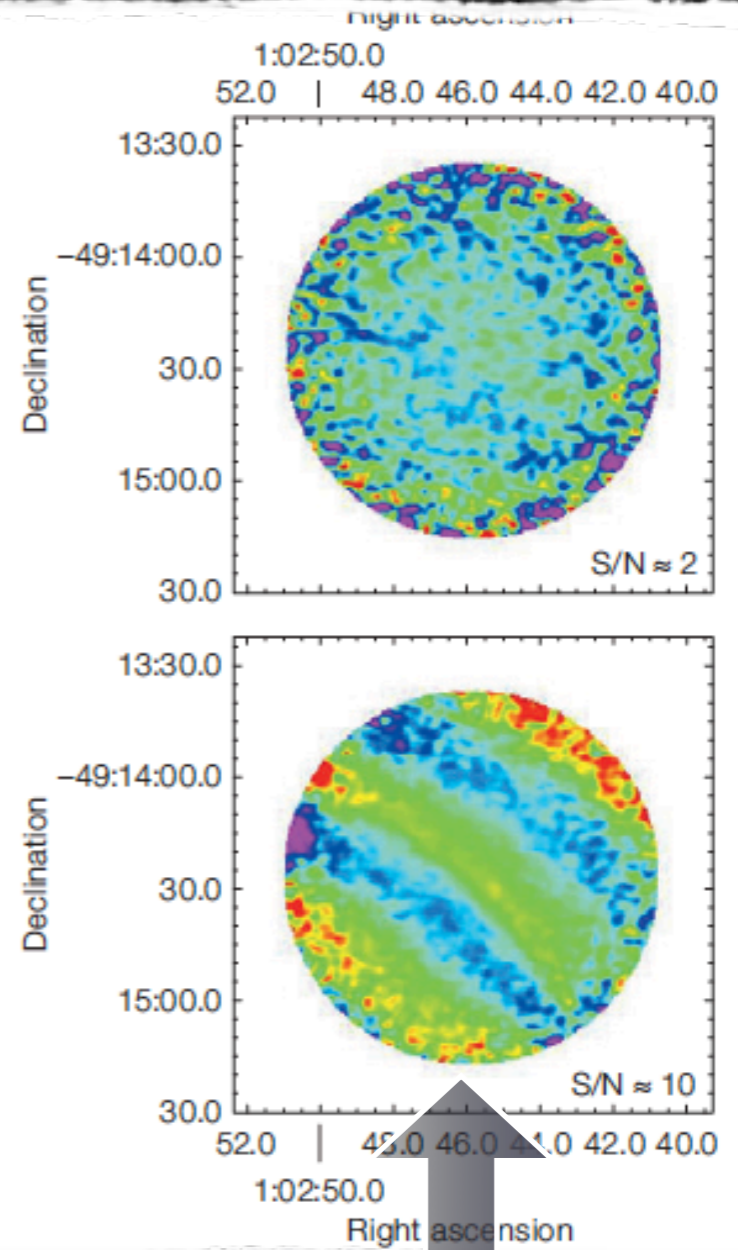
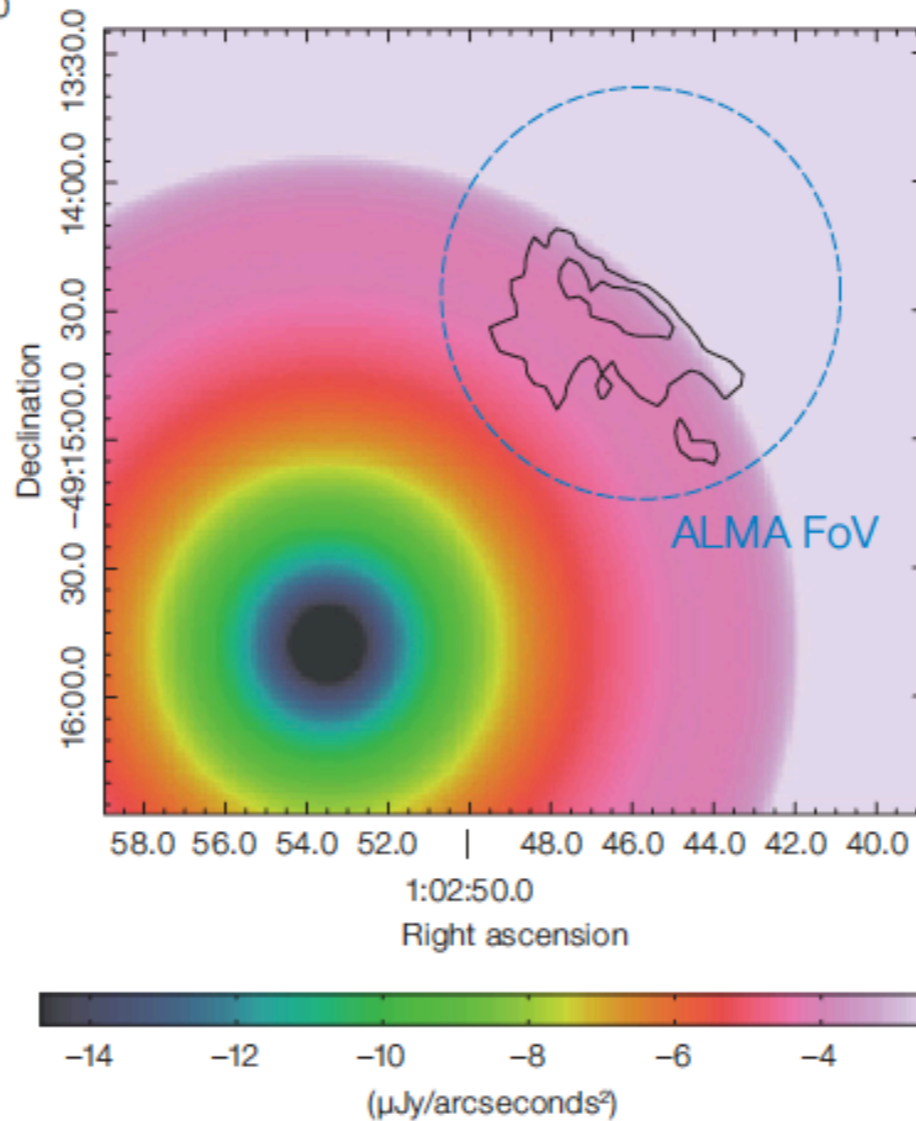
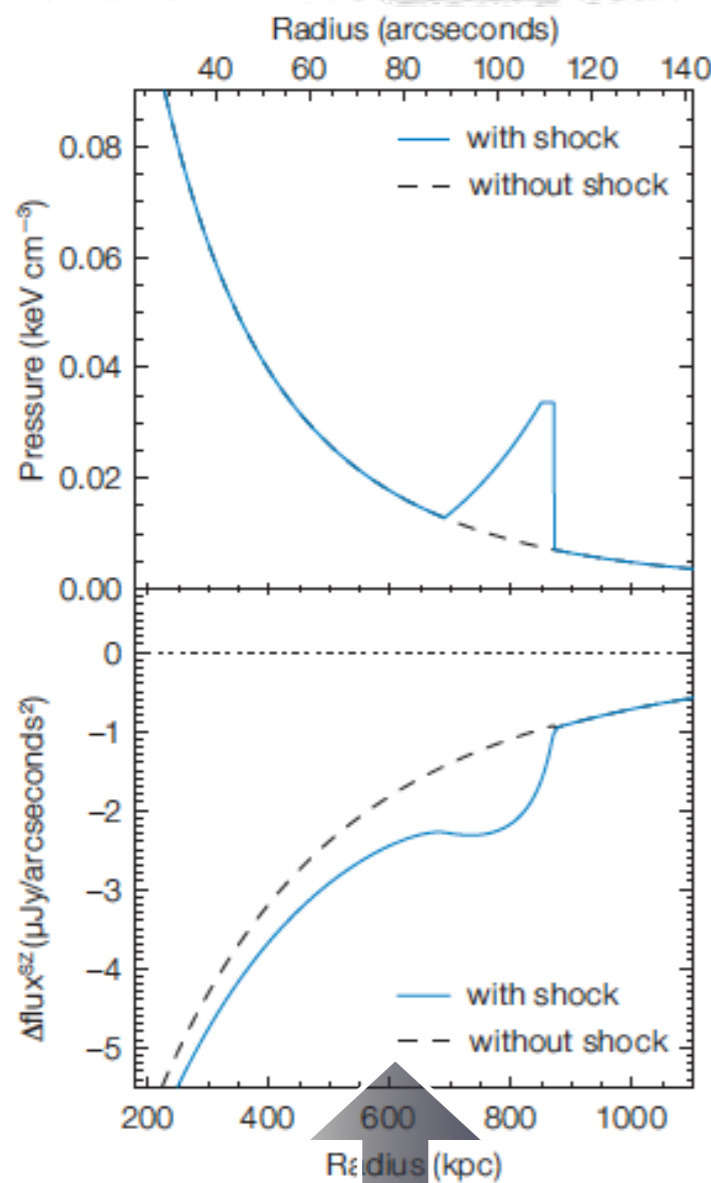
360 ks *Chandra* + ATCA 2.1 GHz radio
(PI: J. Hughes) + (Lindner et al. 2014)

ALMA data ~ 2h on-source
ALMA noise rms ~ 6 μ Jy/3" beam



Basu et al. (2016), *ApJ*, 829

How ALMA sees a Shock

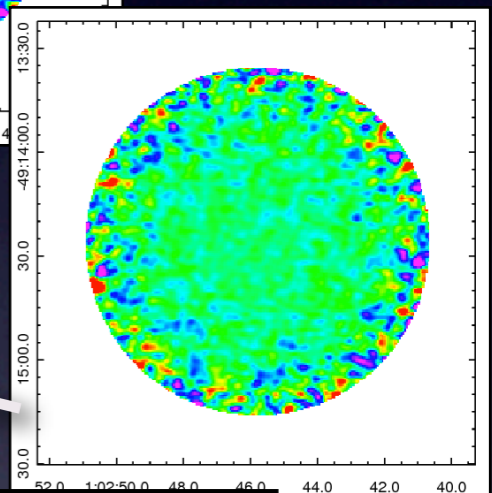
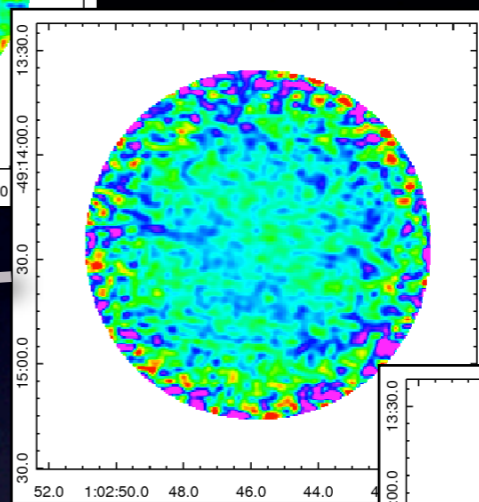
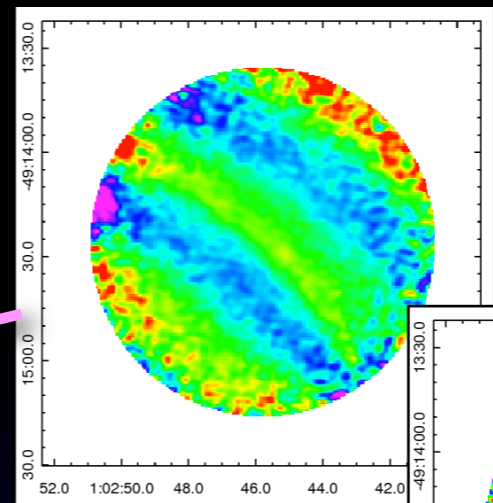
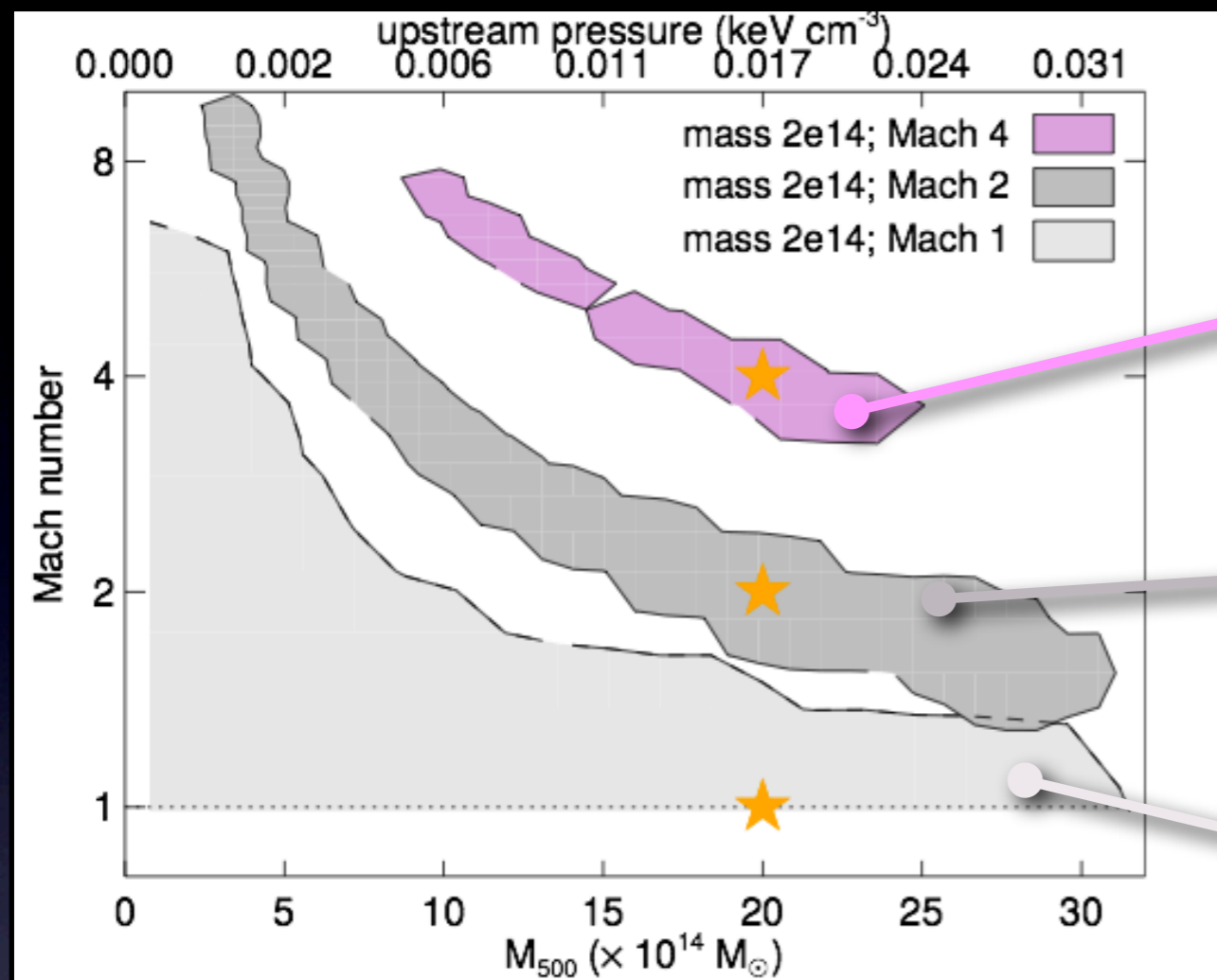


Step function-like jump in the SZ decrement

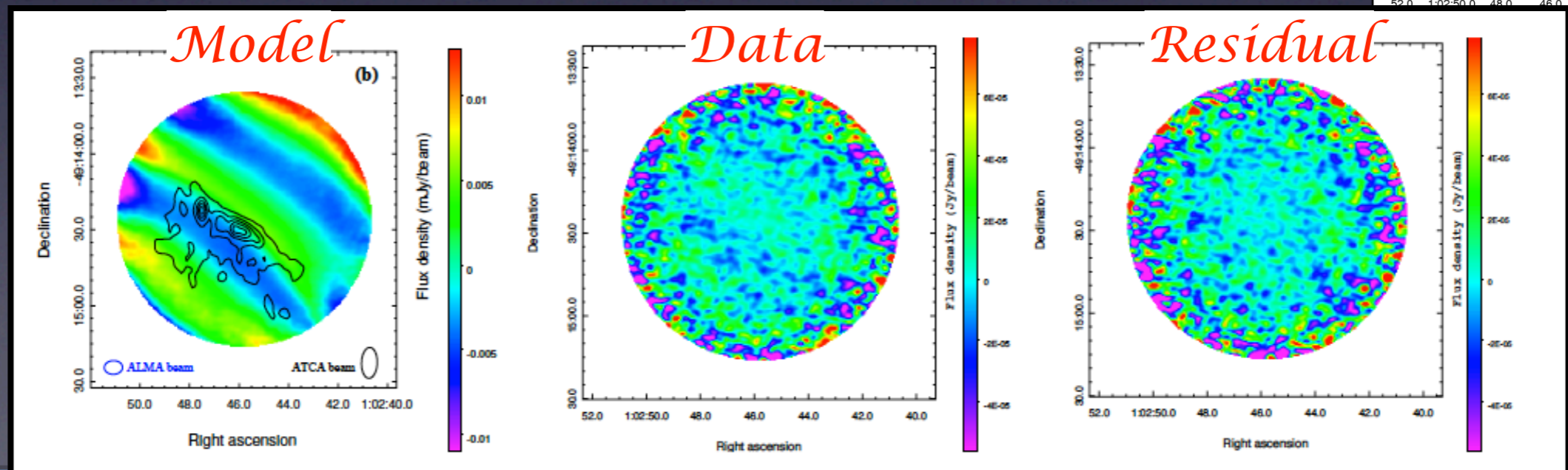
To avoid *interferometric imaging biases*, we fit our shock model directly to the visibility (“*uv*”) data, using a Bayesian MCMC method.

Deconvolved (“dirty”) image produces ripple-like pattern

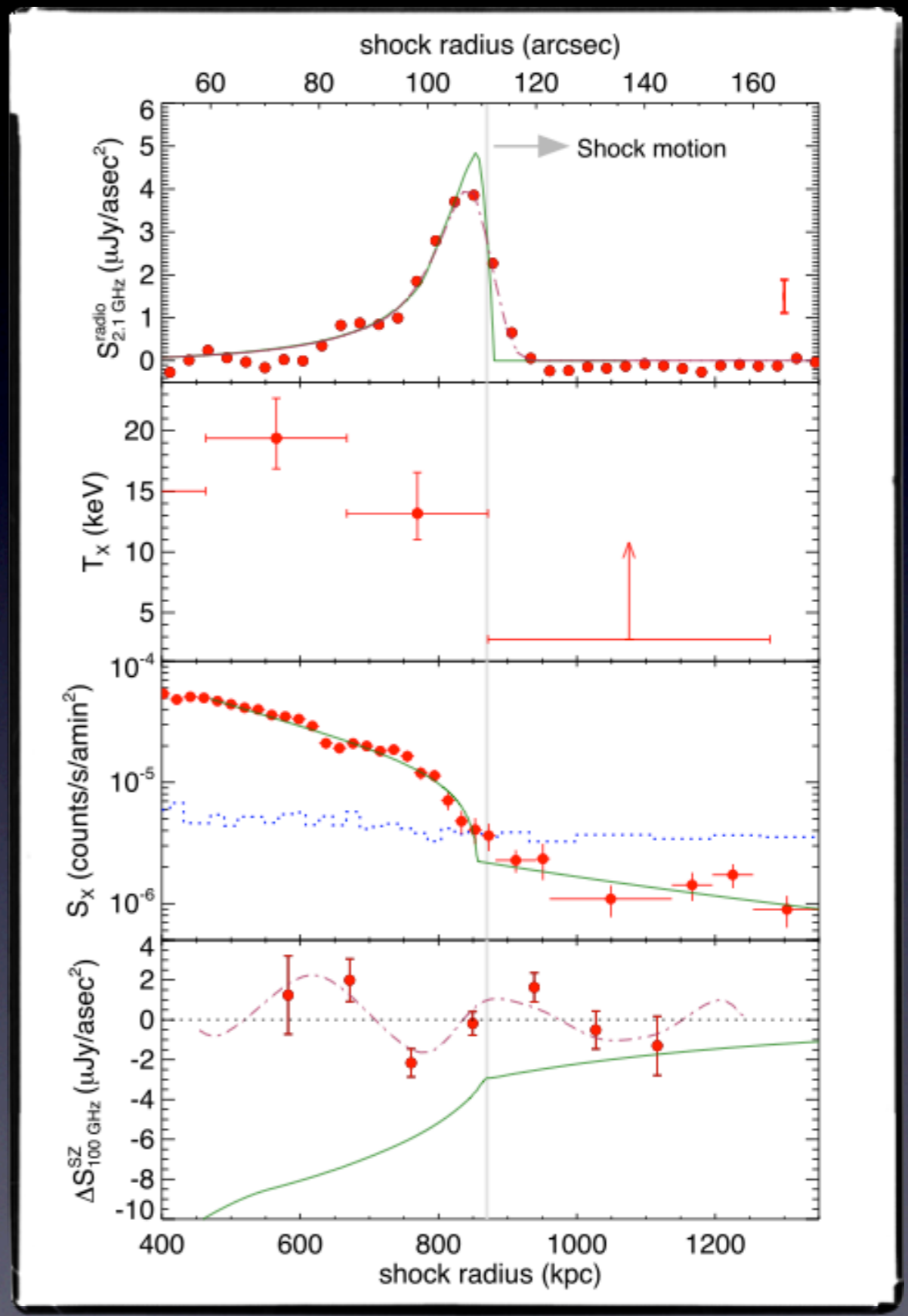
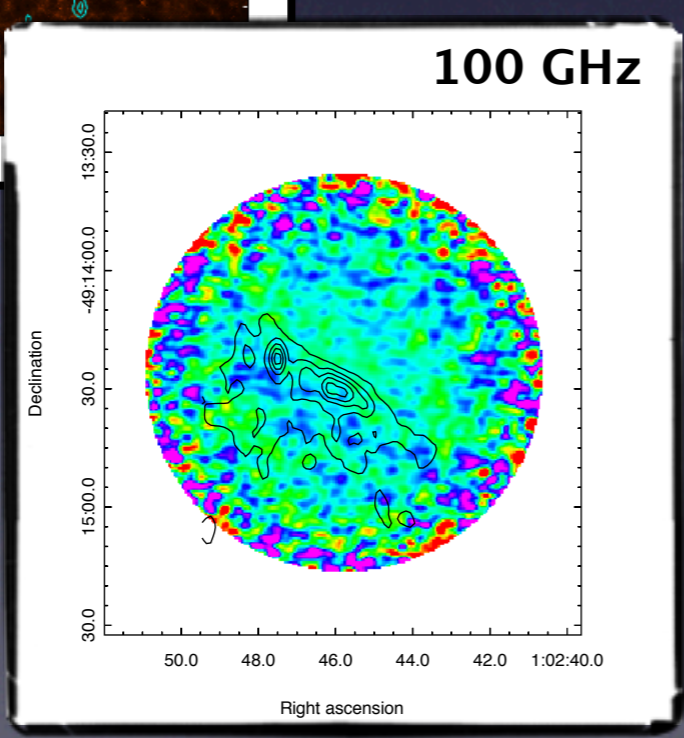
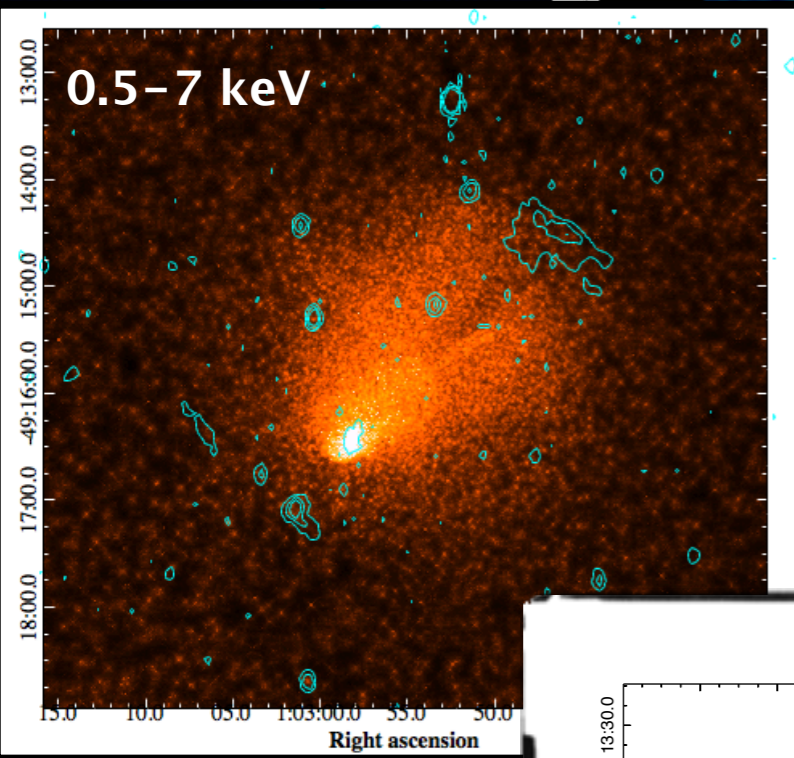
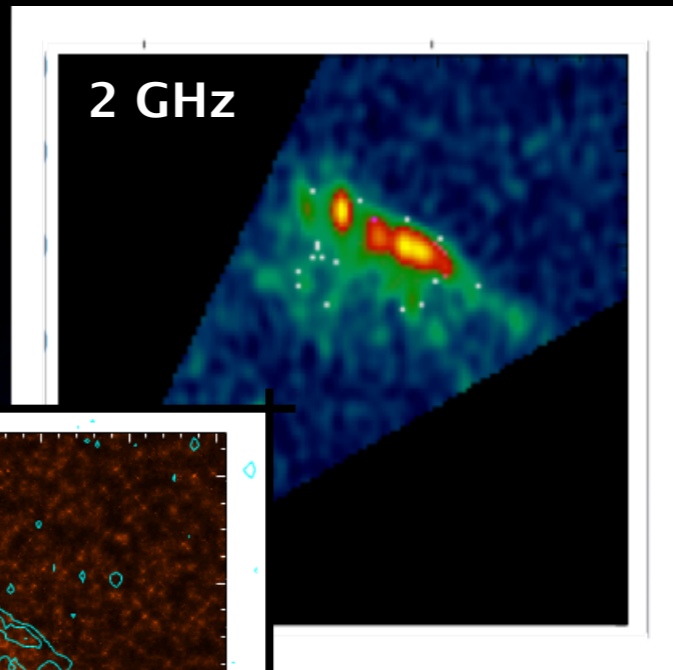
How ALMA sees a Shock



Basu et al. (2016), ApJ, 829



The Multi-Wavelength View

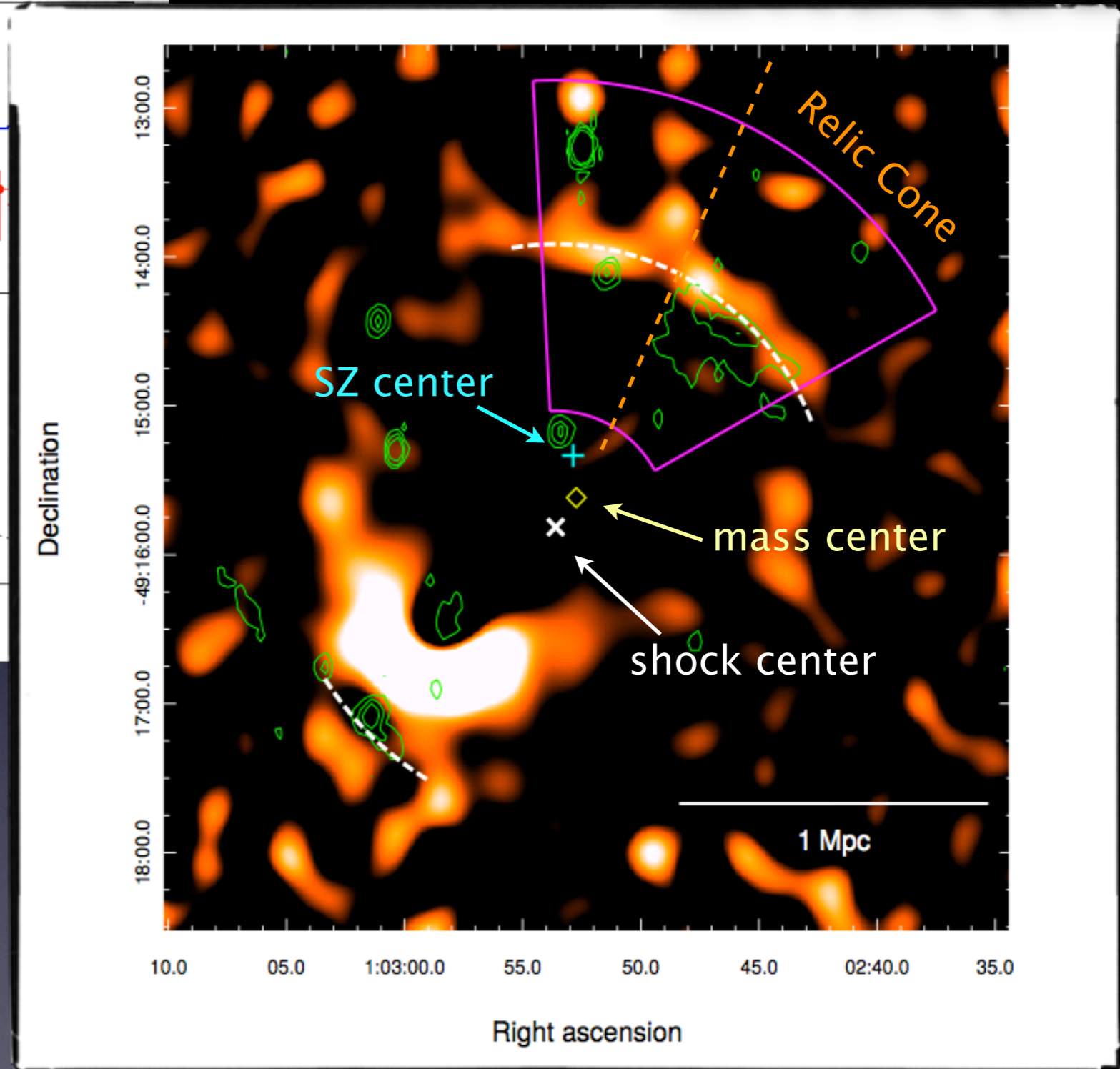
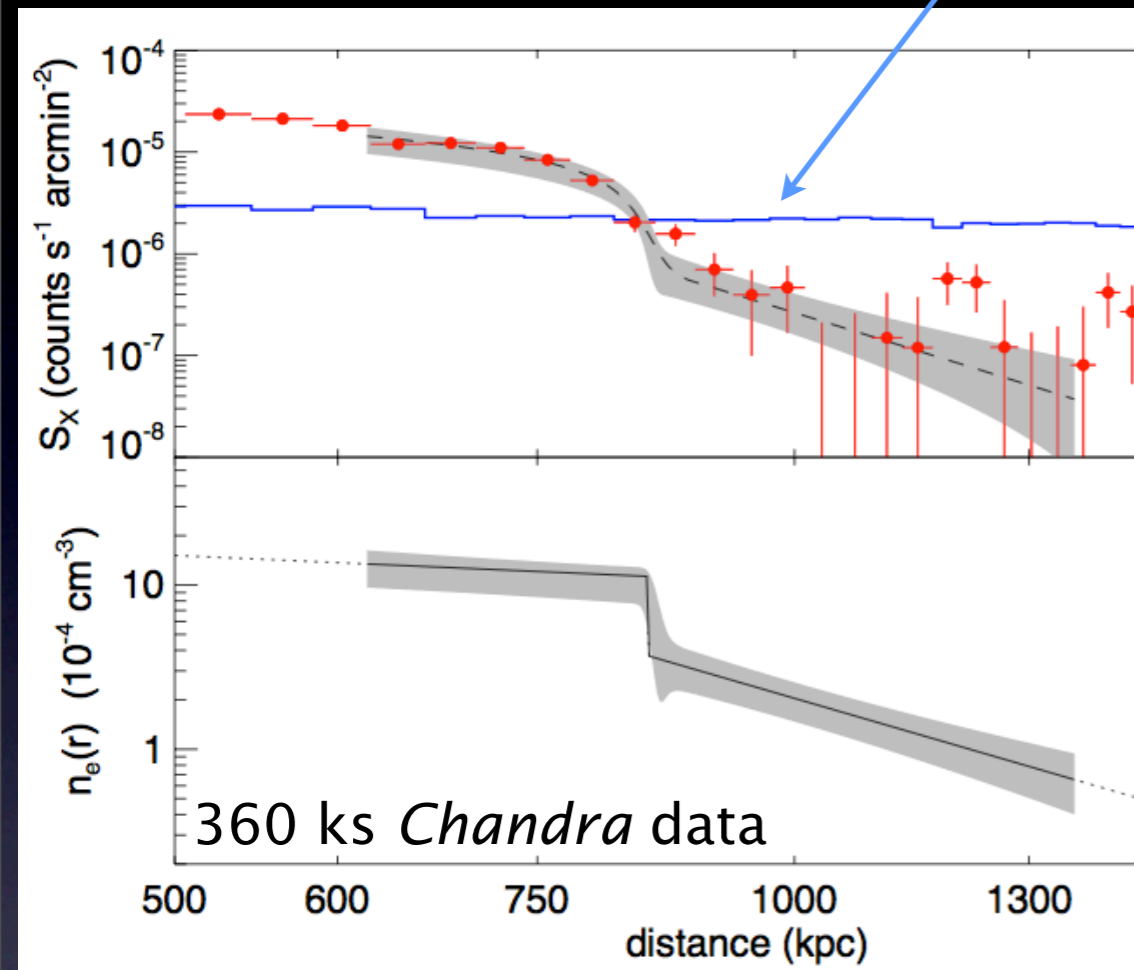


Basu et al. (2016), ApJ, 829

A wide shock, revealed in the X-rays

Basu et al. (2016), ApJ, 829

Background photon level



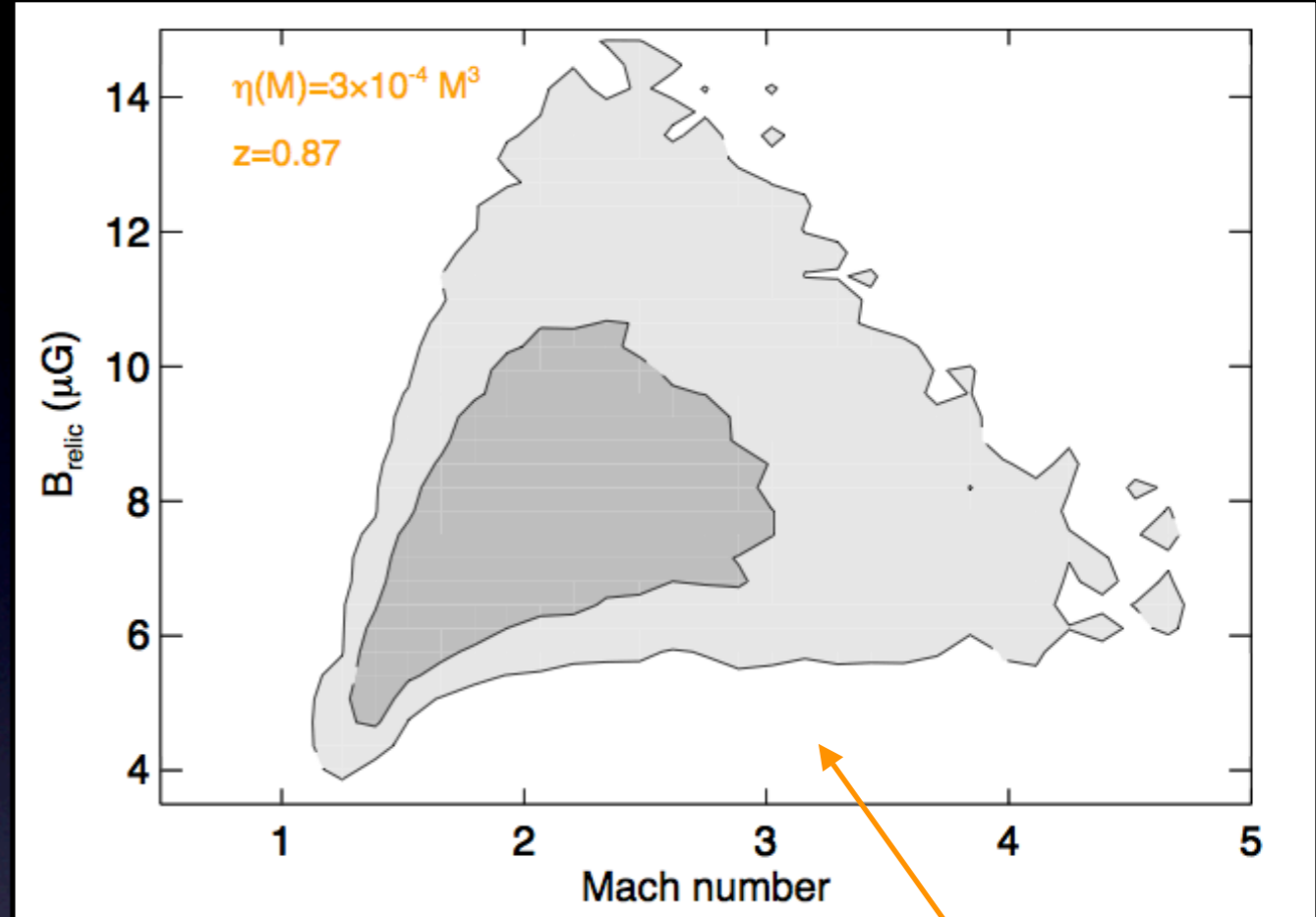
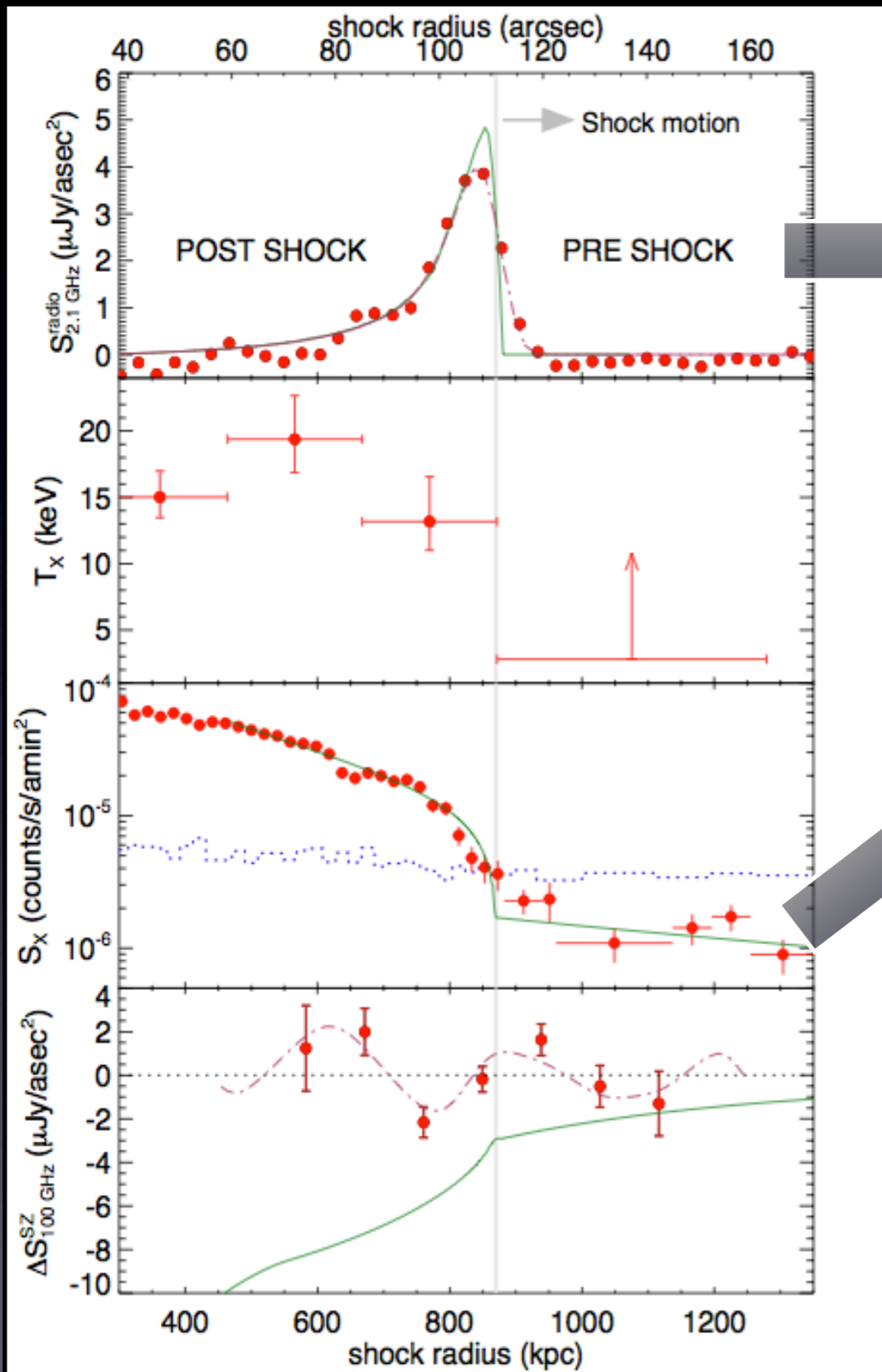
Mach number in the **relic cone**:

$$\mathcal{M} = 2.9^{+7.8}_{-0.9}$$

Mach number in the **other half**:

$$\mathcal{M} = 2.3^{+3.0}_{-0.8}$$

Magnetic Field at $z \approx 0.9$

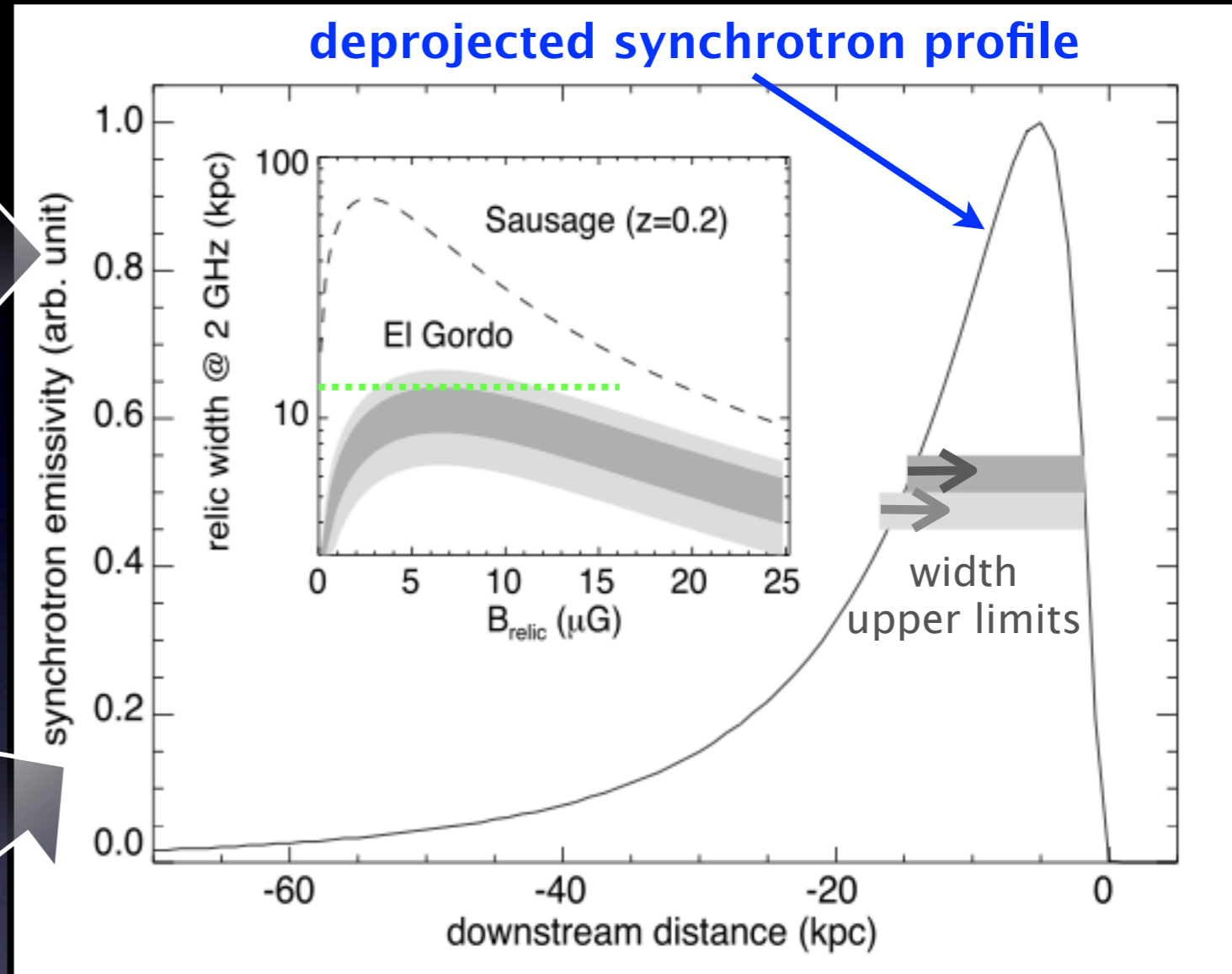
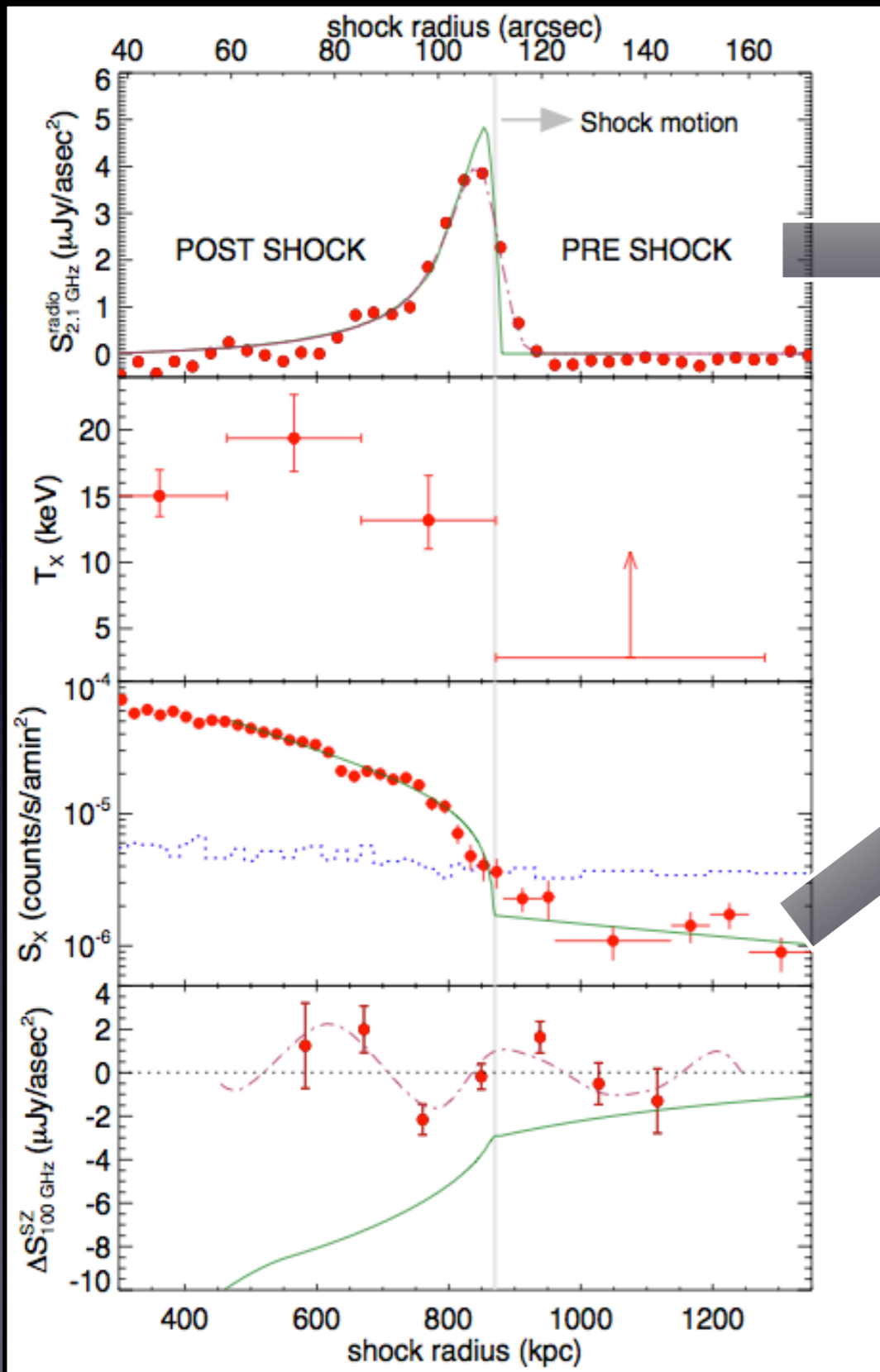


DSA formula (Hoefl & Brueggen 2007), simplified:

$$\begin{aligned}
 S_{\nu}^{\text{sync.}} &= (1+z)^{1-\delta/2} P_{\nu}^{\text{sync.}} / 4\pi D_L^2 \\
 &\approx 24 \text{ mJy} \left(\frac{\mathcal{M}}{3}\right)^3 \left(\frac{\xi_{e/p}}{0.05}\right) \left(\frac{L^2}{1 \text{ Mpc}^2}\right) \frac{B_{\text{relic}}^{1+\delta/2}}{B_{\text{CMB}}^2 + B_{\text{relic}}^2} \\
 &\times \left(\frac{n_u}{10^{-4} \text{ cm}^{-3}}\right) \left(\frac{T_u}{1 \text{ keV}}\right)^{3/2} \left(\frac{D_L}{10^3 \text{ Mpc}}\right) \\
 &\times (1+z)^{1-\delta/2} \left(\frac{\nu}{1.4 \text{ GHz}}\right)^{-\delta/2}
 \end{aligned}$$

Basu et al. (2016)

Magnetic Field at $z \approx 0.9$



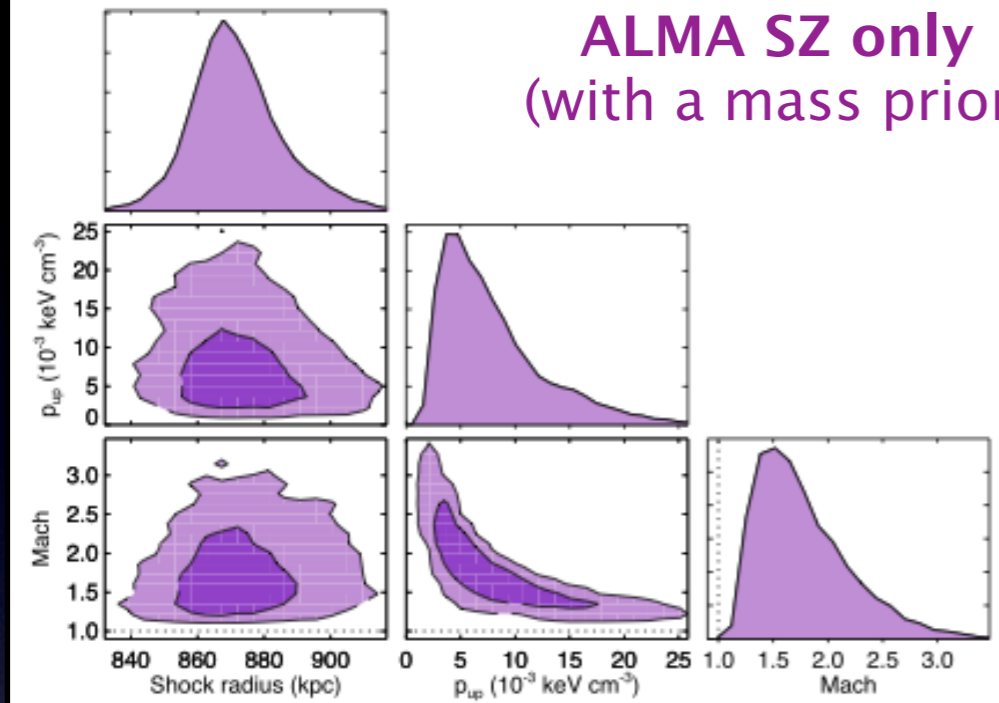
Relic width is related to the cooling time, i.e. the magnetic field:

$$W_{\text{relic}} \approx v_d t_{\text{sync}}$$

$$t_{\text{sync}} = 3.2 \times 10^{10} \text{ yr} \frac{B^{1/2}}{B^2 + B_{\text{CMB}}^2} \frac{1}{\sqrt{\nu(1+z)}}$$

The Shock Mach number

ALMA SZ only
(with a mass prior)

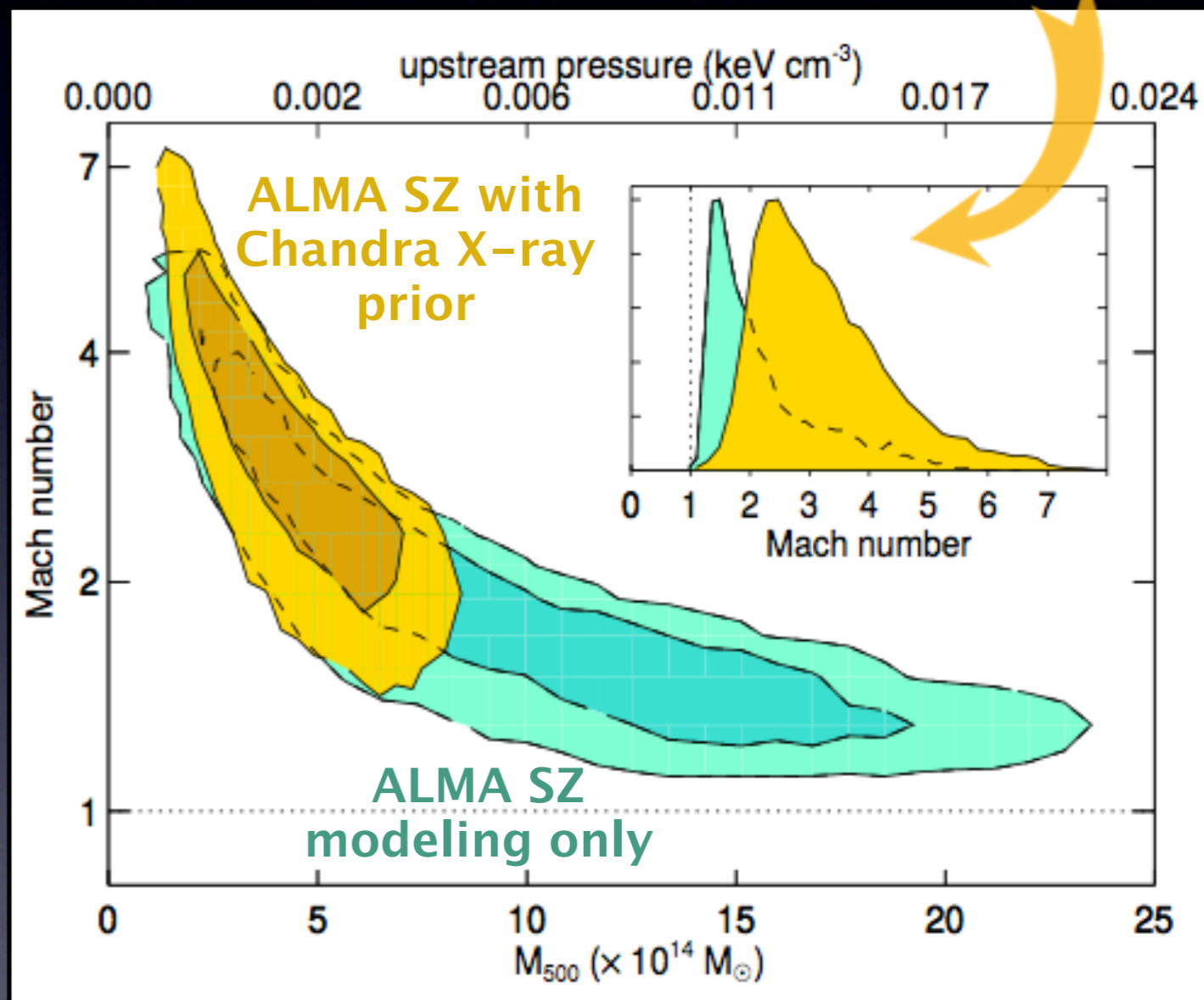
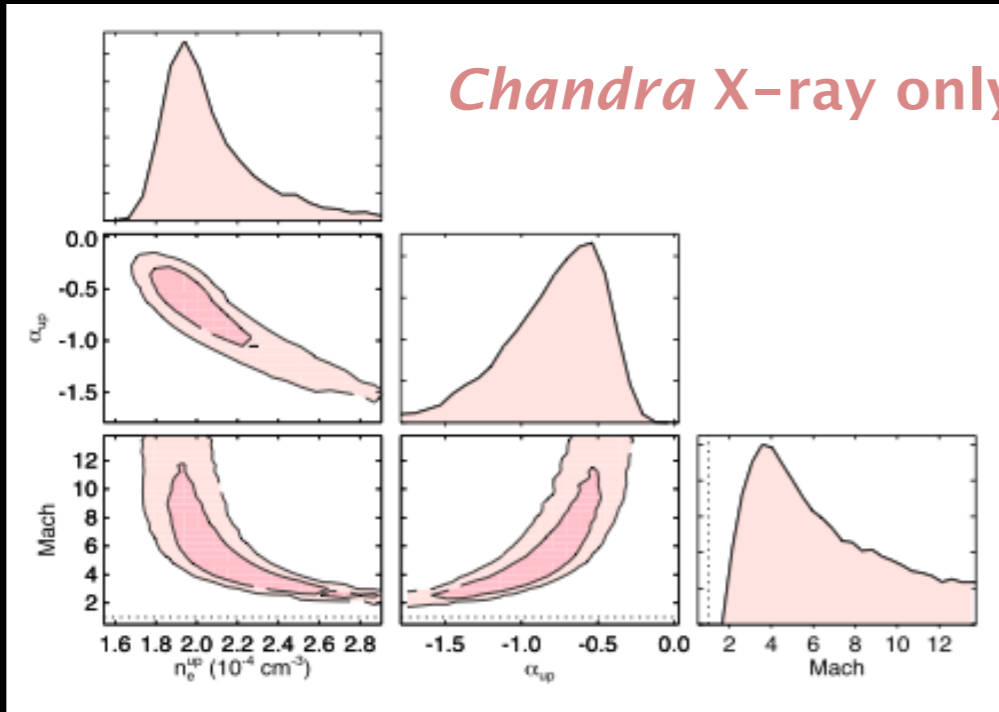


ALMA SZ data alone points to a weak shock: $\mathcal{M} = 1.4^{+1.2}_{-0.2}$

X-ray brightness jump suggests stronger: $\mathcal{M} = 3.5^{+6.4}_{-1.3}$

We use an X-ray pressure prior on the SZ modeling.

Chandra X-ray only



Basu et al. (2016), ApJ, 829

SZ connection for RADIO RELICS

- Thermal SZ/X-ray and non-thermal synchrotron are modeled self-consistently
- Shocks that underlie radio relics have now been measured also in the SZ
- Radio observations are affected by SZ at cm-wavelengths (1-30 GHz)
- ALMA is opening the SZ-substructure window in clusters



Summary

SZ connection for RADIO RELICS

- Thermal SZ/X-ray and non-thermal synchrotron are modeled self-consistently
- Shocks that underlie radio relics have now been measured also in the SZ
- Radio observations are affected by SZ at cm-wavelengths (1-30 GHz)
- ALMA is opening the SZ-substructure window in clusters

SZ connection for RADIO HALOS

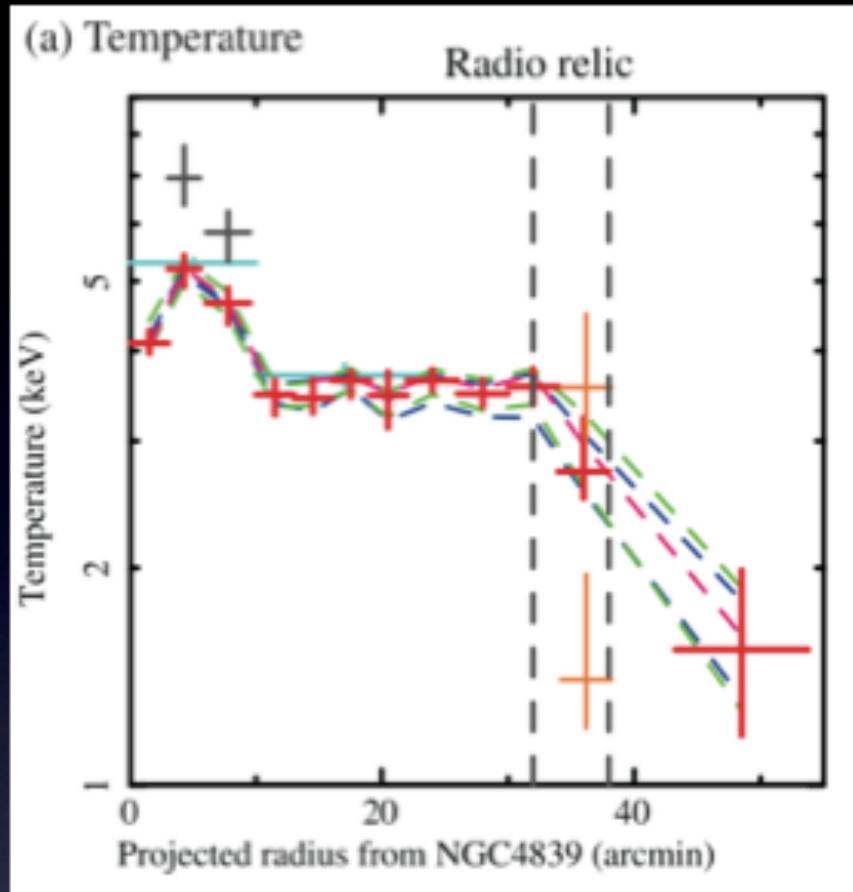
- First demonstration of the radio-SZ correlation for radio halos
- Reduced “apparent bimodality” in SZ selection, but certainly radio-off clusters
- SZ and X-ray selection in the high-mass end show significant difference with radio
- The SZ selection part (~70% RHs) no confirmed with deep radio data

Thank you!

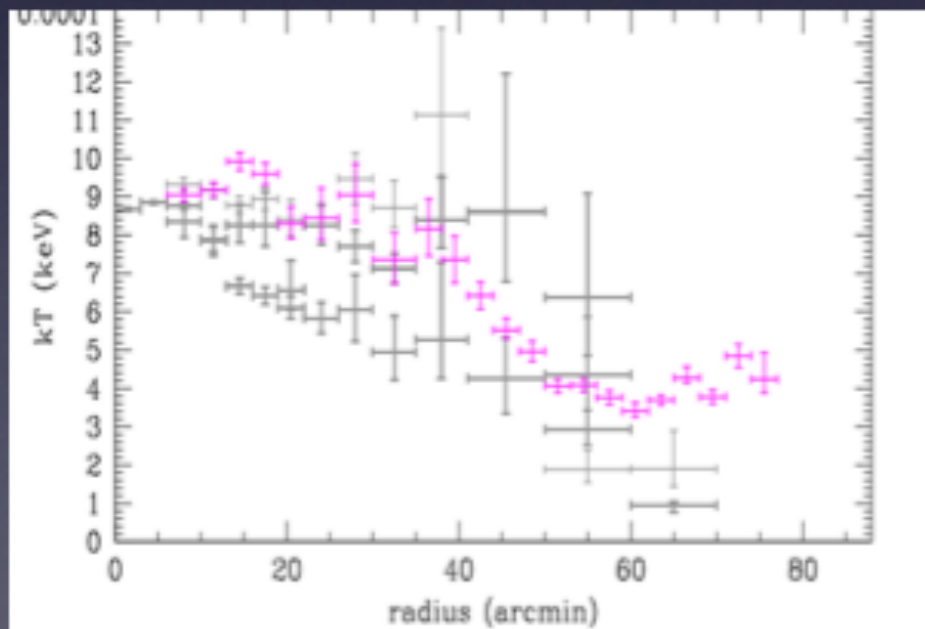
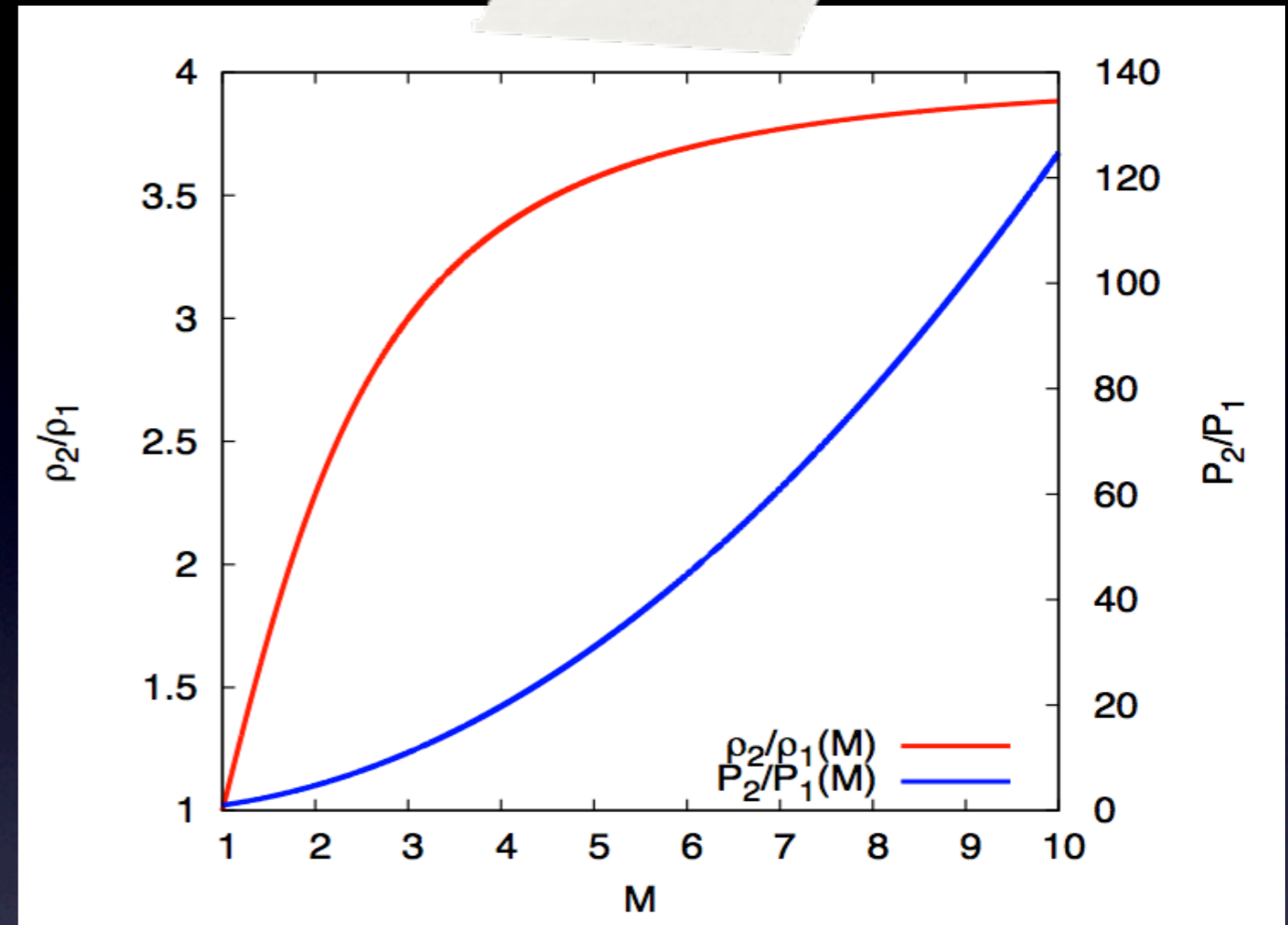
Thank you!

Additional Slides 

Shocks with X-rays at relics



Akamatsu et al. (2013)

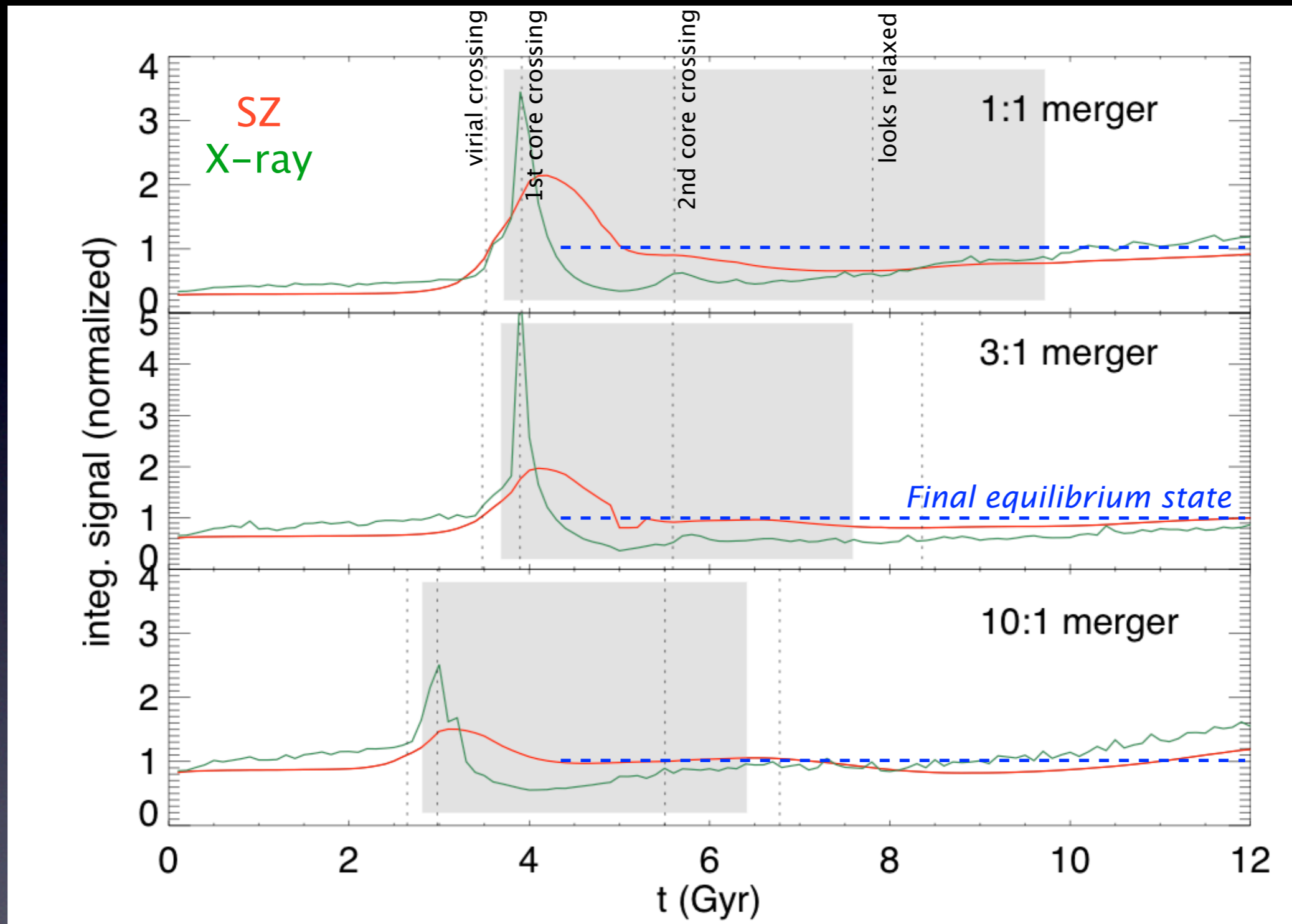


Simionescu et al. (2013)

- From X-ray one can determine shocks through density and pressure jumps
- Density jump is not very sensitive to Mach number change, and more affected by projection biases. It can also just show a contact discontinuity (cold front).
- Temperature at pre-shock regions difficult to determine, *not to mention for high redshift objects!*

SZ/X-ray Signal Variations during Mergers

Sommer & Basu (2014), MNRAS, 437



Based on N-body hydro simulation results by Poole et al. (2007)